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DESIGN OF A WASTE HEAT EXCHANGER

Juspal S. Kandola

A Major Technical Report

in

The Faculty

of

Engineering

Presented in Partial Fulfillment of the Requirements
for the degree of Master of Engineering at
Concordia University
Montreal, Quebec, Canada

March 1980



Juspal Kandola, 1980

ABSTRACT

DESIGN OF A WASTE HEAT EXCHANGER

Juspal S. Kandola

The material presented in this Major Technical Report covers the detail design of a heat exchanger used for recovery of waste heat energy from process exhaust flue gases.

Thermodynamic and fluid flow calculations sizing the waste heat exchanger are presented followed by an assessment of flow induced tube vibrations using current literature on the State of the Art.

Detail design of the pressure parts and supports to the ASME Boiler and Pressure Vessel Code Section VIII, Division 1 is included. The design and analysis of Ancillary Piping to the Refinery Piping Code ANSI B 31.3 is also presented. Details of other auxiliary equipment such as the steam drum, gas inlet and outlet cones are given in Appendices A and B.

A complete set of engineering drawings for the entire waste heat exchanger system is included in Appendix C.

ACKNOWLEDGEMENTS

The author gratefully acknowledges and appreciates the guidance, suggestions, and encouragement provided by his Graduate Studies Supervisor, Professor A.E. Blach, Department of Mechanical Engineering, Concordia University, under whose auspices this report was successfully completed.

He is also indebted to the following personnel at Dominion Bridge Company Limited: Mr. J.R. Mackay, Design Supervisor-Boilers, and Mr. D.H. Kennedy, Manager of Engineering, Engineered Products, for their constructive criticisms, assistance and supervision of the design of the waste heat exchanger, and permission to use Dominion Bridge Company drawings. He would like to thank Mr. J.R. Scott, who was kind enough to read the manuscript, check the calculations and make valuable suggestions.

The author is appreciative of Mrs. I. Crawford for her patience and skill in typing this paper.

Last, but by no means least, he wishes to express his thanks to his Wife and his two sons, without whose patience and understanding the completion of the Degree of M.Eng. would have been in jeopardy.

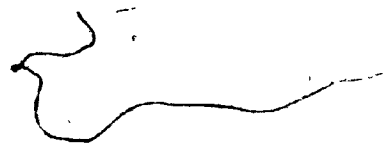


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LIST OF SYMBOLS

Unless otherwise defined in the text, the list of the symbols used are as follows:

CHAPTER 2

a	Constant
a_F	Free flow area
A	Heat transfer surface area
A_{REQ}	Required heat transfer surface area
B	Length of flow area = support plate spacing
C'	Clearance between tubes
C_p	Specific heat
D	Diameter
D_s	Shell diameter
d_i	Internal diameter
D_e	Hydraulic diameter
f	Friction factor
G	Mass flow rate per unit area based on pipe internal diameter
H	Available head for circulation
h_f	Enthalpy of feedwater
h_s	Enthalpy of steam leaving the drum
h_f	Gas film coefficient
ID	Inside diameter of shell
K	Thermal conductivity of gas at bulk gas temperature
K_s	Thermal conductivity of steel
L	Pipe length
L_T	Tube length

x

L_1	Height from point of average fluid conditions to top tubesheet
L_2	Height to normal water level from top tubesheet.
\dot{M}_G	Mass flow rate of flue gas
\dot{M}_S	Mass flow rate of steam
N	Number of support plates
P	Pressure
P_T	Tube pitch
ΔP	Pressure drop
\dot{Q}	Heat energy flow rate
\dot{Q}_S	Rate of heat energy absorbed by steam
\dot{Q}/A	Heat flux
R	Recirculation rate
Re	Reynolds number
r	Latent heat absorption by steam
S	Specific gravity
T_1	Gas inlet temperature
T_2	Gas outlet temperature
T_g	Bulk gas temperature
T_s	Tube wall temperature
t	Tube thickness
ΔT	Arithmetic temperature difference
ΔT_{LM}	Logarithmic temperature difference
Δt_w	Difference between tube wall temperature and saturation temperatures
U_c	Gas film heat transfer coefficient inside tubes
U	Overall heat transfer coefficient
V	Mean specific volume

V_f	Specific volume of liquid
V_g	Specific volume of vapour
V_m	Specific volume of mixture
θ_1	Temperature difference between gas and water - steam mixture at gas inlet
θ_2	Temperature difference between gas and water at gas outlet
ρ	Density
μ_w	Viscosity at tube wall temperature
μ	Mean absolute viscosity
ϕ_s	The viscosity ratio $(\mu/\mu_w)^{0.14}$

CHAPTER 3

a_s	Bundle cross flow area
A	Free flow area parallel to tubes
A_M	Tube cross sectional metal area
A_T	Tube external projected area
B	Minimum support spacing
B_t	Support plate thickness
C	Mode constants
C'	Clearance between tubes
C_d	Viscous damping coefficient
C_L	Fluctuating lift coefficient of vortex
C_n	Normalised damping coefficient
C_T	Minimum clearance between tubes
d	Tube diameter
D	Tube outside diameter
E	Modulus of elasticity
f	Frequency of forcing function
F_B	Tube support plate clearance factor
f_N	Natural frequency of tube
g_c	Gravitational constant
I	Moment of inertia
ID	Shell internal diameter
Hz	Hertz
K	Magnification factor
K_c	Connors number
K_V	Maximum cross flow velocity

ℓ	Tube span length
L	Longitudinal spacing between tubes
M	Tube mass per unit length
M_F	Added mass coefficient factor
\dot{M}_S	Mass flow rate of water-steam
N_{BD}	Baffle type damage number
N_{CD}	Collision type damage number
P_T	Tube pitch
R	Recirculation rate
Re	Reynolds number
S_M	Maximum allowable fatigue stress
St	Strouhal number
T	Transverse spacing between tubes
U	Flow velocity
U_{ACT}	Actual flow velocity
U_{CRIT}	Critical flow velocity
U_p	Velocity parallel to tubes
V	Specific volume of water-steam
W	Total weight per foot-run of tube
W_t	Weight of empty tube
W_{fi}	Weight of fluid inside tube
W_{fo}	Weight of fluid displaced by tube
X	Maximum dynamic deflection
X_L	Longitudinal spacing ratio of tubes
X_t	Transverse spacing ratio of tubes
δ	Logarithmic decrement
ρ	Density of water-steam

- ζ Damping factor
- ω Angular velocity of vibration
- ω_n Angular velocity of vibration at resonance

CHAPTER 4

a_p	Plate width
A_r	Areas for reinforcement
A	Code factor for external factor calculations
A_c	Seismic acceleration factor
A_p	WHE projected area
b	Gasket width factor
B	Allowable stress for external pressure
b_p	Plate width
b_o	Half gasket width
C_c	Wind exposure factor
C_g	Wind gust factor
C_p	External pressure coefficient
C'	Corrosion allowance
C	Flat cover design factor
C_n	Cross section or roughness coefficient
d	Diameter of opening
d_c	Manway cover diameter
D	Diameter
d_o	WHE outside shell diameter including insulation
E	Joint efficiency
F_M	Ring force
F_N	Thermal friction force
F_W	Wind shear force
F_Y	External axial force applied to flange joint
F_V	Shear load

f_1	Ring force
G	Gasket mean diameter
h	Height of WHE subject to wind pressure
h_g	Radial distance from gasket load reaction to the bolt circle
I_B	Moment of inertia of lower ring
I_T	Moment of inertia of upper ring
K_1	Support ring force factor
K_2	Support ring moment factor
L_T	Total tube length
m	Gasket factor
M_E	External moment applied to flanged joint
M_r	Ring moment
M	Moment
N	Gasket width
P_L	Load
P_{FD}	Total operating flange design pressure
P	Design pressure
P_a	Allowable external pressure
P_{EQ}	Equivalent pressure to allow for external moment on flange joint
P_W	Wind design external pressure
q	Wind reference velocity pressure
R	Inside radius of shell
r_c	Radius to neutral axis of support
R_A, R_B, R_C	Reactions
R_M	Ring forces
S	Code allowable stress

S_H	Flange Hub stress
S_R	Flange radial stress
S_T	Flange tangential stress
S_p	Horizontal seismic shear force
t	Minimum thickness
t_c	Cover thickness
t_{rn}	Required nozzle neck thickness
V_{PT}	Earthquake lateral shear force
V_W	Wind shear per bracket
W_{ATM}	Bolt loading
W_{m1}	Required bolt load for operating condition
W_{m2}	Gasket seating load
W_p	Weight of waste heat exchanger
Y	Gasket seating stress
y	Distance from neutral axis to point under consideration
τ	Shear stress.

CHAPTER 5

A_t	Tube cross sectional metal area
D	Tube diameter
E	Modulus of elasticity
E^*	Effective modulus of elasticity for perforated tube plate
G	Gravitational constant
h	Nominal width of ligament at the minimum cross section
I_{zz}	Moment of inertia of tube
N	Number of tubes
P	Tube pitch
P_D	Tube pressure
P_S	Tube force induced by shell side pressure
P_T	Tube force induced by tube side pressure
ROT_z	Rotation about Z axes
S_M	Code allowable design stress intensity
t	Thickness of tube plate
U_x	Displacement in x-direction
U_y	Displacement in y-direction
x	Coordinates on x-axis
y	Coordinates on y-axis
ΔT	Temperature of tubes above the shell temperature
ν	Poissons Ratio
ν^*	Effective Poisson's ratio for perforated plate
α	Coefficient of thermal expansion
σ	Stress

CHAPTER 6

B_W	Butt welding
C	Corrosion allowance
D_o	Outside diameter of pipe
D	Nominal pipe size
E	Joint efficiency
E_a	Modulus of elasticity of piping material
f	Fatigue factor
g	Gravitational constant
L	Developed length between anchors
L_R	Long radius
P	Internal design pressure
S	Allowable stress
S_C	Allowable stress for material at minimum metal temperature expected during displacement cycle
S_h	Allowable stress for material at maximum metal temperature expected during displacement cycle
S_A	Allowable stress range
STD	Standard
t	Pressure design thickness
U	Anchor distance, straight line distance between anchors
W	Total weight of pipe per unit length
Y	Resultant of total displacement strains to be absorbed by the piping system
y	Material coefficient
ΔT	Increase in temperature of pipe above stress free temperature
ΔX_N	Expansion along x-axis during normal operation

ΔX_S Expansion along x-axis during start up
 ΔY_N Expansion along y-axis during normal operation
 ΔY_S Expansion along y-axis during start up
 α Coefficient of thermal expansion

APPENDICES

A_e	Effective area of reinforcement due to excess metal thickness
A_{REQD}	Required area of reinforcement
B	Inside diameter of flange
C	Corrosion allowance
D	Inside diameter of cone
E	Joint efficiency
E_R	Modulus of elasticity of reinforcing material
E_S	Modulus of elasticity of shell
g_o	Thickness of hub at small end
K	$\frac{S_S E_S}{S_R E_R}$
M_o	Total moment acting upon flange
P	Design pressure
R	Inside radius of shell
R_L	Inside radius of large cylinder at junction
R_S	Inside radius of small cylinder at junction
S	Code allowable stress value
S_A	Allowable stress for combined loads
S_R	Allowable stress for reinforcing material
S_S	Allowable stress for shell material
t	Minimum required thickness of flange
t_F	Flange thickness
t_c	Nominal thickness of cone at cone to cylinder junction exclusive of corrosion allowance
t_s	Nominal thickness of cylinder at cone to cylinder junction, exclusive of corrosion allowance
Y	Flange design factor

- Δ Value to indicate need for reinforcement at cone to cylinder intersection having a half apex angle $\alpha \leq 30^\circ$.
- α One half of the included (apex) angle of the cone.

CHAPTER 1

- 1 -

CHAPTER 1

INTRODUCTION

This report describes the design of a waste heat exchanger installed downstream from an existing fluid catalytic cracking unit in a Montreal Petroleum Refinery (FCIM). The schematic layout of the equipment in the overall system is shown in Fig. 1.1.

The FCIM unit produces a flue gas flow rate of up to 200,000 lb/hr during continuous operation at temperatures of up to 1275°F. The purpose of the waste heat exchanger is

- (1) cool gases to permit gas cleaning as required by the Clean Air Act of 1975,
- (2) facilitate recovery of the catalyst, and
- (3) the recovery of heat energy in form of steam.

The waste heat exchanger (WHE) will cool the gases to about 460°F from the gas inlet average temperature of about 1250°F, and in the process, will generate about 43,200 lb/hr of saturated steam at 155 psig.

The waste heat exchanger and accessories are shown schematically in Fig. 1.2. The flue gases from the FCIM unit enter the WHE through the gas inlet at the top of the unit. The hot gases are cooled by passing over the cooling surface as they flow down the tubes and out through the gas outlet section to the electrostatic precipitator. The feedwater is introduced into the steam drum. The boiler water flows from the steam drum through downcomer pipes into the WHE shell. The water is heated by the flue gases and steam bubbles are

formed as it flows outside the tubes and upwards inside the WHE shell. The water and steam mixture exits the WHE shell through riser pipes and flows into the steam drum where the steam is separated from the water and is available for the refinery process use. The condensate plus make up feedwater is circulated through the WHE system where the heat pick up process is repeated continuously.

The engineering drawings for the various components are shown in Appendix C. The detail design of these components is described in this report.

Thermal design and verification of adequate water circulation through the WHE are covered in Chapter 2 which is followed by an investigation of flow induced tube vibration in Chapter 3.

The detail design of the WHE pressure parts and supports is outlined in Chapter 4. The report continues with design by analysis of the tube plates and tubes supports in Chapter 5.

The penultimate part of the report, Chapter 6, addresses itself to the design and flexibility analysis of the piping associated with the WHE system.

Finally the design of the other major components such as the gas inlet and outlet conical sections and steam drum are presented in the Appendices.

One aim of any analysis is to determine, within reasonable accuracy, values of the dependent variables for the given values of independent variables. It seems largely a matter of style which variables we regard as independent. What we seek is a set of equations which

have as a consequence the bounding of whatever quantities we feel are significant.

It is apparent from above that the boundness of our solution is a measure of the thoroughness of the analysis, but this does not imply that the analysis is therefore exact. Our notation of what is exact seems to stem from an intuitive knowledge of a set of well-defined physical phenomena. Reduction of a complex phenomenon to a set of simpler, well-defined phenomenon is generally agreed to be the chief aim of analysis.

This means that a good analysis has two distinct characteristics:

- (i) it relies upon reducibility of complex problems to "irreducible" familiar problems,
- (ii) the numerical results must bear good resemblance to the size of corresponding quantities found in actual physical situations.

The design of the waste heat exchanger as presented in this report reflects the significance of the above concepts which demonstrates the importance of good engineering judgement.

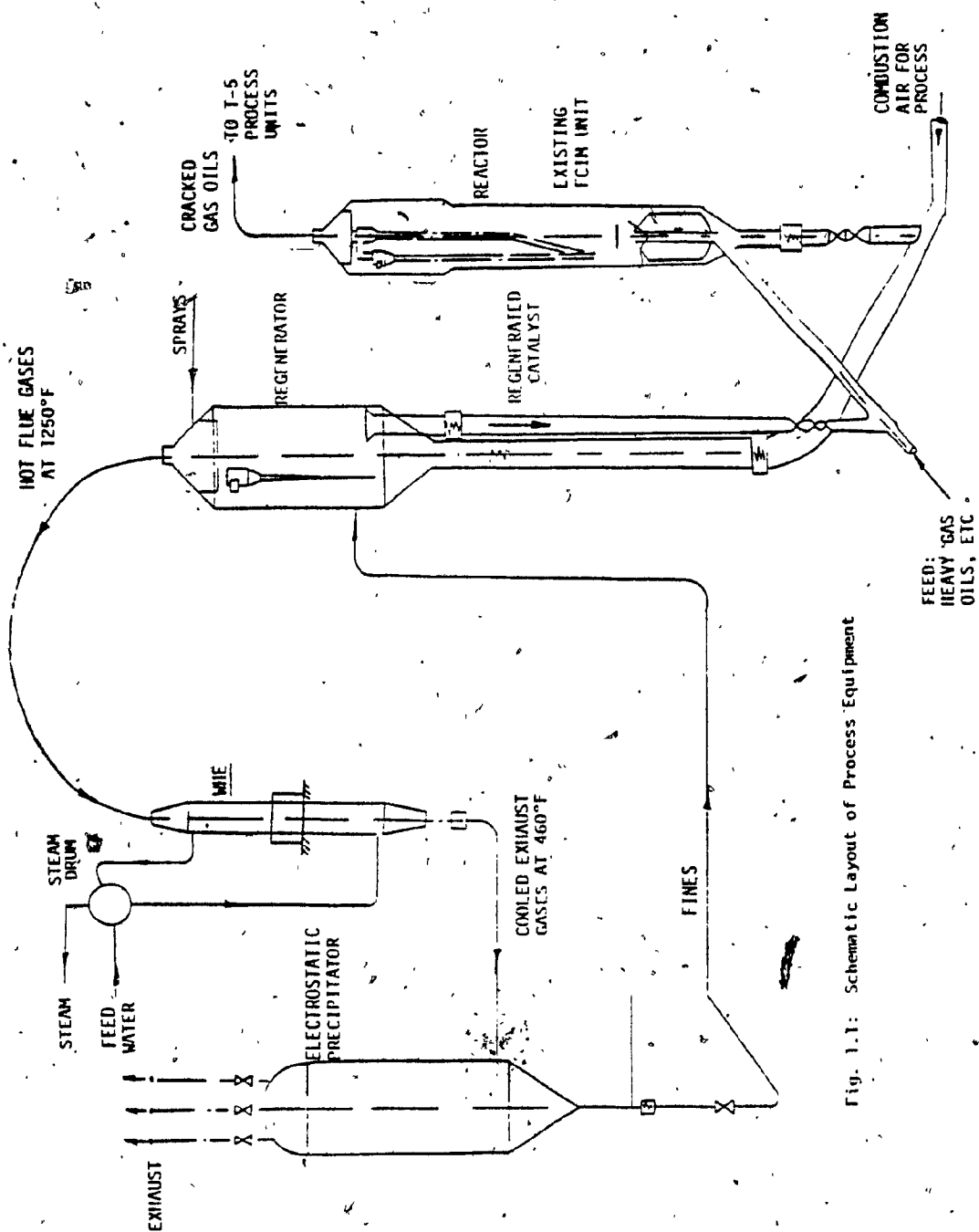


Fig. 1.1: Schematic Layout of Process Equipment

Schematic Outline of Waste Heat
Exchanger System

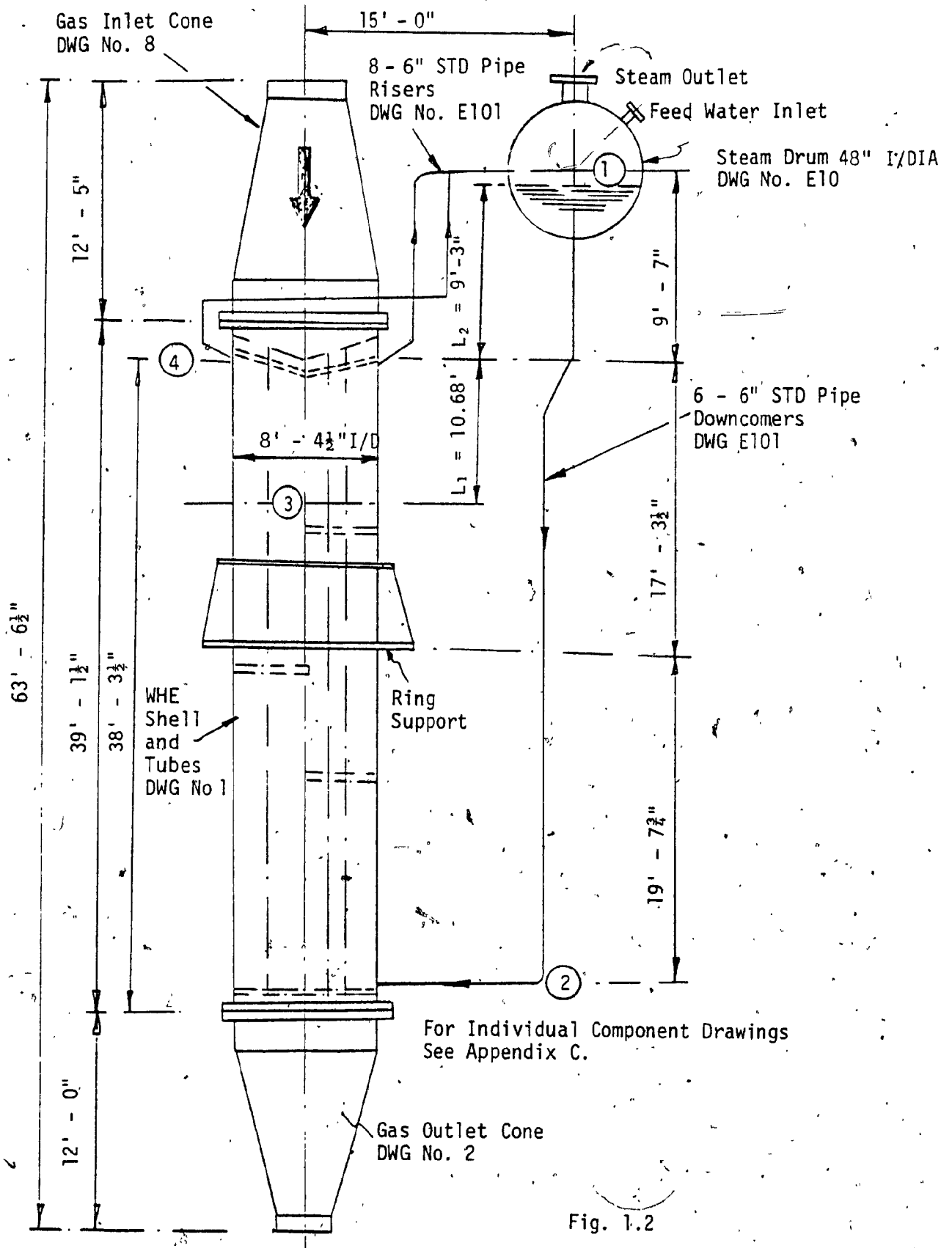


Fig. 1.2

General Fabrication and Performance Information

FIGURE G-3.2
HEAT EXCHANGER SPECIFICATION SHEET

1	Customer Montreal Refinery		Job No.	
2	Address		Reference No.	
3	Plant Location FCIM		Proposal No.	
4	Service of Unit Regenerator Exhaust Gas WHE		Date Jan. 80 Rev.	
5	Size 8' - 6" dia x 37' - 6" type (H/W/Vert)		Item No.	
6	Surf/Unit (Gross/Eff)	Sq Ft. Shells/Unit	Connected In	Parallel Series
7	9118	1		
8	PERFORMANCE OF ONE UNIT			
9	Fluid Allocation		Tube Side	
10	Fluid Name Water and Steam		Exhaust Gases	
11	Fluid Quantity, Total Lb/Hr		186 395 (+8333 Catalyst)	
12	Vapor (In/Out)			
13	Liquid			
14	Steam		43 200 (2)	
15	Water			
16	Noncondensable			
17	Temperature (In Out) °F		186 395 + 8333	
18	Specific Gravity		1250 450	
19	Viscosity, Liquid Cp			
20	Molecular Weight, Vapor			
21	Molecular Weight, Noncondensable		29.58	
22	Specific Heat at 850°F Btu/Lb °F		0.2773 Gas 0.262 Catalyst	
23	Thermal Conductivity Btu Ft/Hr Sq Ft °F			
24	Latent Heat Btu/Lb @ °F			
25	Inlet Pressure in drum Psig		15.3	
26	Velocity Ft S		100 at Tube Inlet	
27	Pressure Drop, Allow. Calc. Psi			
28	Fouling Resistance (Min.)		0.002 0.004	
29	Heat Exchanged 43 092 000		Btu/Hr: MTD (Corrected)	
30	Transfer Rate, Service 14.23		Clean 15.71 Btu/Hr Sq Ft °F	
31	CONSTRUCTION OF ONE SHELL			
32	Design/Test Pressure Psig		Sketch (Bundle/Nozzle Orientation)	
33	Design Temperature °F		MW STEAM DRUM	
34	No. Passes per Shell		MW	
35	Corrosion Allowance In.		MW	
36	Connections In		MW	
37	Size & Rating		MW	
38	Tube No. 470 OD 2.5 In.:Thk (Min) 0.203 In.: Length 36.25 Ft: Pitch 3.5 In. Δ-60			
39	Tube Type Seamless		Material C.S. SA 192	
40	Shell ID 100.5 OD 102 In		Shell Cover (Integ.) (Remov.)	
41	Channel or Bonnet		Channel Cover C.S. Refractory Lined (3)	
42	Tubesheet-Stationary C.S. SA 516 GR 70		Tubesheet-Floating	
43	Floating-Head Cover		Impingement Protection S.S. Ferrules	
44	Baffles-Cross Type		% Cut (Diam/Area) Spacing: c/c Inlet In.	
45	Baffles-Long		Seal Type	
46	Supports-Tube Three C.S. U-Bend		Type	
47	Bypass Seal Arrangement		Tube-Tubesheet Joint	
48	Expansion Joint		Type	
49	Inlet Nozzle		Bundle Entrance Bundle Exit	
50	Gaskets-Shell Side S.S. Jacketed Asbestos		Tube Side S.S. 410 Jacketed Asbestos	
51	Floating Head			
52	Code Requirements ASME Section VIII Div. 1		TEMA Class R	
53	Weight/Shell Filled with Water 321 000		Bundle Lb	
54	Remarks			
55	(1) Vertical Arrangement Thermosyphon WHE, Gas Flow Down.			
56	(2) Saturated Steam From Steam Drum.			
57	(3) Refractory Lined Gas Inlet and Outlet Cones.			
58	(4) Conical Tubesheet to Avoid Vapour Blanketting.			
59	(5) Tubeside Hydrotest Was Replaced by Full Radiography of all Butt Welds.			

STANDARDS OF TUBULAR EXCHANGER MANUFACTURERS ASSOCIATION

TABLE 1.1

CHAPTER 2

CHAPTER 2

THERMAL DESIGN AND VERIFICATION OF ADEQUATE WATER CIRCULATION

2.1 HEAT TRANSFER CALCULATIONS

The basic design information is provided on the data sheet shown in Table 1.1. Standard data sheets like this are used to convey customer's requirements for proposed heat exchangers to fabricators. This data sheet specifies all process conditions, fouling factors and basic data for the thermal and mechanical design of the unit.

2.1.1 Heat Balance

Heat energy available from flue gases and the catalyst which is entrained in the gas stream is calculated using the following equation:

$$\dot{Q} = \dot{M} C_p (T_1 - T_2)$$

$$\begin{aligned}\text{Heat energy from flue gas} &= 186\,395 \times 0.2773(1250 - 450) \\ &= 41\,349\,866 \text{ Btu/hr.}\end{aligned}$$

$$\begin{aligned}\text{Heat energy from catalyst} &= 8\,333 \times 0.262(1250 - 450) \\ &= 1\,746\,600 \text{ Btu/hr.}\end{aligned}$$

$$\dot{Q}_{\text{Total}} = 43\,096\,466 \text{ Btu/hr.}$$

Water-steam

$$\begin{aligned}\dot{Q}_s &= \dot{M}_s (h_s - h_f) \\ &= 43\,200(1195.5 - 198) = 43\,092\,000 \text{ Btu/hr.}\end{aligned}$$

2.1.2 Heat Transfer Coefficients

Reference [1]* "Heat Transfer and Draught Loss in the Tube Banks of Shell Boilers", gives the following equation for heat transfer inside tubes:

$$U_c = \frac{aK}{D} Re^{0.8} \text{ Btu/hr ft}^2\text{°F}$$

where

$$a = \text{constant} = 0.022$$

$$D = \text{inside tube diameter} = \frac{2.5 - 0.44}{12} = 0.1717 \text{ ft.}$$

$$T_g = \text{bulk gas temperature}$$

$$= \frac{T_s + (T_1 - T_s) - (T_2 - T_s)}{\text{Log}_e \frac{T_1 - T_s}{T_2 - T_s}}$$

$$T_s = \text{Tube wall temperature} = 368 + 18 = 386^\circ\text{F}$$

$$T_1 = 1250^\circ\text{F}$$

$$T_2 = 450^\circ\text{F}$$

$$T_g = \frac{386 + (1250 - 386) - (450 - 386)}{\text{Log}_e \frac{1250 - 386}{450 - 386}} = 456^\circ\text{F}$$

K = thermal conductivity of gas at bulk gas temperature

$$T_g, \frac{\text{Btu}}{\text{ft sec}^\circ\text{F}}$$

$$= 0.0215 \frac{\text{Btu}}{\text{ft hr}^\circ\text{F}}$$

$$= 5.972 \times 10^{-6} \frac{\text{Btu}}{\text{ft sec}^\circ\text{F}}$$

$$Re = \text{Reynolds Number} = \frac{DG}{\mu}$$

$$G = \text{Mass velocity of gas, } \frac{\text{lb}}{\text{sec ft}^2}$$

*Number in brackets refer to list of references given at the end of the report.

With 470 - 2.5 in. outside diameter tubes:

$$\text{Gas flow area} = 470 \times \frac{\pi}{4} \times 0.1717^2 = 10.882 \text{ ft}^2$$

$$G = \frac{194,728}{3600 \times 10.882} = 4.9703 \text{ lb/sec ft}^2$$

μ = absolute viscosity at bulk gas temperature

$$= 0.062 \text{ lb/hr ft} = 1.7222 \times 10^{-5} \text{ lb/sec ft}$$

$$Re = \frac{DG}{\mu} = \frac{0.1717 \times 4.9703}{1.7222 \times 10^{-5}} = 4.955 \times 10^4$$

$$U_c = \frac{0.022 \times 5.972 \times 10^{-6} \times (4.955 \times 10^4)^{0.8}}{0.1717}$$

$$= 0.7652 \times 10^{-5} \times 5702.32$$

$$= 0.004364 \text{ Btu/sec ft}^2\text{°F}$$

$$= 15.71 \text{ Btu/Hr ft}^2\text{°F}$$

With gas flow under pressure the heat transfer will be enhanced by about 4 to 5%. Reference [1] does not take into account any fouling factors. Conservatively we can allow for these and take U_c to be gas side film coefficient. Then the resistances are as follows:

$$\text{Water side fouling resistance} = 0.002$$

$$\text{Gas side fouling resistance} = 0.004$$

$$\text{Metal resistance} = \frac{t}{K_s} = \frac{0.22}{12} \times \frac{1}{28.6} = 0.000641$$

$$\text{Gas side film resistance} = \frac{1}{15.71} = 0.06365$$

$$\text{Total resistance} = 0.07029$$

Overall heat transfer coefficient including fouling and tube metal resistance = U

$$U = \frac{1}{0.07029} = 14.23 \text{ Btu/hr ft}^2\text{°F}$$

2.1.3 Required Heating Surface

$$\dot{Q} = U.A \Delta T_{LM}$$

Logarithmic temperature difference = ΔT_{LM}

$$\Delta T_{LM} = \frac{\theta_1 - \theta_2}{\text{Log}_e \frac{\theta_1}{\theta_2}} = \frac{(1250 - 368) - (450 - 368)}{\text{Log}_e \left(\frac{1250 - 368}{450 - 368} \right)}$$

$$= 337^\circ \text{F}$$

$$A_{\text{REQUIRED}} = \frac{\dot{Q}}{U \Delta T_{LM}}$$

$$= \frac{43,096,466}{14.23 \times 337} = 8989 \text{ ft}^2$$

Actual heating surface provided = 9118 ft² with 470 - 2½ in ø/D
x 6 BWG tubes.

2.2 GAS SIDE PRESSURE DROP

The gas side pressure drop through the waste heat exchanger consists of three components as outlined in reference [1].

$$\Delta P = \Delta P_1 - \Delta P_2 + L_T \Delta P_3$$

where

ΔP = total draught loss in w.g.

L_T = tube length in feet

= 37.75 ft including ferrules

ΔP_1 = pressure drop due to contraction at entry to tube bank

= 3 in. WG from Fig. 5, Ref. [1]

ΔP_2 = pressure rise due to reduction in velocity down tube

including allowance for the increase in flow area

= 1.1 in WG from Fig. 6, Ref. [1].

ΔP_3 = pressure drop due to friction

$$= 0.37 \text{ in WG /ft run}$$

$$\Delta P = 3 - 1.1 + 37.75 \times 0.37$$

$$= 15.87 \text{ in WG.}$$

This is acceptable for process conditions under consideration.

2.3 ASSESSMENT OF TUBE METAL TEMPERATURE

In Chapter 5 we will require a realistic estimate of the differential temperature between the tube wall and the cooler WHE shell. The tube temperature is required for the mechanical design of the tubeplates and to check that sufficient number of tube support plates are provided to avoid tube buckling due to compressive tube stresses induced by differential thermal expansion between tubes and the shell.

The waste heat exchanger shell between tubeplates, including support rings and stiffeners, will be completely insulated with 4 in. thick insulation. The top tubeplate will be lined with 7 in. of refractory backed with 2 in. of insulation. The air film heat transfer coefficient from the surface of insulation to the ambient air will be about 2 Btu/hr.ft² °F. The heating and cooling of water in the WHE shell will always be very gradual, never exceeding a maximum rate of about 50°F per hour. Under these conditions, with good circulation, the WHE shell temperature will very closely approach the saturation temperature of the water (or water-steam mixture) inside the shell.

The maximum heat input at gas inlet temperature of 1250°F with water steam mixture temperature of 368°F is

$$\left(\frac{\dot{Q}}{A}\right)_{\text{max inlet}} = h_f \Delta T = 16.5 \times (1250 - 368) = 14553 \frac{\text{Btu}}{\text{hr ft}^2}$$

where $h_f = 16.5 \frac{\text{Btu}}{\text{hr ft}^2 \text{ } ^\circ\text{F}}$ includes an allowance for the fact that the gases are under pressure.

$$\left(\frac{\dot{Q}}{A}\right)_{\text{average}} = 16.5 \left(\frac{1250 + 450}{2} \right) - 368 = 7953 \frac{\text{Btu}}{\text{hr ft}^2}$$

Figures 2.1 and 2.2 are typical boiling curves of water from pools taken from references [3] and [2] respectively. These curves show that Δt_w , the difference between the tube wall and the vapour temperatures for the above two conditions are:

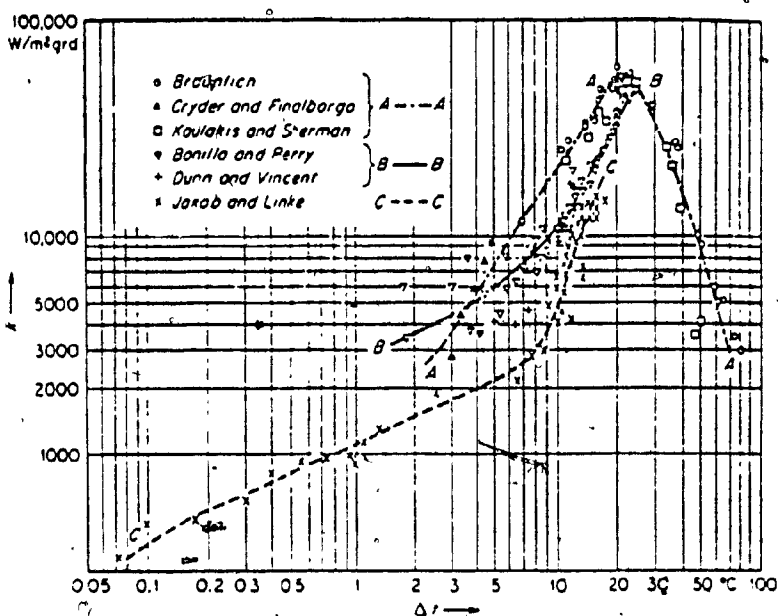
$$1. \text{ At maximum heat flux of } 14553 \frac{\text{Btu}}{\text{hr ft}^2} \\ \Delta t_w = 25^\circ\text{F}$$

$$2. \text{ At average heat flux of } 7953 \frac{\text{Btu}}{\text{hr ft}^2} \\ \Delta t_w = 10^\circ\text{F}$$

Thus for the specified operating condition the maximum Δt_w will be about 25°F . The average tube thickness is 0.22 in for $2\frac{1}{2}''/\text{O} \times 6$ BWG THK tubes. With the specified fouling factors the temperature drop through the tube wall is about 8°F . These considerations show that the average tube wall temperature will be about 20°F above water temperature. This is also in good agreement with reference [1]. For conservative mechanical design, however, we will take the temperature differential between tubes and shell to be 45°F when calculating tube stresses in Chapter 5.

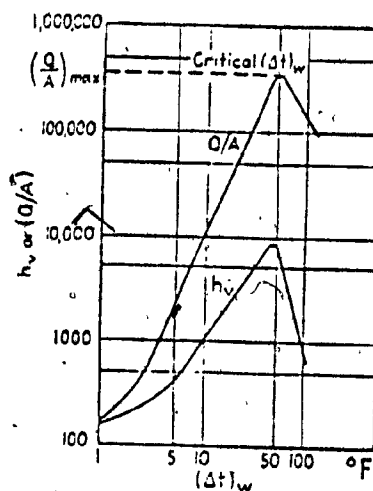
2.4 VERIFICATION OF ADEQUATE WATER CIRCULATION

Feed water is introduced into the WHE system at the steam drum at a temperature of 230°F . In the steam drum 'cold' feed water mixes with steam and saturated water. The resulting mixture in the steam



Heat-transfer coefficient for water boiling on horizontal tubes (A) and on horizontal plates (B, C) at 1 atm. [From W. H. McAdams, "Heat Transmission," 2d ed., McGraw-Hill Book Company. Used by permission. Copyright 1942.]

Fig. 2.1

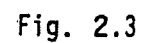


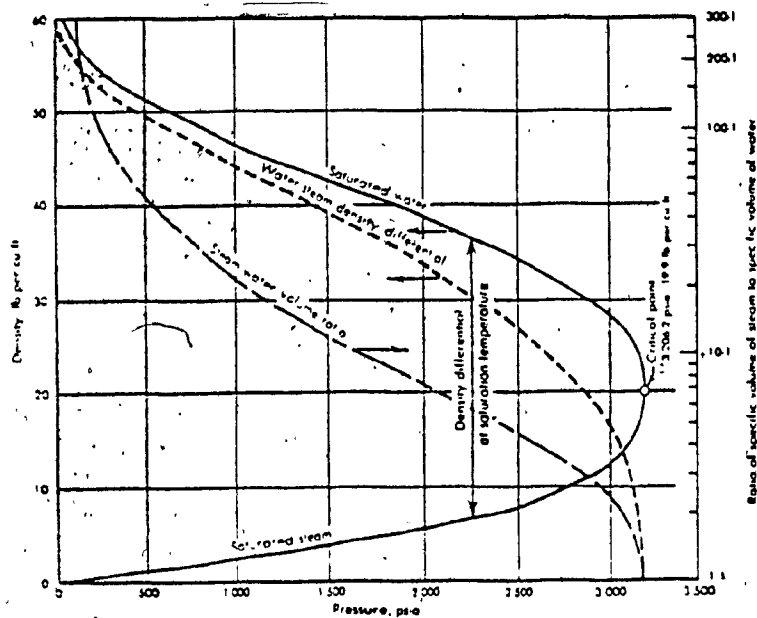
Boiling curve of water from pools. (After McAdams.)

Fig. 2.2

drum is at saturation temperature corresponding to the operating pressure in the steam drum. The WHE system flow circuits are shown in Fig. 2.3. The downcomers, which are not heated, connect the steam drum to the bottom of the vertical waste heat exchanger, which acts as heated riser. Figure 2.4 shows the steam water density differential available for natural circulation. In a natural circulation system, the circulation will increase with increased heat input (and increased steam output) until a maximum value is reached, after which further increase in heat absorption will result in a decrease in flow. The general form of the curve is shown in Fig. 2.5. Two opposing forces are present. The increase in flow results from the increase in the difference of the densities of the respective fluids in downcomers and risers caused by the increase in heat absorption. However, at the same time the friction and impact pressure losses in both downcomers and risers are increasing. When the rate of increase in these losses caused primarily by the increase in specific volume of steam and water mixture in the riser circuits, becomes greater than the gain from increase in available head due to the density differences, the flow rate will begin to drop until an equilibrium is reached.

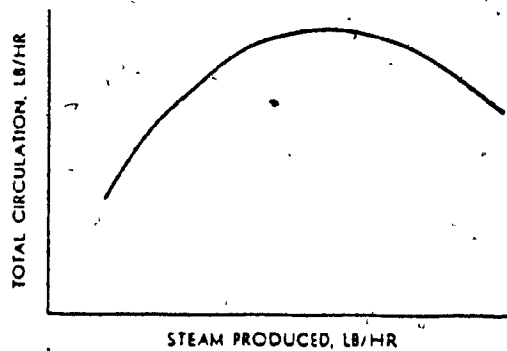
A proper objective, therefore, is always to design all the circuits to operate in the region of the rising part of the curve. When the design is limited to the rising portion of the circulation curve, a natural circulation boiler tends to be self-compensating for the numerous variations in heat-absorption surface cleanliness, nonuniform heating conditions and even the inability to forecast precisely the actual conditions over the operating lifetime.





Steam-water density differential available for natural circulation
(From J. H. Keenan and F. G. Keyes, Thermodynamic Properties of Steam.)

Fig. 2.4



Typical relationship between circulation
in a boiler circuit (at a given pressure) and
amount of steam produced (scale arbitrary)

Fig. 2.5

For the waste heat exchanger circuit, shown in Fig. 2.3, the basic relationships noted will be used to demonstrate the principles of natural circulation, simple in conception but somewhat tedious in application.

For stabilized flow (system in equilibrium), the mass flow in the downcomer must equal the mass flow in the riser. Also, the net pressure at 'A' (Fig. 2.3) of the fluid in the downcomer must be balanced by net pressure of fluid in the riser, that is, the net head, H_d , in the downcomer must equal the net head, H_r , in the riser. This is illustrated in Fig. 2.6. The state of equilibrium is represented by the point at the intersection of the curves.

In most practical design applications an approximate verification of adequate cooling water circulation is sufficient. The following calculations are a conservative estimate of the water circulation in the waste heat exchanger system.

2.4.1 Available Head for Circulation

With reference to Fig. 2.3 we can state the available head for water circulation is H

$$H = L_1 (\rho_1 - \rho_3) + L_2 (\rho_1 - \rho_4)$$

where L_1 and L_2 are heights as defined in Fig. 2.3.

ρ_1 to ρ_4 are the densities of water or water steam mixture being circulated at points indicated.

In the above expression equivalent of L_1 below point 3 has been neglected to allow for pressure drop in steam drum and yield conservative analysis.

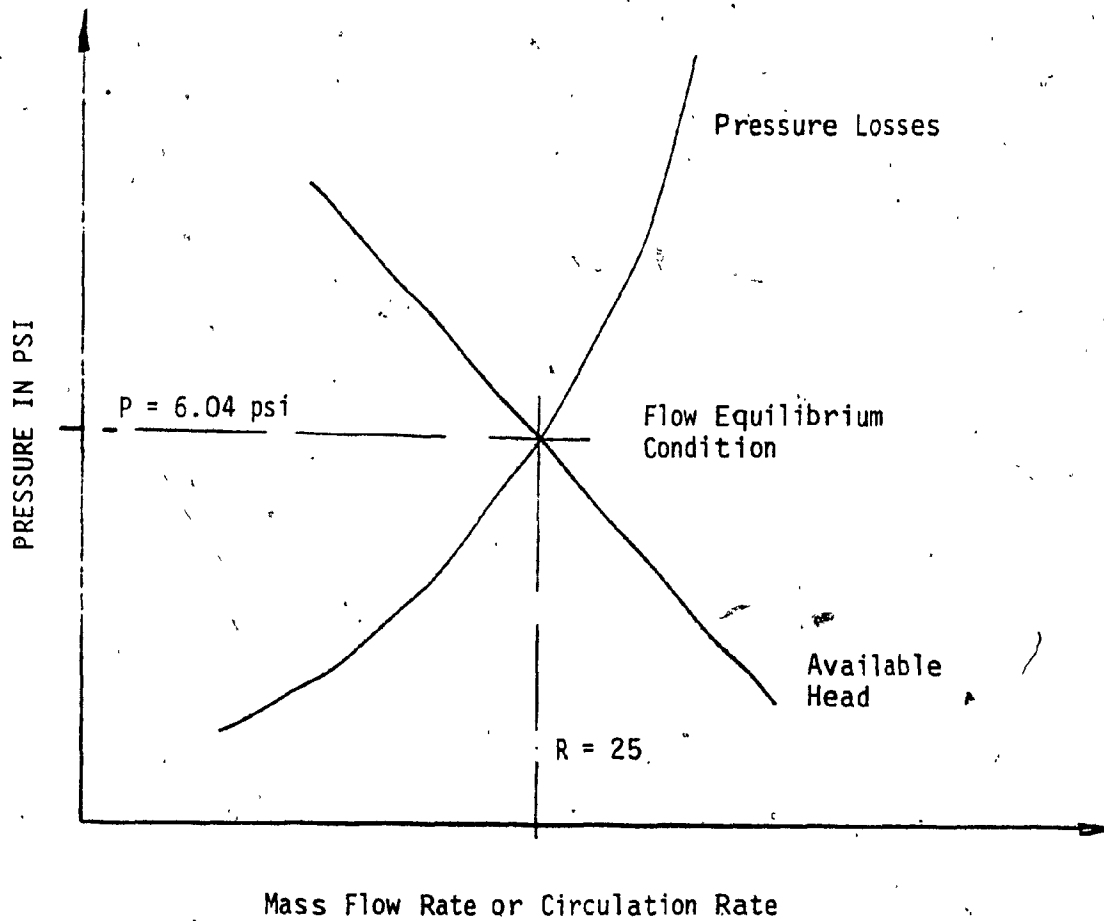


Fig. 2.6: Available Head and Pressure Losses Equilibrium for Specified Waste Heat Exchanger for Constant Output of 43,200 lb/hr.

Under normal operating conditions the pressure at point 1 will be 156 psig. Working from this point we can calculate pressures, specific volumes and densities at all other points. As indicated (see Fig. 2.6) the calculations for the equilibrium flow condition requires a trial and error solution. We will assume a recirculation rate of 25. That is for every pound of steam generated in the WHE there will be an additional 24 lbs of water recirculated through the system. Then we have at point 4:

$$\begin{aligned} P_4 &= P_1 + L_2 \rho_4 \\ &= 156 + 9.25 \times \frac{8.08}{144} \\ &= 156.5 \text{ psig} = 171.2 \text{ psia} \end{aligned}$$

$$V_f = 0.0182 \frac{\text{ft}^3}{\text{lb}} \quad V_g = 2.657 \frac{\text{ft}^3}{\text{lb}}$$

$$V_4 = (1-x) \cdot V_f + x V_g \quad \text{where} \quad x = \frac{1}{R} = \frac{1}{25}$$

$$V_4 = \frac{24}{25} \times 0.0182 + \frac{1}{25} \times 2.657 = 0.1237 \frac{\text{ft}^3}{\text{lb}}$$

$$\rho_4 = \frac{1}{V_4} = 8.081 \frac{\text{lb}}{\text{ft}^3}$$

for point 3

$$V_3 = \frac{1}{2} (V_2 + V_4)$$

Properties at various points are tabulated in Table 1.

$$\begin{aligned} H &= L_1(\rho_1 - \rho_3) + L_2(\rho_1 - \rho_4) \\ &= 10.68 (54.95 - 14.08) + 9.25 (54.95 - 8.081) \\ &= 436.49 + 433.54 = 870.03 \text{ psf} \\ H &= 6.042 \text{ psi with CR} = 25 \end{aligned}$$

TABLE 2.1

PROPERTY \ LOCATION	POINT 1	POINT 2	POINT 3	POINT 4
Gauge pressure psig	156	173.6	—	156.5
Absolute pressure psia	170.7	188.3	—	171.2
V_f specific volume liquid	0.0182	0.0183	—	0.0182
V_g specific volume vapour	2.660	2.430	—	2.657
V_m specific volume ft ³ /lb	0.0182	0.0183	0.071	0.1237
P_m specific density lb/ft ³	54.95	65.65	14.08	8.081

Properties of water and steam and water mixture at various locations in the WHE as identified in Fig. 2.3.

2.4.2 Pressure Losses in WHE Circuits

Having calculated the available head with recirculation rate of 25, next step is to calculate the pressure drop through the WHE system with this recirculation rate.

Steam generated in shell = \dot{M}

$$\dot{M} = \frac{\dot{Q}}{r} = \frac{43\,096\,466}{1196.5 - 346.1} = 50\,678 \text{ lb/hr}$$

with CR = 25 total mass being circulated is $25 \times 50\,678 = 1\,266\,950 \text{ lb/hr}$.

The pressure losses in the piping were calculated using the formulae listed below:

1. The loss due to friction ΔP_F is obtained from

$$\Delta P_F = \frac{fL \cdot V}{d_i} \left(\frac{G}{100\,000} \right)^2 \text{ lb/in}^2$$

where

f = friction factor from reference [4] using Reynolds Number (R_e).

$$R_e = \frac{G d_i}{12 \mu}$$

G = mass flow based on pipe internal diameter $\frac{\text{lb}}{\text{hr ft}^2}$

d_i = internal diameter ----- in.

μ = mean absolute viscosity --- lb/hr ft

L = pipe length including developed length of bends ----- ft

V = mean specific volume ----- ft³/lb

2. The loss due to bends ΔP_B in addition to the friction loss through the developed length is obtained from

$$\Delta P_B = F_B \frac{V}{12} \left(\frac{G}{100\,000} \right)^2 \text{ lb/in}^2$$

where F_B = bend factor

= 0.5 for 90° elbow

= 0.5 for 45° elbow including the increase for
close location to another bend.

3. Loss due to inlet and outlet ΔP_S is obtained from

$$\Delta P_S = 1.5 \frac{V}{12} \left(\frac{G}{100\,000} \right)^2 \text{ ----- lb/in}^2$$

4. The loss due to a contraction in cross section for con-
figuration used is obtained from

$$\Delta P_C = 0.5 (1 - RA) \frac{V}{12} \left(\frac{G}{100\,000} \right)^2 \text{ ----- lb/in}^2$$

where RA = ratio of the smaller area to the larger area.

5. The loss due to an enlargement in cross section for con-
figuration used is obtained from

$$\Delta P_E = 0.8 (1 - RA)^2 \frac{V}{12} \left(\frac{G}{100\,000} \right)^2 \text{ ----- lb/in}^2$$

The shell-side pressure drop is calculated using the following equation
from Kern reference [2]:

$$\Delta P_{Sh} = \frac{f G_S^2 D_S (N + 1)}{5.22 \times 10^{10} D_e S \phi_S} \text{ ----- psi}$$

where G_S was based on $a_S = \frac{ID \times C' \times B}{P_T \times 144}$

$C' = 1$ in

$B = 7' - 6" = 90$ in

$P_T = 3.5$ in

$ID = 100.5$ in

$D_e = \frac{4 \times \text{free area}}{\text{wetted perimeter}}$

$$D_s = 8.375 \text{ ft}$$

$$\text{free area} = a_F = \frac{\pi}{4} (8.375)^2 - 470 \frac{\pi}{4} \left(\frac{2.5}{12}\right)^2 = 39.06 \text{ ft}^2$$

$$\begin{aligned} \text{wetted perimeter} &= 470 \times \frac{2.5}{12} + 8.375 \\ &= 307.61 + 26.31 \\ &= 333.9 \text{ ft} \end{aligned}$$

$$\therefore D_e = 0.468 \text{ ft}$$

$$\phi_s = 1$$

$$S = \frac{\rho_3}{\rho} = \frac{14.244}{62.4} = 0.23 = \text{specific gravity}$$

$$N+1 = 12 \frac{L_T}{B} = \frac{12}{12} \times \frac{37}{7.5} = 5$$

$$\Delta P_{Sh} = \frac{0.0017 \times 70819^2 \times 8.375 \times 5}{5.22 \times 10^{10} \times 0.468 \times 0.23 \times 1} = 0.064 \text{ psi Say } \Delta P_{Sh} = 0.15 \text{ psi}$$

The pressure losses in the WHE system are summarized in Table 2.2.

From Table 2.2 it can be seen that with circulation rate of 25 available head of 6.042 psi is very close to total pressure losses in the WHE circuits. Hence WHE will have CR of at least 25 thus ensuring adequate cooling water supply to the heating surfaces.

TABLE 2.2

ITEM	PRESSURE DROP PSI
Downcomers: 6 - 6" STD Wall Pipes	
Entry and Exit ΔP_S	0.337
Friction in Pipes ΔP_F	0.3442
Bend Loss ΔP_B	0.2976
Changes in Sections ΔP_E	0.0210
ΔP	
Risers: 8 - 6" STD Wall Pipes	
Entry and Exit ΔP_S	1.264
Friction in Pipes ΔP_F	0.8587
Bends ΔP_B	1.914
Changes in Sections ΔP_E	0.0773
Shell ΔP_{Sh}	0.15
Steam Drum Assumed	0.75
Total Pressure Losses	6.014
Available Head From Table 2.1	6.042 psi

Summary of pressure losses in WHE
circuits with recirculation rate
of 25.

CHAPTER 3

CHAPTER 3

ASSESSMENT OF FLOW INDUCED TUBE VIBRATION

In the operation of tubular heat exchangers, vibration of the tubes can be induced by fluid flowing over the tube array either in cross flow or in axial flow.

Tubes in cross flow have worn through and failed due to oscillatory contacts with adjacent tubes [5,6] or with support bars [7]. Fatigue failures of tubes at clamping locations have also been reported [8]. Tubes experiencing axial flow are also subject to flow induced vibration [9,10]. While some of the excitation can be attributed strictly to the fluid flowing parallel to the tubes, Paidousis [10] suggests that the cross flow components that also exist in any real axial flow situation can have significant effect on vibration amplitude. Therefore cross flow excitation mechanisms are usually the dominant cause of tube vibration.

The objective of a manufacturer of heat exchange equipment is to provide assurance that a given design will perform reliably. The approach presented below is a method which will permit us to accomplish this objective. There certainly are other valid approaches which could be considered as alternatives.

3.1 APPROACH TO ANALYSIS

Failure of a heat exchanger from tube vibration can result from three basic mechanisms. The first is mechanical wear of the tube caused by rubbing at the support or impacting with adjacent tubes. The thinning of the tube wall can result in rupture from operating pressure. The

second mechanism, fretting corrosion (or fretting) is a result of mechanical wear and motion which is so limited that the corrosion debris is not removed from the area of contact and metallurgically accelerates the attack on the tube wall. The third mechanism, fatigue cracking, can occur if bending stresses due to vibration are high.

The two causes of these mechanisms are characterized as follows:

1. Relative motion.
2. Environmental effects.

Relative motion is not a concern if (a) the tubes do not impact, (b) the support does not abrade the tube, and (c) high bending stresses do not occur. What emerges here is that all these "if's" relate to design and fabrication factors.

Concurrently, environmental effects are not a problem if, (a) the effects of coolant purity, temperature, flow velocity, and physical characteristics are known, and (b) the effects of the specified material such as surface finish, hardness, surface composition and other material characteristics are known. These again are large "if's" and require experiments and proof tests for resolution.

In the design of this WHE, the use of too many baffles or support plates impedes the flow of water due to natural circulation. Yet some support plates were necessary to facilitate fabrication of the unit, the initial dimensions of which were arbitrarily selected. Following are good design guidelines:

- (a) If possible, eliminate high velocities (using baffles, distributors, etc.).

(b) If possible, direct the flow parallel to tubes at least in the vicinity of the high velocity head.

(c) Avoid long limber runs of tubes.

(d) Raise the natural frequency of tubes as much as possible (by employing the bars, clips, etc. addition to tube supports).

(e) Tube supports that clamp onto the tubes with minimal clearances are desirable from vibration viewpoint but may not always be acceptable for flow considerations.

We will now quantitatively assess flow induced vibrations.

3.2 CALCULATION OF NATURAL FREQUENCIES OF TUBES

The natural frequencies of the tubes will be calculated using the procedure outlined in the TEMA STANDARDS [11].

The tubes are assumed to be pinned or hinged at the support plate, and clamped at extreme ends at the tube plates as shown in Figs. 3.1 and 3.2.

The tube natural frequency, f_n , in Hertz, is given by

$$f_n = \frac{3.36 C}{l^2} \sqrt{\frac{E I}{W}}$$

where C = mode constant as shown in Figs 3.1 and 3.2

l = span length, inches

E = modulus of elasticity

I = 27.6×10^6 psi

I = moment of inertia = 0.9628 in^4

W = $W_t + W_{fi} + MW_{fo}$ lb/ft

W_t = weight of empty tube

= 5.56 lb/ft

W_{fi} = weight of fluid inside tube

$$\begin{aligned} &= 0.00545 \rho_i d_i^2 \\ &= 0.00545 \times 0.08598 \times 2.094^2 \\ &= 0.0021 \text{ lb/ft} \end{aligned}$$

W_{fo} = weight of fluid displaced by tube

$$\begin{aligned} &= 0.00545 \rho_o d_o^2 \\ &\text{for conservative assessment} \\ &\text{use } \rho_o = 54.95 \text{ lb/ft}^3 \\ &= \text{density of water} \end{aligned}$$

$$\begin{aligned} W_{fo} &= 0.00545 \times 54.95 \times 2.5^2 \\ &= 1.872 \text{ lb/ft} \end{aligned}$$

M = added mass coefficient = 2.26

$$\begin{aligned} W &= 5.56 + 0.0021 + 2.26 \times 1.872 \\ &= 9.793 \text{ lb/ft} \end{aligned}$$

d_o = diameter of tube, inches

First mode natural frequency for the two span tubes as shown in Fig. 3.1.

$$\begin{aligned} f_{N_1} &= \frac{3.36 \times 49.59}{223.5^2} \sqrt{\frac{27\ 600\ 000 \times 0.9628}{9.793}} \\ &= 5.5 \text{ Hz} \end{aligned}$$

Second mode natural frequency for the two span tubes

$$\begin{aligned} f_{N_2} &= \frac{3.36 \times 72.36}{223.5^2} \sqrt{\frac{27\ 6000\ 000 \times 0.9628}{9.793}} \\ &= 8.02 \text{ Hz} \end{aligned}$$

Now consider the tubes with two support plates, as shown in Fig. 3.2.

The solution is a conservative approximation which will provide lower estimate of the actual natural frequencies.

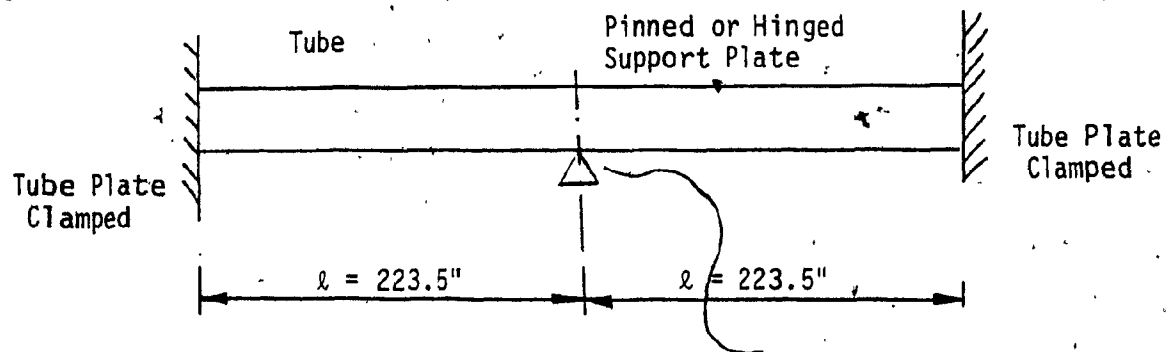


Fig. 3.1: Two Span Tubes
C = 49.59 For First Mode
C = 72.36 For Second Mode

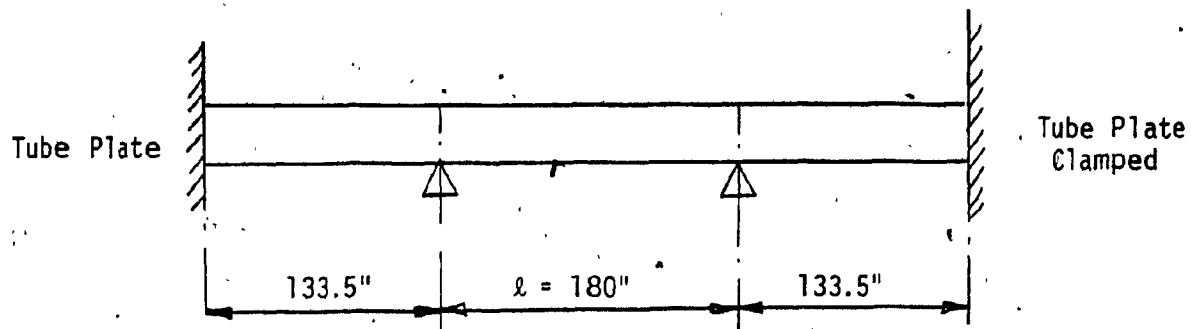


Fig. 3.2: Three Span Tubes
C = 40.52 For First Mode
C = 59.56 For Second Mode

$$f_{N_1} \approx \frac{3.36 \times 40.52}{180^2} \sqrt{\frac{27\,600\,000 \times 0.9628}{9.793}}$$

$$= 6.92 \text{ Hz}$$

$$f_{N_2} \approx \frac{3.36 \times 59.26}{180^2} \sqrt{\frac{27\,600\,000 \times 0.9628}{9.793}}$$

$$= 10.18 \text{ Hz}$$

3.3 ESTIMATE OF FLOW VELOCITIES

For the purpose of vibration analysis we will use a recirculation rate of 30 to obtain a conservative estimate of the flow velocities.

Then at exchanger inlet we have liquid flow at point A, Fig. 2.3.

$$\text{Specific volume at A} = V_A = 0.0182 \frac{\text{ft}^3}{\text{lb}}$$

$$\text{Density at A} = \rho_A = 54.95 \text{ ft}^3/\text{lb}$$

Flow velocity, U, parallel to tubes is

$$U = \frac{\dot{M}_S}{a_f} \frac{V_1}{3600}$$

$$\dot{M}_S = 50\,678 \text{ lb/hr of steam from Para. 2.4.2}$$

$$R = 30$$

a_f = free flow area parallel to tubes

$$= 39.06 \text{ ft}^2 \text{ from Para. 2.4.2.}$$

$$U_{PA} = \frac{30 \times 50\,678}{39.06} \times \frac{0.0182}{3600} = 0.197 \frac{\text{ft}}{\text{sec}}$$

Flow velocity normal to tubes U_{NA} is to be based on the minimum shell side or bundle cross flow area, a_s which is given by

$$a_s = \frac{ID \times C'B}{P_T \times 144}$$

where ID = 100.5 in

$$C' = P_T - d = 3.5 - 2.5 = 1.0 \text{ in}$$

$$B = 90 \text{ in}$$

$$P_T = 3.5 \text{ in}$$

$$a_s = \frac{100.5 \times 1 \times 90}{3.5 \times 144} = 17.95 \text{ ft}^2$$

To obtain conservative estimate velocity assume all flow is cross flow then

$$U_{NA} = \frac{30 \times 50678 \times 0.0182}{17.95 \times 3600} = 0.43 \frac{\text{ft}}{\text{sec}}$$

Consider now the two phase flow. The specific volume of steam and water mixture leaving WHE is V_{out} .

$$V_{out} = \frac{29}{30} \times 0.0182 + \frac{1}{30} \times 2.616 = 0.1048 \frac{\text{ft}^3}{\text{lb}}$$

$$\rho_{out} = 9.543 \text{ lb/ft}^3$$

$$\begin{aligned} V_{average} &= \frac{1}{2} (V_{out} + V_{in}) \\ &= \frac{1}{2} (0.0182 + 0.1048) \\ &= 0.0615 \text{ ft/lb} \end{aligned}$$

$$\rho_{average} = 16.26 \text{ lb/ft}^3$$

Average flow velocity parallel to tubes - two phase

$$U_p = \frac{30 \times 50678 \times 0.0615}{39.06 \times 3600} = 0.665 \text{ ft/sec}$$

Average cross flow velocity - two phase maximum

$$U_N = \frac{30 \times 50678 \times 0.0615}{17.95 \times 3600} = 1.446 \text{ ft/sec}$$

Two phase velocity near waste heat exchanger outlet

$$U_p = 30 \times \frac{50678}{39.06} \times \frac{0.1048}{3600} = 1.133 \text{ ft/sec}$$

The cross flow velocity near the WHE outlet will be adjusted to allow for the steam-water mixture exiting around the WHE periphery.

The flow area will be corrected to allow for the actual configuration.

$$\begin{aligned} \text{Say flow area} &= 2 a_s = 2 \times 17.95 \\ &= 35.90 \text{ ft}^2 \end{aligned}$$

$$\begin{aligned} U_N &= 30 \times \frac{50678}{35.90} \times \frac{0.1048}{3600} \\ &= 1.23 \text{ ft/sec} \end{aligned}$$

3.4 VIBRATION EXCITATION MECHANISMS

Generally in cross flow, we consider three basic flow-induced vibration excitation mechanisms, namely:

1. Periodic wake shedding.
2. Fluidelastic instability.
3. Random excitation due to flow turbulence.

The last two mechanisms have been observed in both liquid and two-phase cross flow. Periodic wake shedding resonance is possible in liquid flow but has not been observed in two-phase flow. Either it does not exist or it is dominated by the response to random turbulence.

We will now investigate these flow induced vibration excitation mechanisms.

3.4.1 Periodic Wake Shedding

Periodic wake shedding would generate periodic forces in tube bundles. The periodic formation of vortices downstream of an isolated

cylinder is a well understood phenomena called Kármán Vortex Shedding. What happens in closely packed bundles of tubes is not so well understood. Vortex shedding is possible but should be much affected by the close proximity of adjacent and particularly downstream tubes. Buffeting is also possible as a tube may be subjected to periodic forces due to the wake shed by an upstream tube. Whatever the mechanism, if the wake shedding frequency coincides with the i th natural frequency of the tube, resonance may occur in the i th mode. This may be a problem if the vibration response is large enough to control the mechanism of periodic wake shedding. Then the periodic forces become spatially correlated to the mode shape. This phenomenon will be considered in the vibration analysis:

The frequency, f , of the forcing function is given by

$$f = \frac{S_t K_v V}{d_o}$$

where S_t = Strouhal Number

$$= 0.35 \text{ for } R_e = 95\,000$$

$$\left. \begin{array}{l} X_t = 1.4 \\ X_L = 1.4 \end{array} \right\} \text{conservative}$$

$K_v V$ = maximum cross flow velocity

$$= 1.446 \text{ ft/sec}$$

$$d_o = \text{tube diameter} = \frac{2.5}{12} = 0.2083 \text{ ft}$$

$$f = \frac{0.35 \times 1.446}{0.2083} = 2.43 \text{ Hz}$$

$$\therefore \frac{f}{f_N} = \frac{2.43}{5.5} = 0.442$$

This is considered to be acceptable.

Magnitude of the forcing function

$$F_S = C_L \rho \frac{V^2}{2g_c} A_T$$

$$C_L = \text{lift coefficient} = 1$$

$$F_S = 1 \times \frac{16.25 \times 1.446^2}{2 \times 32.2} \times \frac{2.5}{12}$$

$$= 0.11 \text{ lb/ft}$$

Maximum dynamic deflection at resonance is

$$X = \frac{K F_S}{M_0 \omega_n^2}$$

$$\zeta = \text{damping factor}$$

$$= 0.081 \text{ Pettigrew et al, [20]}$$

$$\text{Magnification factor, } K = \frac{X}{X_0}$$

$$K = \frac{1}{\sqrt{\left(1 - \frac{\omega}{\omega_n}\right)^2 + \left[2\zeta\left(\frac{\omega}{\omega_n}\right)\right]^2}}$$

$$\text{at resonance } \omega = \omega_n$$

$$\therefore K = \frac{1}{2\zeta} = 6.17$$

$$\therefore X = \frac{6.17 \times 0.11}{9.793 (2\pi \times 5.5)^2} = \frac{\text{lb ft}}{\text{ft}} \frac{\text{ft}}{\text{lb}} \text{ sec}^2 \left[\frac{\text{lb 32.2 ft}}{1 \text{ lb ft s}^2} \right]$$

$$= 0.00187 \text{ ft} = 0.0224 \text{ in}$$

Hence the deflection is negligible. The tube stress corresponding to this deflection is only 220 psi which is also negligible. The fatigue endurance limit of the tube material is about 11 700 psi.

3.4.2 Fluidelastic Excitation

Fluidelastic instabilities are possible in a tube bundle subjected to cross flow when the interaction between the motions of the individual tubes is such that it results in fluid force components that are both proportional to tube displacements and in-phase with tube velocities. Instability occurs when during one vibration cycle the energy absorbed from the fluid forces exceeds the energy dissipated by damping.

For tube bundles subjected to uniform flow over their entire length the following equation applies:

$$\frac{U}{f_N D} = K_C \sqrt{\frac{M_0 \delta}{\rho D^2}}$$

where U = reference gap velocities as calculated above in 3.3

f_N = natural frequency

D = tube outside diameter

= 0.2083 ft

K_C = Connors Number which must be less than 3.3 for safe design

δ = Logarithmic Decrement

M_0 = mass per unit length = $\frac{9.763}{12}$ = 0.82 lb/in

ρ = fluid density

d_o = tube diameter

$\delta = \frac{C_d}{2M_0 f_1}$

C_d = viscous damping coefficient

= $d_c C_n$

C_n = normalized viscous damping coefficient

= $400 \frac{\text{kg}}{\text{SM}^2}$ for water = $1400 \frac{\text{kg}}{\text{SM}^2}$ for two-phase mixtures

Consider first the liquid flow

$$C_d = d_o C_n = 2.5 \times \frac{25.4}{1000} \times 400$$

$$= 25.4 \frac{\text{kg}}{\text{SM}} = 1.41 \frac{\text{lb}}{\text{in sec}}$$

$$\delta = \frac{C_d}{2M_o f_N}$$

$$= \frac{1.41}{2 \times 0.82} \times \frac{1}{5.5} \frac{\text{lb}}{\text{in sec}} \frac{\text{in}}{\text{lb}} \text{ sec}$$

$$= 0.157$$

$$\therefore \text{Critical } U = f_N D K_c \sqrt{\frac{M_o \delta}{\rho D^2}}$$

$$= 5.5 \times \frac{2.5}{12} \times 3.3 \sqrt{\frac{0.82 \times 0.157 \times 1728}{54.95 \times 2.5^2}}$$

$$= 5.5 \times \frac{2.5}{12} \times 2.66$$

$$= 3.04 \text{ ft/sec}$$

$$\text{Ratio } \frac{U_{\text{CRIT}}}{U_{\text{ACT}}} = \frac{3.04}{0.43} = 7.08 > 1 \quad \text{OK}$$

Now consider two-phase flow

$$C_d = d_o C_n = \frac{2.5 \times 25.4}{1000} \times 1400$$

$$= 88.9 \frac{\text{kg}}{\text{SM}} \left[\frac{2.2 \text{ lb}}{1 \text{ kg}} \right] \left[\frac{1 \text{ M}}{3.281 \text{ P}_T} \right] \left[\frac{1 \text{ ft}}{12 \text{ in}} \right]$$

$$= 4.96 \frac{\text{lb}}{\text{in sec}}$$

$$\delta = \frac{C_d}{2M_o f_N} = \frac{4.96}{2 \times 0.82 \times 5.5} = 0.55$$

$$\text{Critical } U = 5.5 \times \frac{2.5}{12} \times 3.3 \sqrt{\frac{0.82 \times 0.55 \times 1728}{16.26 \times 2.5^2}}$$

$$U_c = 10.47 \text{ ft/sec}$$

$$\text{Ratio } \frac{U_c}{U_A} = \frac{10.47}{1.446} = 7.24 > 1 \quad \text{OK}$$

3.4.3 Random Turbulence

Turbulent buffeting is another mechanism sometimes considered in tube vibration analysis. P.R. Owens [21] developed a criterion for predicting damaging vibration by this mechanism using the following equation:

$$\frac{fL}{U} \cdot \frac{T}{d} = 3.05 \left(1 - \frac{d}{T}\right)^2 + 0.28$$

where f = frequency at which most energetic eddies encounter tubes, Hz

L = longitudinal spacing between tubes, ft

U = velocity between tubes, ft/sec

T = transverse spacing between tubes, ft

d = tube diameter, ft

$$\begin{aligned} \therefore f &= \frac{U}{L} \left(\frac{d}{T}\right) 3.05 \left(1 - \frac{d}{T}\right)^2 + 0.28 \\ &= \frac{1.446}{3.5} \times 12 \times \frac{2.5}{12} \times \frac{12}{3.5} 3.05 \left(1 - \frac{2.5}{3.5}\right)^2 + 0.28 \\ &= 1.87 \text{ Hz} \end{aligned}$$

$$\frac{f_{\text{TURBULENCE}}}{f_{\text{NAT}}} = \frac{1.87}{5.5} = 0.34 \quad \text{OK}$$

3.4.4 Use of Further Published Literature

Some purchasers and designers prefer to use the simplified criteria presented by J.T. Thorngren [22].

This paper gives two equations to assess the so called baffle type damage and the tube collision type damage.

The criteria for baffle type damage is given by the following dimensionless number, N_{BD} .

$$N_{BD} = \frac{D \rho U^2 \ell^2}{F_B S_M g_C A_M B_t}$$

A safe value of N_{BD} would be less than one,

where D = tube diameter = 2.5 in

ρ = fluid density = 16.26 lb/ft³

U = fluid velocity = 1.446 ft/sec

ℓ = length of tube between supports = 223.5 in

F_B = tube to support clearance factor
= 1

S_M = maximum allowable fatigue stress
= 11,700 psi

g_C = gravitational constant = 32.2 $\frac{ft}{s^2}$

A_M = tube cross sectional metal area
= 1.45 in²

B_t = support plate thickness = 0.75 in

$$N_{BD} = \frac{2.5 \times 16.26 \times 1.446^2 \times 223.5^2}{1 \times 11,700 \times 32.2 \times 1.45 \times 0.75}$$

$$= \frac{in \frac{lb}{ft^3} \frac{ft^2}{s^2} \frac{in}{lb_F} \frac{in^2}{in^2} \frac{sec^2}{ft} \frac{1}{in} \left[\frac{ft^2}{144 in^2} \right]}{0.072 < 1.0 \text{ OK}}$$

The criteria for collision type damage is given by

$$N_{CD} = \frac{0.625 D \rho U^2 \ell^4}{F_B^4 g_C A_M (D^2 + d_i^2) C_T E}$$

where symbols are as above and

d_i = tube inside diameter = 2.1 in

C_T = minimum clearance between tubes = 1 in

E = 27.6×10^6 psi

Again, safe design criterion is for N_{CD} to be less than one.

$$N_{CD} = \frac{0.625 \times 2.5 \times 16.26 \times 1.446^2 \times 223.5^4}{1 \times 32.2 \times 1.45 (2.5^2 + 2.1^2) 1 \times 27\,600\,000}$$

$$\text{in } \frac{\text{lb}_F}{\text{ft}^3} \frac{\text{ft}^2}{\text{s}^2} \frac{\text{in}^4}{\text{in}^2} \frac{\text{s}^2}{\text{ft}} \frac{1}{\text{in}^2} \frac{1}{\text{in}} \frac{\text{in}^2}{\text{lb}_F} \left[\frac{\text{ft}^2}{144 \text{ in}^2} \right]$$

$$= 0.067 < 1 \quad \text{OK}$$

3.5 CONCLUSIONS FROM VIBRATION ANALYSIS

The calculations presented in Chapter 3 gives assurance that no flow induced vibration problem is expected when the WHE unit is operated in accordance with the specified normal operating conditions.

CHAPTER 4

CHAPTER 4

CODE REQUIREMENTS AND BASIC DESIGN CALCULATIONS

Heat exchangers and other pressure vessels were originally constructed with rivetted joints. During the past forty years, fusion welding has been developed to the degree that it is now completely acceptable to the Provincial Department of Labour as a method of joining pressure parts. The continuing improvement of welding techniques has resulted in fusion welding being adopted by industry as virtually the only method of joining parts for pressure vessels. In most larger and more modern plants, fabricating pressure vessels, the main weld seams are now made with automatic welding machines. This type of welding equipment greatly reduces fabrication time and costs and also improves the quality of the welds.

Every Province of Canada has legally adopted Canadian Standards Association (C.S.A.) Standard No. B51 which embodies the American Society of Mechanical Engineers (A.S.M.E.) Boiler and Pressure Vessel Code, Sections I to XI inclusive, to govern the design and construction of power boilers and pressure vessels. Section VIII, Division I of the ASME Code entitled "Pressure Vessels" is the section governing the design and construction of this waste heat exchanger. Standards of Tubular Exchanger Manufacturers Association (TEMA) Class R was also implemented, while the piping design and fabrication was governed by the Refinery Piping Code ANSI B 31-3 [14].

Based on the requirements of Section VIII of the ASME Code and current construction practices, the principal components of the waste

heat exchanger, as shown on drawings enclosed in Appendix C, may be discussed as follows.

4.1 MATERIALS

Part UG of the code gives the general requirements for materials and allowable stresses are given in Table UCS 23 in Subsection C [13]. The materials selected are summarized on drawing GN 1.

4.2 WHE PRESSURE PART DESIGN

The design data is given on drawing GN 1.

4.2.1 Shell: Subjected to Internal Pressure

The shell is usually formed by rolling flat plates to the required diameter and welding the seams. The formula specified in Paragraph UG 27C of the code to determine the minimum thickness of the shell plate is

$$t = \frac{PR}{SE - 0.6P} + C'$$

where t = minimum thickness of the shell in inches

P = design internal pressure = 200 psig

S = allowable stress for material

= 17 500 psi for SA 516 GR 70

R = inside radius of the shell in inches = 50.50 in

E = joint efficiency

= 1.0 for full penetration double butt joint,
fully radiographed

C' = corrosion allowance = 0.125 in as specified by the purchaser.

$t = 0.5812 + 0.125 = 0.7063$ in

$\frac{3}{4}$ in thick plate was used for the exchanger shell.

This simple formula is derived from the Lamé equation. This formula was used for determining the thickness required for all cylindrical sections, such as shell, nozzles, tubes, subjected to internal pressure.

4.2.2 Tubes Subjected to External Pressure

The hot gases passing through the tubes are at 15.3 psig while steam and water on the outside of tubes are at a design pressure of 200 psig. The equations of membrane theory are not valid when the pressure is applied on convex side of a shell of revolution. Instead of the tensile hoop stress, the ability of the shell to withstand local buckling becomes the governing factor to prevent collapse. The rules for determining thickness of shells and tubes under external pressure are given in Paragraph UG 28 of the code.

The tubes are fastened to the tube plates by roller expanding and seal welding. The actual tubes used are 470 - 2½" o/D x 0.200" minimum thickness.

Then using

$$\frac{D_o}{t} = \frac{2.5}{0.2} = 12.5 > 10$$

$$\frac{L_T}{D_o} = \frac{450}{2.5} = 180$$

A = 0.0075 from Fig. UG 28.0 in Appendix V of code.

B = 13,000 psi for SA 516 GR 70 again from Appendix V.

$$\begin{aligned} \text{Allowable external pressure } P_a &= \frac{4B}{3 \frac{D_o}{t}} \\ &= \frac{4 \times 13,000}{3 \times 12.5} = 1386 \text{ psi} > 200 \text{ psi} \end{aligned}$$

Hence, $2\frac{1}{2}$ O/D x 0.200" thk tubes are acceptable for the design external pressure.

4.2.3 Openings and Reinforcement

The code gives rules for providing openings in pressure vessels in Paragraphs UG-36 through UG-46. The general objective in providing openings in pressure vessels is, of course, to make the opening in such a way that the strength of the vessel is not reduced. For very small, widely scattered openings, nothing needs to be done to prevent a significant reduction in strength and UG-36 permits such openings up to certain sizes in certain thicknesses of vessels. For larger openings, however, material must be added to the vessel around the opening to prevent a reduction in static strength.

The general code method for deciding how much material should be added is the so-called 100% reinforcement method. This means that the amount of material to be added, as viewed in a cross section taken through the hole, must be at least equal to the amount of material removed from the vessel wall in providing the hole. Obviously, to be of value in strengthening the hole, this material must be located near the hole, and not on the other side of the vessel. Thus the code also gives rules for how close to the hole the reinforcement material must be located both in directions parallel and perpendicular to the pressure vessel wall.

Figure 4.1 is a copy of Fig. UA 280 from the code which summarizes the foregoing reinforcement design criteria.

As an example, consider now the 24 in manway on vessel shell:

$$\text{Required neck thickness } t_{rn} = \frac{PR}{SE - 0.6P} + C$$

$$t_{rn} = \frac{200 \times 11.6875}{17500 - 0.6 \times 200} + 0.125 = 0.2595 \text{ in}$$

$$\text{actual plate used } t_n = 0.5 \text{ in}$$

$$\text{Required area of reinforcement} = A = d \times t_r \times F$$

$$d = 23.375 \text{ in}, \quad F = 1$$

$$t_r = 0.5783 \text{ from section 4.2.1}$$

$$A = 23.375 \times 0.5783 \times 1$$

$$= 13.52 \text{ in}^2$$

Available area for reinforcement:

$$\begin{aligned} A_1 &= (t - t_r) d = (0.625 - 0.5783) 23.125 \\ &= 1.07 \text{ in}^2 \end{aligned}$$

$$\begin{aligned} A_2 &= (t_n - t_{rn}) 5t = (0.5 - 0.2595) 5 \times 0.5 \\ &= 0.601 \text{ in}^2 \end{aligned}$$

$$A_3 = 0$$

$$A_4 = 2 \times \frac{1}{2} \times \frac{3}{8} \times \frac{3}{8} = 0.1406 \text{ in}^2$$

$$\begin{aligned} A_5 &= (D_p - d - 2t_n) t_e \\ &= (45.125 - 23.375 - 2 \times 0.5) \times 0.75 \\ &= 15.56 \text{ in}^2 \end{aligned}$$

$$A_1 + A_2 + A_3 + A_4 + A_5 = 17.37 \text{ in}^2 > A = 13.52 \text{ in}^2$$

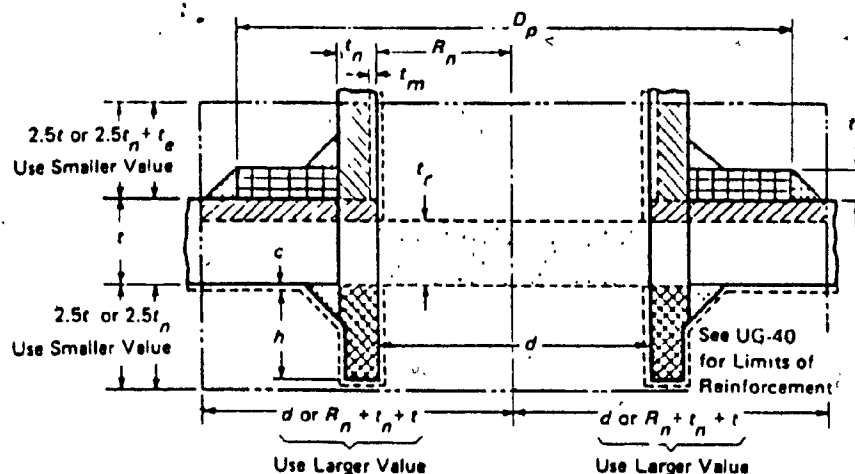
Similarly the reinforcement required for the downcomer and riser nozzles was provided all in the shell thickness as A_1 .

$$A_1 = A$$

$$(t - t_r) d = d t_r$$

$$t = 2t_r$$

$$t = 2 \times 0.5783 = 1.1566$$



WITHOUT REINFORCING ELEMENT

= $A = d \times t_r \times F$ = Area of reinforcement required

= $A_1 \left\{ \begin{aligned} &= (E_1 t - F t_r) (d - R_n) / 2 = (E_1 t - F t_r) d \\ &\text{or} \\ &= (E_1 t - F t_r) (R_n + t_n + t - R_n) / 2 = (E_1 t - F t_r) (t_n + t) / 2 \end{aligned} \right\}$ Larger value is area of shell available for reinforcement.

= $A_2 \left\{ \begin{aligned} &= (t_n - t_{rn}) / 2.5 t \times 2 = (t_n - t_{rn}) / 5 t \\ &\text{or} \\ &= (t_n - t_{rn}) / 2.5 t_n \times 2 = (t_n - t_{rn}) / 5 t_n \end{aligned} \right\}$ Smaller value is area of nozzle wall available for reinforcement.

= $A_3 = (t_n - c) h \times 2 = (t_n - c) / 2 h^2$

= A_4 = Area of welds

= A_5 = Area added by reinforcing element

If $A_1 + A_2 + A_3 + A_4 \geq A$ Opening is adequately reinforced.

If $A_1 + A_2 + A_3 + A_4 < A$ The difference must be supplied by reinforcing element or otherwise.

WITH REINFORCING ELEMENT

A, A_1, A_3, A_4 same as without reinforcing element.

With a reinforcing element, $2.5 t_n$ is measured from the top surface of the reinforcing element.

A_2 becomes the smaller of $(t_n - t_{rn}) / 5 t$ or $(t_n - t_{rn}) / (2.5 t_n + t_e) / 2$.

Area of reinforcing element = $(D_p - d - 2 t_n) t_e = A_5$.

If $A_1 + A_2 + A_3 + A_4 + A_5 \geq A$ opening is adequately reinforced.

*The nozzle projection will not corrode back of any attaching fillet, hence the term $(t_n - c)$ is slightly conservative.

EXAMPLE OF A REINFORCED OPENING
(This Figure Illustrates a Common Nozzle Configuration and Is Not Intended to Prohibit Other Configurations Permitted by the Code.)

Fig. 4.1

With corrosion allowance of 0.125 in

Required shell thickness = 1.2816 in

Hence the use of $1\frac{5}{16}$ in thk subshells, which are upper and lower portions of the WHE shell where downcomer and riser nozzles are attached.

4.2.4 Flange Design

Flanges and flanged connections are very important pressure vessel components. Flanges permit the easy and quick assembly and disassembly of the heat exchanger sections for cleaning, inspection, etc and as flanged nozzles, permit the connections of piping, instruments and mechanical parts to the WHE vessel.

For nozzles up to 24 inch nominal size, standard flanges with dimensions and pressure ratings per ANSI B 16.5 are normally used. They permit the attachment of piping fabricated by others without the provision of special mating flanges. The ANSI standard lists several pressure classes from 150 psig to 2500 psig.

For in-between pressure ratings, as in this instance for the waste heat exchanger, it is usually more economical to select the next higher pressure class rather than to design a flange for the actual condition.

Shell flanges and nozzles flanges over 24 in nominal size are usually designed for the actual conditions required. The ASME code provides a design procedure based on the "Beam on an Elastic Foundation" method combined with the deflection of an annular plate. This method is based on the work of Waters, Westrom, Rossheim and Williams and is identical with the method used to establish the dimensions of standard ANSI flanges. A booklet by Taylor Forge Company: "Modern Flange Design"

[16] contains the ASME method and is very useful as it provides a data sheet for organized computation of several flange configurations.

We will now present calculations for the design of the blind cover for a 24 in manway and the main flanges on the waste heat exchanger shell.

A. 24 in Manway Cover:

The cover will be designed to match the mating flange which is 24 in - 300 # slip on raised face flange to ANSI B 16.5 and SA 105 material.

Cover Material : SA 516 GR 70

Bolting Material : SA 193 GR B 7

Gasket : Asbestos Jacketted Stainless Steel

Design Pressure $P = 200$ psig

Design Temperature $T = 650^{\circ}\text{F}$

Allowable Stress $S = 17\,500$ psi

Bolt Allowable Stress $S_b = 25\,000$ psi

Gasket Seating Stress $Y = 9000$ psi

Gasket Factor $M = 3.75$

Gasket Width $N = 1.125$ in

Gasket Mean Diameter $G = 25.875$ in

$b_o = 0.5N = 0.5625$ $b = \sqrt{b_o} = 0.375$ $\therefore b_o > 0.25$

For details see Fig. 4.2.

1. Required bolt load for operating condition

$$\begin{aligned} W_{M_1} &= \frac{\pi}{4} G^2 P + 2b \pi G P M \\ &= \frac{\pi}{4} \times 25.875^2 \times 200 + 2 \times 0.375 \pi \times 25.875 \times 200 \times 3.75 \\ &= 105\,168 + 45\,725 \\ &= 150\,895 \text{ lbf} \end{aligned}$$

$$\text{Bolt area required} = \frac{150\,893}{25\,000} = 6.04 \text{ in}^2$$

2. For gasket seating condition

$$\begin{aligned} W_{M_2} &= \pi b G Y = \pi \times 0.375 \times 25.875 \times 9000 \\ &= 274\,350 \text{ lbf} \end{aligned}$$

$$\text{Bolt area required} = \frac{274\,350}{25\,000} = 10.97 \text{ in}^2$$

bolt area available with 24-1½ in bolts

$$= 24 \times 1.405 = 33.72 \text{ in}^2$$

Cover thickness for operating condition, t_{oc}

$$\begin{aligned} t_{oc} &= d_c \sqrt{\frac{CP}{SE} + \frac{1.94 W_{M_1} \times h_g}{S \times d_c^3}} \\ &= 25.875 \sqrt{\frac{0.3 \times 200}{17\,500} + \frac{1.9 \times 150\,893 \times 3.0625}{17\,500 \times 25.875^3}} \\ &= 2.058 \text{ in} \end{aligned}$$

$$t_{oc} = 2.058 + 0.125 = 2.183 \text{ in}$$

Cover thickness for gasket seating condition t_{Gc}

$$\begin{aligned} t_{Gc} &= d_c \sqrt{\frac{1.9 W_{ATM} \times h_g}{S d_c^3}} \\ W_{ATM} &= \frac{10.97 + 33.72}{2} \times 25\,000 = 558\,625 \text{ lbf} \\ t_{Gc} &= 25.875 \sqrt{\frac{1.9 \times 558\,625 \times 3.0625}{17\,500 \times 25.875^3}} = 2.68 \text{ in} \end{aligned}$$

$$t_{Gc} = 2.68 + 0.125$$

Use $t = 2\frac{7}{8}$ in

OK

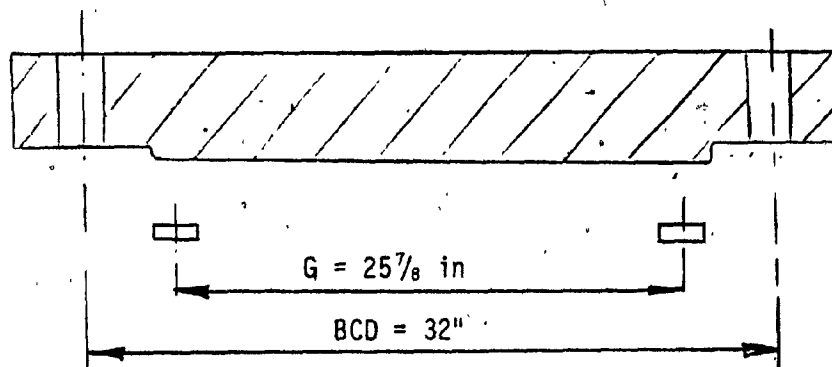


Fig. 4.2: Manway Cover

B. Design of WHE Main Flanges

Case 1: Assessment of main flanges for internal design pressure, P , of 40 psi only. Solution for this case is shown in Table 4.1, which also shows the Code allowable stresses for pressure loading only.

Case 2: In this case, we will present an acceptable method for calculating stresses in flanged joint subjected to internal pressure and external moments and forces.

The design pressure used for the calculation of loads in the flanged joint by equations in Case 1 shall be replaced by a flange design pressure, $P_{FD} = P + P_{EQ}$, where P is the maximum operating pressure and P_{EQ} is an equivalent pressure to account for the moments and forces acting on the flanged joint due to weight and thermal expansion of the piping.

The equivalent pressure, P_{EQ} , shall be determined by the equation

$$P_{EQ} = \frac{16 M_E}{\pi G^3} + \frac{4 F_Y}{\pi G^2}$$

where

M_E = bending moment applied to the joint due to weight and thermal expansion of the piping, in lbf

F_Y = axial force applied to the joint due to weight and thermal expansion of piping, lbf

G = diameter at location of effective gasket load reactions.

Specified conditions:

Design Pressure = 40 psi

Maximum Operating Pressure = 15.3 psi

Table 4.1: Design of Gas Inlet and Outlet Flanges on WHE for Design Pressure of 40 psig.

WELDING NECK FLANGE DESIGN

SHEET A

DESIGN CONDITIONS				GASKET and BOLTING CALCULATIONS				FROM FIG. UA 49.1 and UA 49.2	
Design Pressure, P		40 psi		Gasket Details		Facing Details		N = 0.5	
Design Temperature		650°F		104.125" ¹ / _D x 105.125" ¹ / _D		105.75" ¹ / _D x ¹ / ₈		b = 0.25	
Flange Material		SA 516 GR 65		x ³ / ₁₆ thk SS410 flat		Raised Face		y = 9000	
Bolting Material		SA 193 GR B7		Metal Jckd. Asbestos				m = 3.75	
Corrosion Allowance		0.125		W _g = b x G _y = 739 551		A _g = ² / _π x W _{g1} /S _g or W _{g1} /S _g = 29.58 in ²			
ASME SECTION VIII	Flange	Design Temp., S _g	16 300	H _g = 2b x G _{mp} = 24 652		A _b = 72 x 0.419 = 30.17 in ²			
		Aim. Temp., S _g	16 300	H = G ₁ x P ₁ = 343 891		W = .5(A _g + A _b)S _g = 746 850			
	Bolting	Design Temp., S _b	25 000	W _{g1} = H _g + H = 368 543		W _{g1} =			
		Aim. Temp., S _b	25 000	Gasket Width Check (Raised Face ONLY): N _{min} = A _b S _b /2yPG = 0.127					
CONDITION		LOAD		X		LEVER ARM		MOMENT	
Operating		H ₀ = πR ² P ₁ /4 = 318 889		h ₀ = R ₁ S _{g1} = 2.4688		M ₀ = H ₀ h ₀ = 787 273			
		H _G = W _{g1} - H ₀ = 24 652		h _G = S(C - G) = 1.125		M _G = H _G h _G = 27 734			
		H _T = H - H ₀ = 25 002		h _T = S(R + g ₁ + h _G) = 2.09375		M _T = H _T h _T = 52 348			
Gasket Sealing		H _G = W = 746 850		h _G = S(C - G) = 1.125		M _G = 840 207			
STRESS CALCULATION—		Conditions (use M)				SHAPE CONSTANTS From design table 2 and design charts 1, 2 & 5			
1.5 S _g	Long. Hub, S _H = (M/λ)g ₁ ²	8684			X = A/B = 1.091	h/h ₀ = 0.549			
S _g	Radial Flg., S _r = (M/λ)r ²	1812			r = 1.88	f = 0.908			
S _g	Tang. Flg., S _t = (M/λ)(1/2) - ZS _g	376			Z = 11.52	v = 0.55			
C _g	Dist. of S(S _H + S _r) or S(S _H - S _r)	5248			Y = 22.22	f = 1			
STRESS CALCULATION—Gasket Sealing (use M)						U = 24.41	e = f/h ₀ = 0.083		
1.5 S _g	Long. Hub, S _H = (M/λ)g ₁ ²	8413			g ₁ /g ₀ = 2.1	d = ^U / _Y h ₀ g ₀ ² = 684.7			
S _g	Radial Flg., S _r = (M/λ)r ²	1756			h ₀ = √8g ₀ = 10.94				
S _g	Tang. Flg., S _t = (M/λ)(1/2) - ZS _g	363			OTHER STRESS FORMULA FACTORS				
S _g	Dist. of S(S _H + S _r) or S(S _H - S _r)	5085			t (assumed)	3.0			
					α = 1e + 1	1.249			
					β = 4/3 (1e + 1)	1.332			
					γ = α/β	0.664			
					δ = r ² /d	0.0394			
					λ = γ + δ	0.703			
					M = M ₀ /8	8 609			
M ₀ = M ₀ /8	8340								
If bolt spacing exceeds 2e + t, multiply M ₀ and M _g in above equations by:					<div>Bolt spacing</div> <div>2e + t</div>				
					Computed JSK Date Feb. 14, 79				
					Checked Number				

SOURCE	F _y Axial Force lbf	F _z Shear Force lbf	M _x Moment KIP in
Deadweight	-29000	-1930	-381
Thermal	3030	-16400	-7199
Earthquake	2240	-6530	-1764
T + D + EQ	-23 730	-24 860	-9345

Table 4.2: Specified External Loads at Flange Joint.

$$\begin{aligned} \therefore P_{EQ} &= \frac{16 \times 9345 \times 10}{\pi \times 104.625^3} \times \frac{4 \times 23\,730}{\pi \times 104.625^2} \\ &= 41.55 + 2.76 \\ &= 44.3 \text{ psi} \end{aligned}$$

$$P_{FD} = P + P_{EQ}$$

$$\begin{aligned} P_{FD} &= 15.3 + 44.3 \\ &= 59.6 \text{ psi} \end{aligned}$$

It was decided to use $P_{FD} = 60$ psi. The calculated stresses using this pressure are shown in Table 4.3.

The longitudinal hub stress, S_H , is revised to include the primary axial membrane stress as follows:

$$\begin{aligned} S_H &= \frac{f M_o}{\lambda g_1^2 B} + \frac{PB}{4g_o} \\ &= \frac{1 \times 1\,301\,031}{0.703 \times 1.1875^2 \times 100.75} + \frac{15.3 \times 100.75}{4 \times 1.1875} \end{aligned}$$

WELDING NECK FLANGE DESIGN

SHEET A

DESIGN CONDITIONS			GASKET and BOLTING CALCULATIONS			FROM Fig. UA 49.1 and UA 49.2	
Design Pressure, P	60 psig	Gasket Details	Facing Details		N =	0.5	
Design Temperature	650°F	104.125" ID x 105.125" OD	105.75" O.D. x 1/8"		b =	0.25	
Flange Material	SA 516 GR b5	x 3/16 thk SS 410 Flat	Raised Face		r =	9000 psi	
Bolting Material	SA 193 GR B7	Metal Jckd. Asbestos			m =	3.75	
Corrosion Allowance	0.125	$W_{g1} = b \times G_r = 739\ 551$	$A_g = \frac{\pi}{4} (D_o^2 - D_i^2) W_{g1}/S_u \text{ or } W_{g1}/S_y = 29.58$				
ASME Section II Div. 1	Flange	Design Temp., S _u	16 300	$H_s = 2b + G_m P = 36\ 978$	$A_b = 72 \times 0.419 = 30.17 \text{ in}^2$		
		Alm Temp., S _u	16 300	$H' = G' - P/A = 515\ 836$	$W = S(A_b - A_g)/S_u = 746\ 850$		
	Bolting	Design Temp., S _y	25 000	$W_{b1} = H_s + H' = 552\ 814$	$W_{b1} =$		
		Alm Temp., S _y	25 000	Gasket Width Check (Raised Face ONLY), $N_{min} = A_b S_u / 2 \gamma r G = 0.127$			
CONDITION		LOAD	X	LEVER ARM	=	MOMENT	
Operating	$M_0 = \pi b^2 P/4 =$	478 334	$h_{r1} = R + S_{gr}$	=	2.4688	$M_0 = M_{ohin} =$	1 180 911
	$M_G = W_{g1} - H_s =$	36 978	$h_c = S(C - G)$	=	1.125	$M_G = M_{chc} =$	41 600
	$M_T = H' - M_0 =$	37 502	$h_r = S(R - g_1 + h_c)$	=	2.09375	$M_T = M_{thr} =$	78 520
Gasket Seating	$n_c = W =$	746 850	$h_c = S(C - G)$	=	-1.125	$M_s =$	840 207
ASME Stress	STRESS CALCULATION—Conditions (use M)			SHAPE CONSTANTS From design table 2 and stress charts F, 2 & 5			
1.5 S _u	Long. Hub, S _w = f M / Ag ₁ ²	13 027		K = A/B =	1.091	n/h _c =	0.549
S _u	Radial Flg., S _r = j M / Ar ²	2719		r =	1.88	f =	0.908
S _u	Tang. Flg., S _t = (MY/r ²) - ZS _r	538		Z =	11.52	v =	0.55
S _y	Direct S(S _w - S _e) or S(S _w - S _r)	7873		Y =	22.22	i =	1
Allowable Stress	STRESS CALCULATION—Gasket Sealing (use M)			U =	24.41	s = f/h _c =	0.083
1.5 S _u	Long. Hub, S _w = f M / Ag ₁ ²	8413		g ₁ /g _o =	1	d = y/v h _c q ₁ ² =	684.7
S _u	Radial Flg., S _r = j M / Ar ²	1756		h _c = v g _o ² =	10.94		
S _u	Tang. Flg., S _t = (MY/r ²) - ZS _r	364		OTHER STRESS FORMULA FACTORS			
S _y	Direct S(S _w - S _e) or S(S _w - S _r)	5085		t (assumed)	3.0		
<p>E = 1.5 R = 1.875 B = 100.75</p> <p>SA 516 GR 70 Subshell</p> <p>103.125 in G = 104.625 in 105.75 in</p> <p>72 - 7/8 in DIA Bolts</p> <p>C = 106.875 in A = 109.875 in</p>				a = e - t	1.249		
				d = 4/3 (e + t)	1.332		
				γ = a/t	0.664		
				β = d/d	0.0394		
				λ = γ + β	0.703		
				M = M ₁ δ	12913		
				M = M ₂ δ	8340		
If bolt spacing exceeds 2a + t, multiply M ₁ and M ₂ in above equations by				Bolt spacing $\sqrt{2a + t}$			
				Computed JSK _____ Date _____			
				Checked _____ Number _____			

$$= 13\,027 + 325$$

$$= 13\,352 \text{ psi}$$

Radial stress in flange, S_R , = 2719 psi

Tangential stress in flange, S_T , = 538 psi

The allowable stress limits for the above combined loads in Case 2 are

$$S_H \text{ not greater than } 1.5 S = 1.5 \times 17\,500 = 26\,250 \text{ psi}$$

$$S_R \text{ not greater than } 1.5 S = 1.5 \times 16\,300 = 24\,450 \text{ psi}$$

$$S_T \text{ not greater than } 1.5 S = 1.5 \times 16\,300 = 24\,450 \text{ psi}$$

$$\text{Shear stress in shell} = \frac{F_z}{2\pi r t} = \frac{24.860}{2\pi \times 100.75 \times 1.1875}$$

$$= 0.033 \text{ KSI}$$

$$\text{Shear stress in bolts} = \frac{F_z}{A_B} = \frac{24.860}{30.17}$$

$$= 0.823 \text{ KSI}$$

4.3 DESIGN OF WHE SUPPORTS

The outline of the WHE supports are given in Figs. 4.3 and 4.4.

The properties of the support rings are given in Table 4.5.

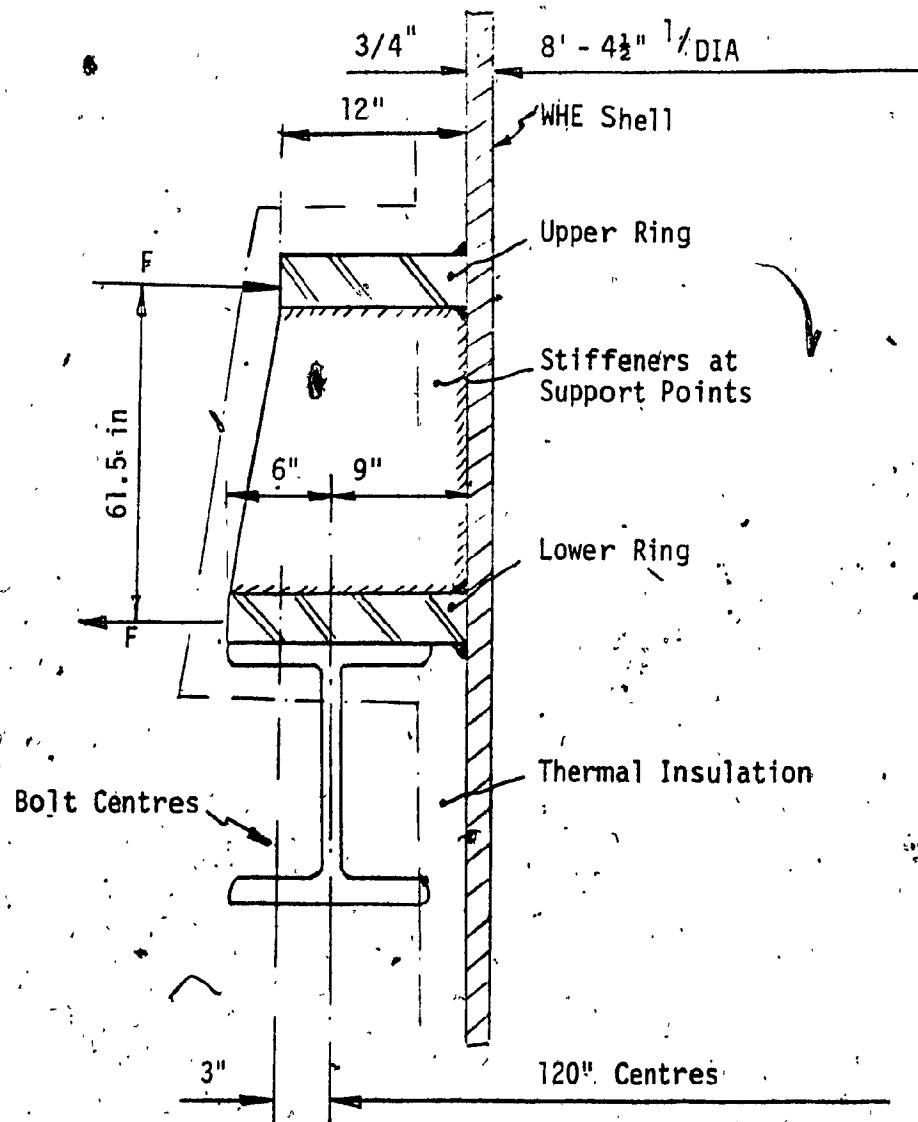
4.3.1 Specified Loads

The support rings provide an eight point support subjected to the following loading:

1. Operating Weight

Total maximum weight = 333 KIP = 42 KIP per support point

Lower operating weight = 226 KIP = 28 KIP per support point



Both rings are 1 1/2" thk
 All eight stiffeners are each 1 5/16 in thk

Fig. 4.3: Details of WHE Ring Support

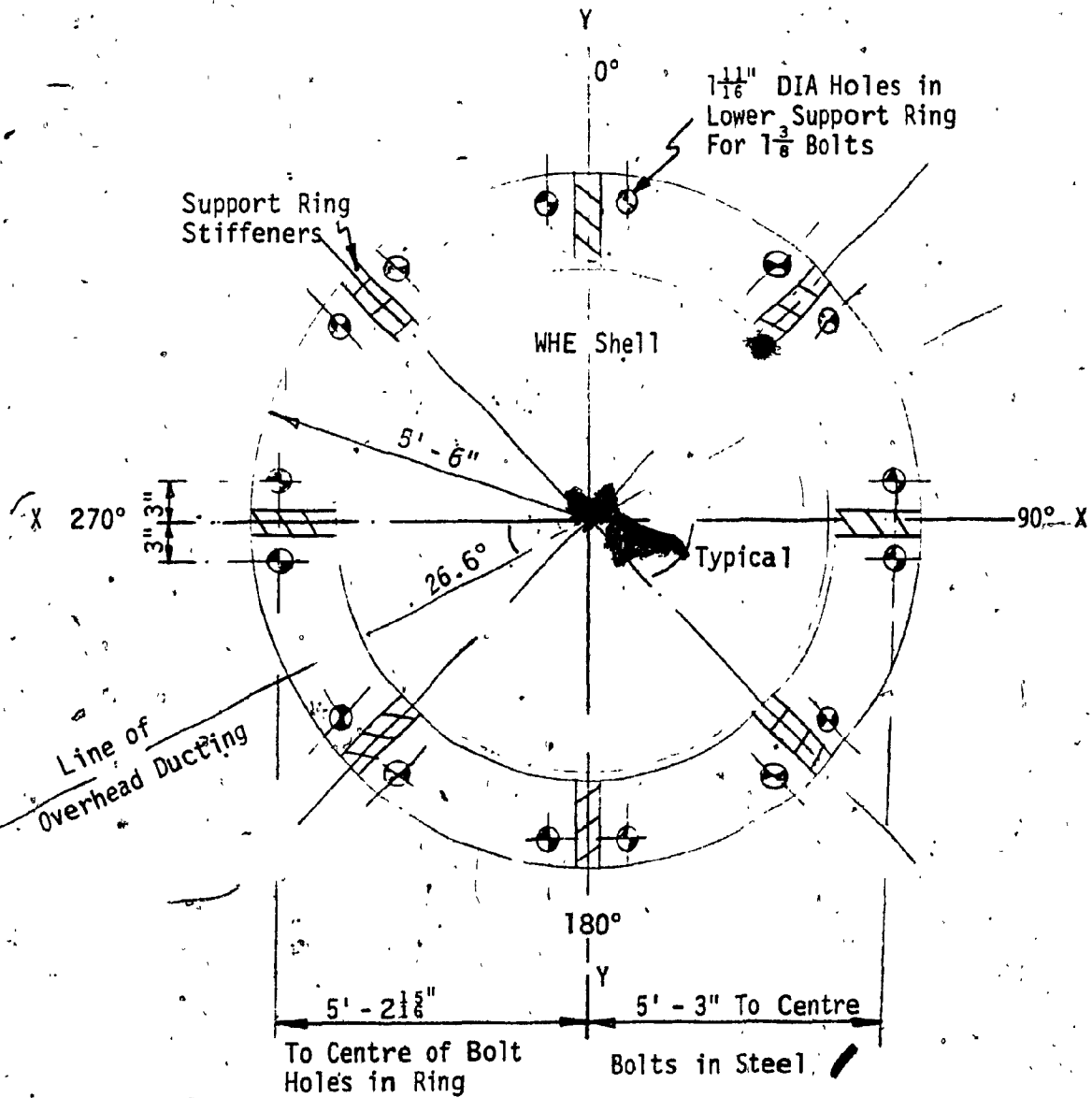


Fig. 4.4: PTan on Lower Support Ring

2. Wind Load

From National Building Code of Canada -

$$P_W = q c_e c_g c_p$$

$$\text{or } F_W = q c_e c_g c_n A_p \text{ for cylindrical vessel}$$

where P_W = the design external pressure acting statically
and in a direction normal to the surface

F_W = total shear force

q = the reference velocity pressure = 7.8 psf

c_e = the exposure factor = 1.5 conservative

c_g = the gust factor = 2.0

c_p = external pressure coefficient

c_n = cross section or roughness coefficient

A_p = projected area = $d_o \times h$

d_o = diameter = 9.166 ft

h = height = 63.5625 ft

$$\therefore F_W = 7.8 \times 1.5 \times 2.0 \times 0.9 \times 9.166 \times 63.5625$$
$$= 12\,271 \text{ lbf}$$

Take this as shear only since support bracket is just above the centre of the WHE.

Assuming four brackets are resisting wind shear, then load per bracket is

$$V_W = \frac{F_W}{4} = \frac{12\,271}{4} = 3068 \text{ lbf}$$

Say $V_W = 4 \text{ KIP}$

3. Effects of Earthquakes

Again, using NBC Section 4.1.9, Paragraph 12

$$V_{PT} = A_C S_p W_p$$

V_{PT} = lateral force

A_C = assigned horizontal design acceleration

$$= 0.04$$

S_p = horizontal force factor = 3

W_p = weight of WHE = 333 KIP maximum

$$V_{PT} = 0.04 \times 3 \times 333$$

$$= 39.96 \text{ KIP}$$

Again, assuming four brackets effective

$$V_p = \frac{39.96}{4} = 9.99 \text{ KIP}$$

Say $V_p = 10 \text{ KIP}$ This governs when compared with wind loading.

4. Friction Force Resisting Thermal Expansion

$$F_N = \mu W_p$$

$$= 0.35 \times 333 = 116.55 \text{ KIP}$$

$$= 14.6 \text{ KIP per support point.}$$

Say $F_N = 15 \text{ KIP per bracket.}$

5. The specified external loads from the overhead ducting at the

WHE supports are as shown in Table 4.4.

Positive values of F_y indicates an uplift.

SOURCE	F_y Axial Force lbf	F_z Shear Force lbf	M_x Moment KIP in
Weight		-1930	-820
Thermal	3030	-18 400	-10 930
Earthquake	2240	- 6 530	- 3250
T + D + EQ	5270	-24 960	-15 000

Table 4.4: Specified External Loads at WHE Support Level

4.3.2 Configuration of Supports

The details of WHE ring supports are given on drawings E1 and 1.

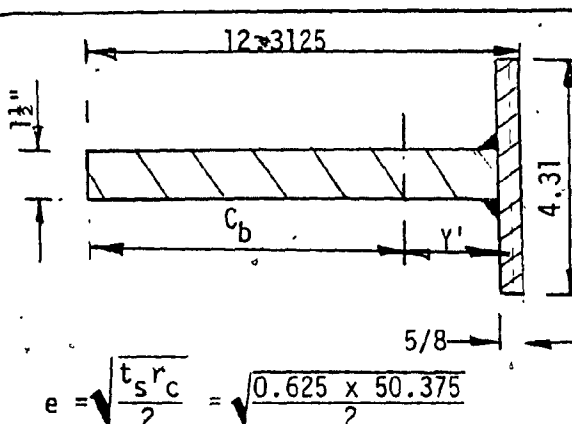
The elevation of support ring is shown in Fig. 4.3 and plan on the lower support ring is given in Fig. 4.4

The calculation of properties of upper and lower support rings are shown in Table 4.5

4.3.3 Calculation of Stresses

A. Stress Due to Deadweight and Shear Loads

From Ref. [15] "Design of Welded Structures", by Omer Blodgett, Section 6.6.3, we have forces (\hat{r}_1) normal to the shell which set up tangential tensile forces (T) and bending moments (M_r) in the ring of the shell, Fig. 4.3, as listed in Table 4.6.

UPPER SUPPORT RING					
 $e = \sqrt{\frac{t_s r_c}{2}} = \sqrt{\frac{0.625 \times 50.375}{2}} + 2.81$					
RING SECTION	A	d	M = Ad	I _x / Md	I _G
4.31 x 5/8	2.69	12.312	33.12	407.8	0.087
1 1/2" x 12	18	6	108	648	216
	20.69		141.12	1271.8	
$I_{NA} = I_x - \frac{M^2}{A}$ $= 1271.8 - \frac{141.12^2}{20.69}$ $= 309.26 \text{ in}^4$ $NA C_b = \frac{M}{A} = \frac{141.12}{20.69}$ $= 6.82 \text{ in}$ $y' = 12.3125 - 6.82 = 5.493 \text{ in}$					

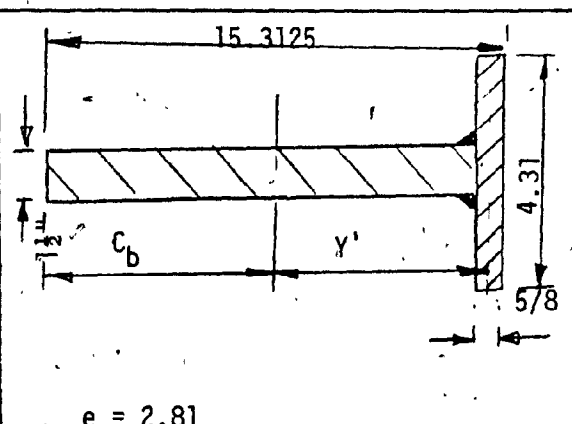
LOWER SUPPORT RING					
 $e = 2.81$					
RING SECTION	A	d	M = Ad	I _x / Md	I _G
4.31 x 5/8	2.69	15.3125	41.19	630.7	0.087
1 1/2" x 15	22.5	7.5	168.75	1265.6	421.8
	25.19		209.9	2318.2	
$I_{NA} = I_x - \frac{M^2}{A}$ $= 2318.2 - \frac{209.9^2}{25.19}$ $= 569.17 \text{ in}^4$ $NA C_b = \frac{M}{A} = \frac{209.9}{25.19}$ $= 8.33 \text{ in}$ $Y' = 15.3125 - 8.33 = 6.983$					

Table 4.5: Properties of Support Rings

Table 4.6
Factors for Stresses in Support Rings
(Stresses at Half-Way Points Do Not Govern this Design)

FOR EIGHT POINT SUPPORT	Formula For Tangential Tensile Force $T = K_1 f_1$		Formula For Bending Moment M_r in Ring $M_r = K_2 f_1 r_c$	
	Values for K_1		Values for K_2	
	At Hangers	Half-way Between Hangers	At Hangers	Half-way Between Hangers
	1.207	1.306	+0.065	-0.033
	Resulting Tensile Stress $\sigma_{ct} = \frac{T}{A}$		Resulting Bending Stress $\sigma_{cb} = \frac{M_r}{S}$	

Now consider the tangential forces on support rings:

$$f_1 = \frac{42 \times 12}{61.5} = 8.20 \text{ KIP (see Fig. 4.3)}$$

$$\text{Upper Ring } T_T = K_1 f_1 = 1.207 \times 8.20 = 9.90 \text{ KIP}$$

$$\sigma_{cT} = \frac{T_T}{A_T} = \frac{9.90}{20.69} = 0.48 \text{ KSI}$$

$$\begin{aligned} \text{Lower Ring } T_B &= K_1 (f_1 + 15 + \frac{24.860}{4}) \\ &= 1.207 (8.20 + 15 + 6.215) = 35.50 \text{ K} \end{aligned}$$

$$\sigma_{cB} = \frac{T_B}{A_B} = \frac{35.5}{25.19} = 1.41 \text{ Ksi}$$

$$\begin{aligned} M_r &= K_2 f_1 r_c \\ &= 0.065 \times 8.20 \times 63 \\ &= 33.58 \text{ KIP in} \end{aligned}$$

$$\sigma_{cbT} = \frac{M_r y}{I_T} = \frac{33.58 \times 6.82}{309.26} = 0.74 \text{ KSI}$$

$$\sigma_{cbB} = \frac{M_r y}{I_B} = \frac{0.065 \times 35.5 \times 63 \times 8.33}{569.17} = 2.13 \text{ KSI}$$

$$\begin{aligned} \text{Pressure Stress} = \sigma_{cp} &= \frac{P_r}{t} \times \frac{\text{area of shell in section}}{\text{area of ring section}} \\ &= 17.5 \times \frac{2.69}{20.69} \\ &= 2.28 \text{ KSI} \end{aligned}$$

Stresses due to pressure, exchanger weight and imposed lateral shear loads:

$$\sigma_{TOTAL} = \sigma_{cp} + \sigma_{cT} + \sigma_{cb}$$

$$\begin{aligned} \text{Upper Ring } \sigma &= 2.28 + 0.48 + 0.74 \\ &= 3.50 \text{ KSI} < S \end{aligned}$$

$$\begin{aligned} \text{Lower Ring } \sigma &= 2.28 + 1.41 + 2.13 \\ &= 5.82 \text{ KSI} < S \end{aligned}$$

The above stresses are due to pressure, maximum operating weight and imposed lateral loads only.

B. Stresses Due to External Moments

We will now investigate stresses due to externally applied loads.

Calculate combined reactions:

$$I_{xx} = I_{yy} = 14400 \text{ Unit in}^2$$

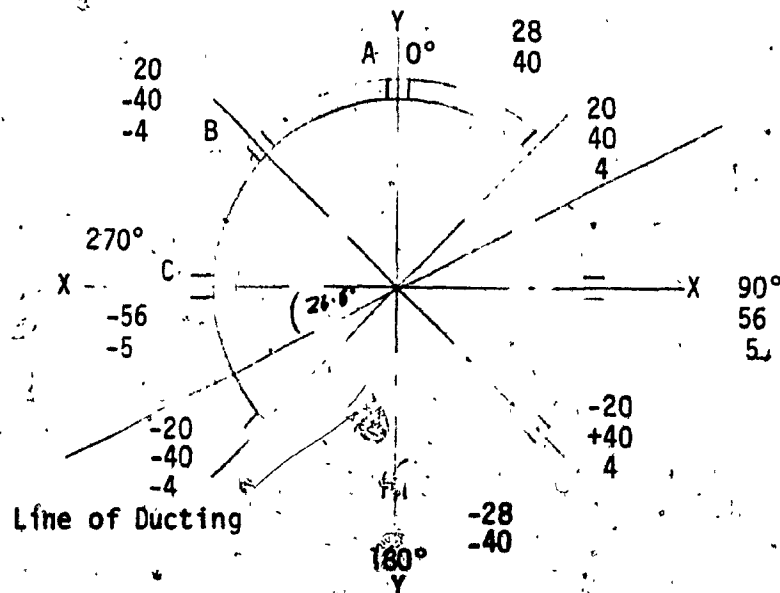
$$\text{Section Modulus} = \frac{14400}{60} = 240 \text{ Unit in}$$

External moment from ducting = 15 000 KIP in

$$M_{yy} = 15\,000 \cos 26.6 = 13\,413 \text{ KIP in}$$

$$M_{xx} = 15\,000 \sin 26.6 = 6717 \text{ KIP in}$$

Fig. 4.5: Reactions Due to Moments From Ducting:



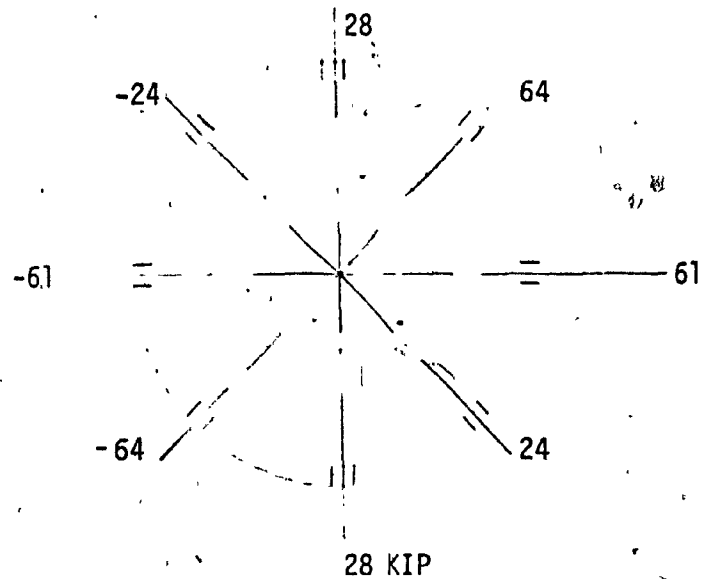


Fig. 4.6: Reactions Due to External Moments Only

M_{xx}	M_{yy}
$R_A = \pm \frac{6717}{240} = \pm 28 \text{ KIP}$	$R_A = 0$
$R_B = \frac{6717}{14400} \times \frac{60}{\sqrt{2}} = \pm 20 \text{ KIP}$	$R_B = \frac{13413}{14400} \times \frac{60}{\sqrt{2}} = \pm 40 \text{ K}$
$R_C = 0$	$R_C = \frac{13413}{240} = \pm 56 \text{ K}$

Reactions due to moments from piping:

$$M_{yy} = 1080 \text{ KIP in}$$

$$R_A = 0$$

$$R_B = \pm \frac{1080}{14400} \times \frac{60}{\sqrt{2}} = 3.2 \text{ K}$$

$$R_C = \pm \frac{1080}{240} = 4.5$$

Reactions due to lowest operating weights of 226 KIP.

$$R_A = R_B = R_C = \frac{226}{8} = 28 \text{ KIP}$$

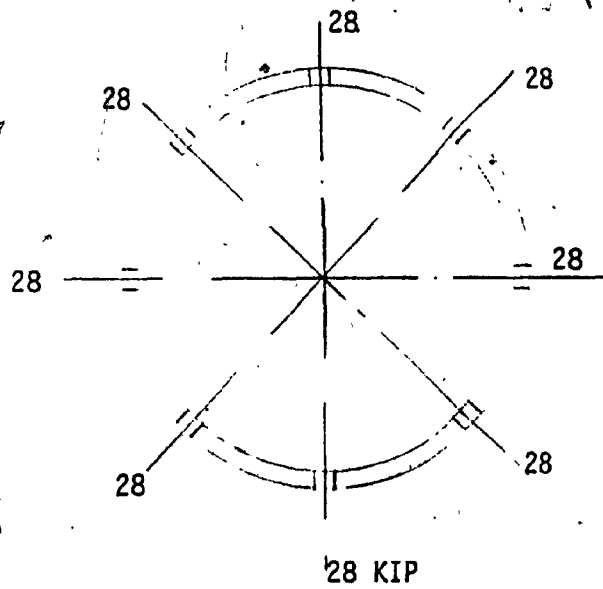


Fig. 4.7:

Reactions due to higher operating weights of 321 KIP + say 12 KIP insulation = 333 KIP

$$R_A = R_B = R_C = \frac{333}{8} = 42 \text{ KIP}$$

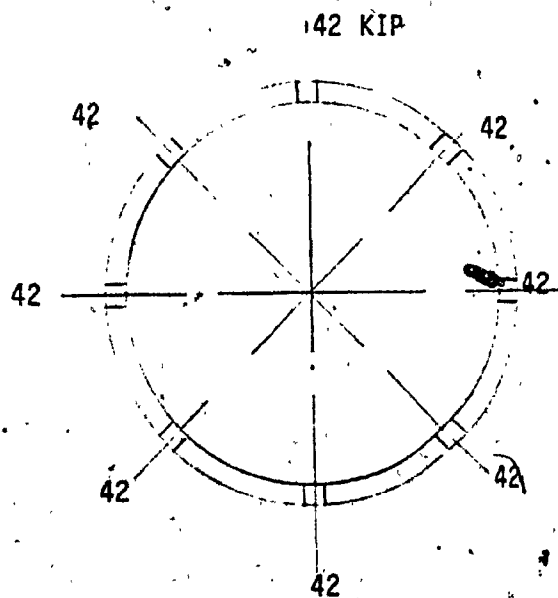


Fig. 4.8:

Following are combined reactions:

To determine maximum uplift, the overturning reactions are combined with the lowest operating weight reactions.

To determine the maximum positive reactions, the reactions due to overturning are combined with the higher operating weight reactions.

Total WHE Wind Shear = 14 KIP

Total WHE Earthquake Shear. = 40 KIP

Shear From Ducting = 25 KIP

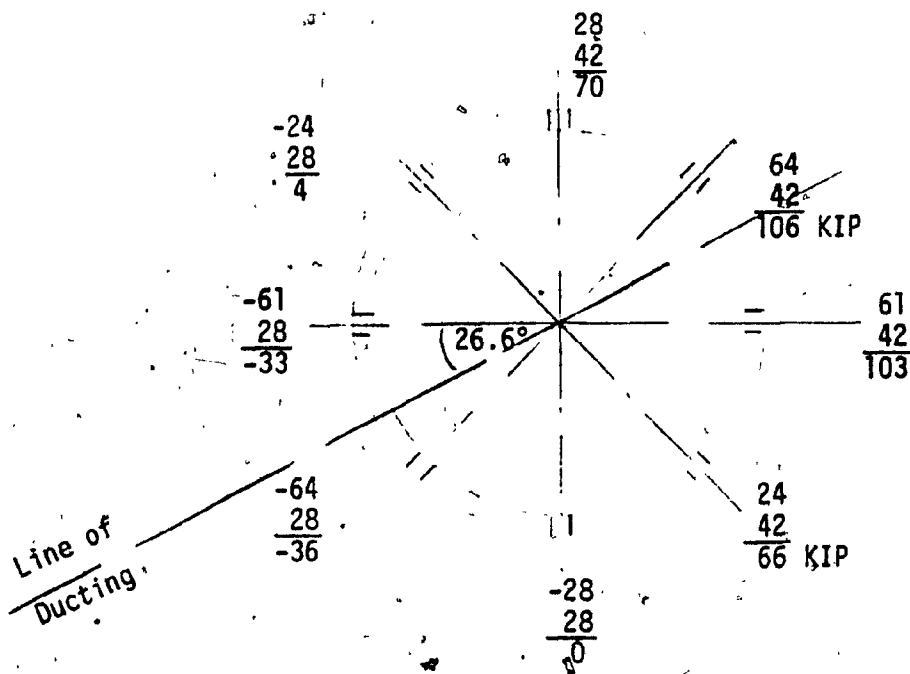


Fig. 4.9: Combined Reactions in KIPS

Others - To design the supporting structural steel for the above reactions including uplifts, friction etc. If it is not feasible to design for uplifts then the overturning moment must be reduced. Other combinations of directions of externally applied moments should also be investigated.

Loading to be considered for sizing of anchor bolts:

Wind Shear on Exchanger = 14 KIP

Lateral Earthquake

Shear on Exchanger = $0.12 \times 333 = 40$ KIP

Ducting imposed loads:

Lateral Shear = 25 KIP

Say 30 KIP maximum

Moment = 15 000 KIP in

Maximum Uplift = 32 KIP

Downcomer Moment = $6 \times 1 \times 15 \times 12 = 1080$ KIP in

This is about M_{yy} . With downcomers at 15' - 0"

$$R_A = 0 \quad R_B = \pm \frac{1080}{14400} \times \frac{60}{\sqrt{2}} = \pm 3.2 \text{ KIP}$$

$$R_C = \pm \frac{1080}{240} = \pm 4.5 \text{ KIP}$$

\therefore combined maximum uplift from ducting and piping =

$$32 + 4 = 36 \text{ KIP}$$

Say 40 KIP per support point.

Use $1\frac{3}{8}$ " DIA bolts to SA 193 GR B7

$1\frac{1}{4}$ " corroded DIA area = 0.929 in^2

$$\text{Tensile stress due to maximum uplift} = \frac{40}{2 \times 0.929} = 21.5 \text{ KSI} \quad \text{OK}$$

Maximum shear stress:

Shear load = $40 + 30 = 70$ KIP Total

$$\text{Say 8 bolts are effective on 4 supports } \tau = \frac{70}{8 \times 0.929} = 9.42 \text{ KSI} \quad \text{OK}$$

To check localized stresses near bolts in the lower ring plate due to uplift use, "Engineering Monograph 27" Moments and Reactions for Rectangular Plates. A water resources technical publication - U.S. Department of Interior Bureau of Reclamation [23].

$$\frac{a_p}{b_p} = \frac{7.5}{15} = 0.5$$

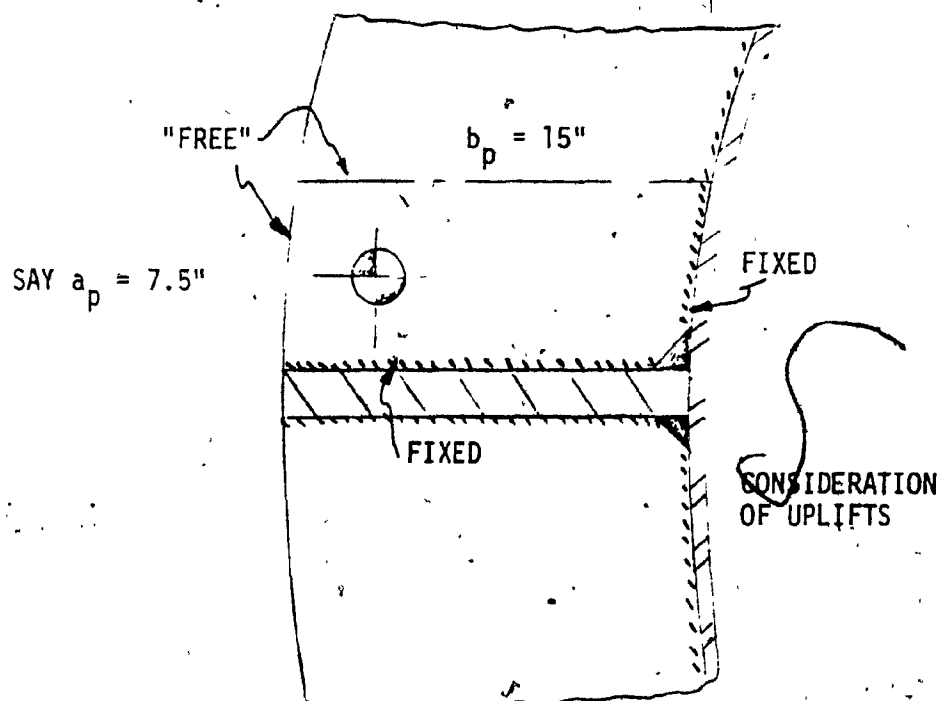


Fig. 4.10

Very conservative load = 40 KIP

$$p = \frac{40}{15 \times 7.5} \times 144 = 51 \frac{\text{KIP}}{\text{ft}^2}$$

Moment coefficient = $Pb^2 = 51.0 \times 1.25^2 = 80 \text{ KIP}$

$$\sigma_b = \frac{M}{Z}$$

$$Z = \frac{t^2}{6}$$

$$M_x = 0.1074 \times 80 = 8.59 \frac{\text{KIP ft}}{\text{ft}}$$

$$M_y = 0.105 \times 80 = 8.41 \frac{\text{KIP ft}}{\text{ft}}$$

$$\sigma = \frac{6M}{t^2} = \frac{6 \times 8.59}{1.5^2} = 22.42 \text{ KSI}$$

$$< 1.5 S = 1.5 \times 17.5 = 26.25 \text{ KSI}$$

OK

Alternatively consider the ring plate as a cantilever with point load.

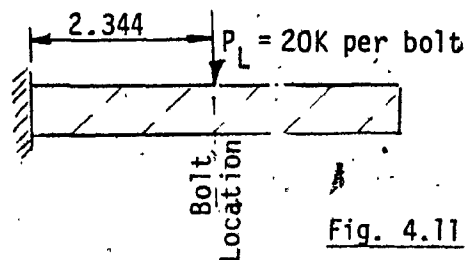
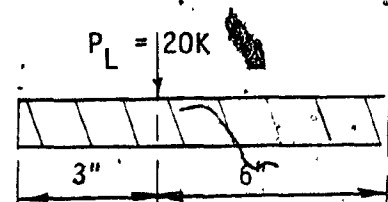


Fig. 4.11



$$\text{Say } I = \frac{9 \times 1.5^3}{12} = 2.531 \text{ in}^4$$

$$M = 2.344 \times 20 = 46.875 \text{ KIP in}$$

$$\sigma = \frac{M}{Z} = \frac{46.875}{2.531} \times 0.75 = 13.89 \text{ KSI}$$

Check fillet welds

Say with allowable $\sigma = 12.4 \text{ KSI}$

$\frac{1}{16}$ FW can take 0.55 KIP/in

$\frac{5}{16}$ FW can take 2.75 KIP/in

$$\begin{aligned} \text{Capacity in 9" of } \frac{5}{16} \text{ weld} &= 9 \times 2.75 = 24.75 \text{ KIP} \\ &= 24.75 > 20 \text{ KIP} \quad \text{OK} \end{aligned}$$

Check fillet weld capacity of supports:

Stiffeners

$$\begin{aligned} \text{Shear Capacity} &= 2 \times 60 \times 6 \times 0.55 \quad \text{conservative} \\ F_v &= 330 \text{ KIP each} \quad \text{OK} \end{aligned}$$

Stiffener to bottom ring weld

$$F_v = 2 \times 15 \times 5 \times 0.55 = 82.5 \text{ KIP each} \quad \text{OK}$$

Ring to shell weld local to supports - say 18 in effective

$$F_v = 2 \times 18 \times 5 \times 0.55 = 99 \text{ KIP} \quad \text{OK}$$

$\frac{5}{16}$ in fillet welds OK

Now consider the effects of external moments on the WHE shell.

From Fig. 4.6 the maximum R_M generated by external moment is $R_M = 64$ KIP.

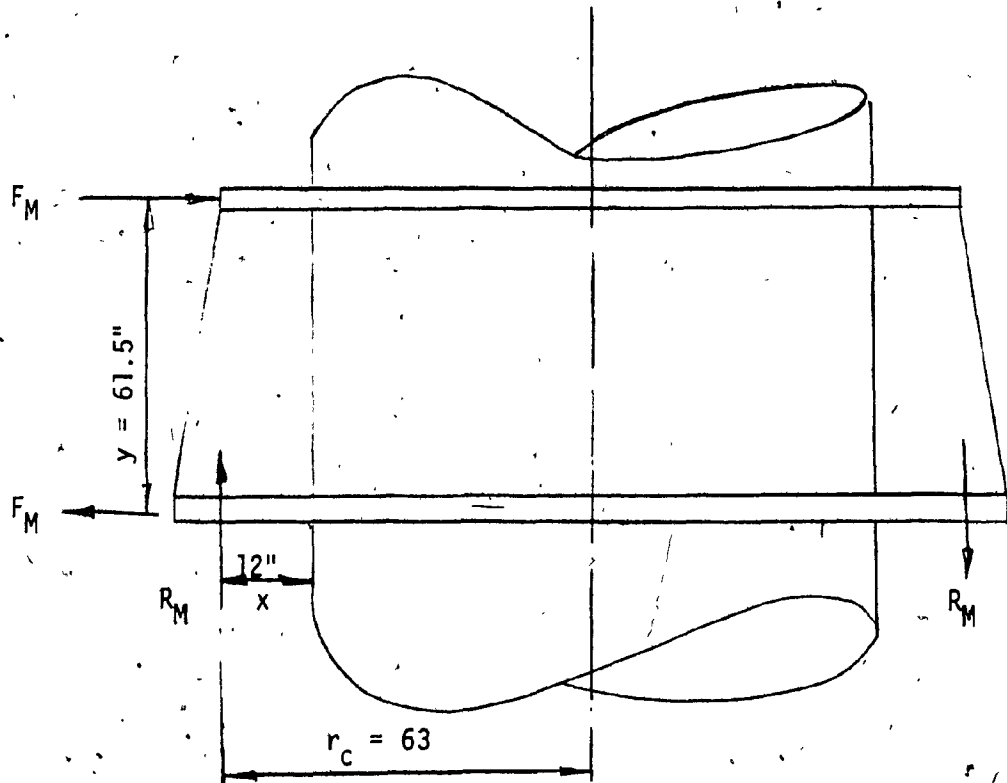


Fig. 4.12: Effect of External Moment on Support Ring

$$F_M = \frac{R_M x}{y} = \frac{64 \times 12}{61.5} = 12.5 \text{ KIP}$$

Then using Roark Table VIII load cases 24, 5 and 1 [28], the maximum moment at ring is

$$\begin{aligned} M &= 0.1593 F_M r_c \\ &= 0.1593 \times 12.5 \times 63 \\ &= 125.5 \text{ KIP in} \end{aligned}$$

$$\sigma_{cb T} = \frac{M}{I} y = \frac{125.5}{209.26} \times 6.82 = 2.77 \text{ KSI}$$

$$\sigma_{cb T} = \frac{125.5}{559.71} \times 8.33 = 1.83 \text{ KSI}$$

C. Combined Stresses Due to Maximum Operating Weight
and Overturning Moment

$$\text{Upper Ring } \sigma = 3.5 + 2.77 = 6.27 \text{ KSI}$$

$$\text{Lower Ring } \sigma = 5.82 + 1.83 = 7.65 \text{ KSI}$$

$$\begin{aligned} \text{Lower Ring on Uplift Side } \sigma &= 5.82 + 13.89 \\ &= 19.71 \text{ KSI} \end{aligned}$$

OK

4.4 CONCLUSIONS

It has been shown that the waste heat exchanger has been designed in accordance with the rules of ASME Section VIII, Division 1.

CHAPTER 5

CHAPTER 5

DESIGN AND ANALYSIS OF TUBEPLATES

AND TUBE TO TUBEPLATE JOINTS

5.1 TUBE TENSION DUE TO PRESSURE

The tube tension will be calculated accurately using a computer code, in a later section. As a first estimate, this will be obtained by hand calculation. The loads induced in the tube by pressure are as follows:

1. Tube Side Pressure

$$P_T = P_D A = 40 \times \frac{\pi}{4} (2.5^2 - 0.4^2) = 138.5 \text{ lbf}$$

2. Shell Side Pressure

Assuming zero shell contribution

$$\begin{aligned} P_S &= \frac{200}{470} \left(\frac{\pi}{4} 100.5^2 - 470 \times \frac{\pi}{4} \times 2.5^2 \right) \\ &= \frac{200}{470} (7932.72 - 2307.11) \\ &= 2394 \text{ lbf} \end{aligned}$$

$$\begin{aligned} 3. \text{ Total Tube Force } F &= P_T + P_S \\ &= 1385 + 2394 \\ &= 2533 \text{ lbf} \end{aligned}$$

$$\text{Tube Stress} = \frac{F}{A_t} = \frac{2533}{1.45} = 1746 \text{ psi}$$

This compares well with the value obtained from maximum tube tension using Ansys computer code - see later.

5.2 ALLOWABLE LOADS FOR TUBE TO TUBE PLATE JOINTS

Using Appendix A of the ASME, Section VIII, Division 1, Para. UA 002, for joint type g which is rolled, single groove and welded with $a < 1.4 t$

$$L_{\max} = A_t S_a f_e f_r f_y$$

where

L_{\max} = maximum allowable axial load in either direction in pounds

A_t = nominal transverse cross sectional area of tube wall = 1.45 in²

S_a = code allowable stress in tension of tube material (SA 192) at temperature = 11 900 psi

f_e = factor for the length of the roller expanded position of tube $\frac{l}{d_o}$

l = length of the expanded portion of the tube = 1.4375 in

d_o = tube outside diameter = 2.5 in

$f_e = \frac{l}{d_o} = \frac{1.4375}{2.5} = 0.575$ (This is very conservative)
($f_e = 1$ is acceptable)

f_r = factor for reliability of joint = 0.65

f_y = factor for difference in the mechanical properties of tubeplate and tube material = 1.0

$$\begin{aligned} L_{\max} &= A_t S_a f_e f_r f_y \\ &= 1.45 \times 11\,900 \times 0.575 \times 0.65 \times 1 \\ &= 6449 \text{ lbf} \end{aligned}$$

$$L_{\max} > P = 2533 \text{ lbf}$$

5.3 ALLOWABLE TUBE COMPRESSIVE STRESS

Using standards of Tubular Exchanger Manufacturers Association, TEMA, the allowable tube compressive stress, psi, for the tubes at the periphery of the bundle is given by

$$S_c = \frac{\pi^2 E_t}{2 \left(\frac{K\ell}{r} \right)^2} \quad \text{when } C_c < \frac{K\ell}{r}$$

where

$$C_c = \sqrt{\frac{2\pi^2 E_t}{S_y}}$$

S_y = yield stress of tube material

= 26 000 psi

r = radius of gyration of tube

= 0.8149 in

$K\ell$ = equivalent unsupported buckling length
of the tube in.

ℓ = unsupported tube span inch

K = 0.8 for unsupported spans between tube plate
and support plate

K = 1.0 for unsupported spans between two support
plates

E_t = elastic modulus of tube material at mean
metal temperature

= 28.3×10^6 psi

For span between support plate and tube plate

$$\frac{K\ell}{r} = \frac{0.8 \times 225}{0.8149} = 220.89 \quad \text{maximum}$$

For span between two support plates

$$\frac{Kl}{r} = \frac{1.0 \times 180}{0.8149} = 220.89$$

$$C_c = \sqrt{\frac{2\pi^2 \times 28.3 \times 10^6}{26\,000}}$$

$$= 146.58$$

$$\therefore C_c < \frac{Kl}{r}$$

$$S_c = \frac{\pi^2 E_T}{2 \left(\frac{Kl}{r} \right)^2} = \frac{\pi^2 \times 28.3 \times 10^6}{2 \times 220.89^2}$$

$$= 2862 \text{ psi}$$

5.4 CALCULATION OF TUBE AND TUBE PLATE STRESSES

The tube plate was designed using the stayed plate method in which the end pressure force is taken largely by the tubes.

The tube and tube plate stresses were calculated using Ansys computer code using method similar to that outlined in the paper "Calculation of Tube Plates in Heat Exchangers" by B. Barp and R. Angehrn [17].

The tube plate shown in Fig. 5.1 is subdivided into circular ring shaped computation elements (Fig. 5.2). Each circular ring element has a stiffness dependent on its thickness and its perforations and is regarded as a fully axisymmetric element.

The continuous flexible support of the plate provided by the tubes is simulated by annular supports at each interconnection line of the circular ring shaped computation elements. The longitudinal and bending

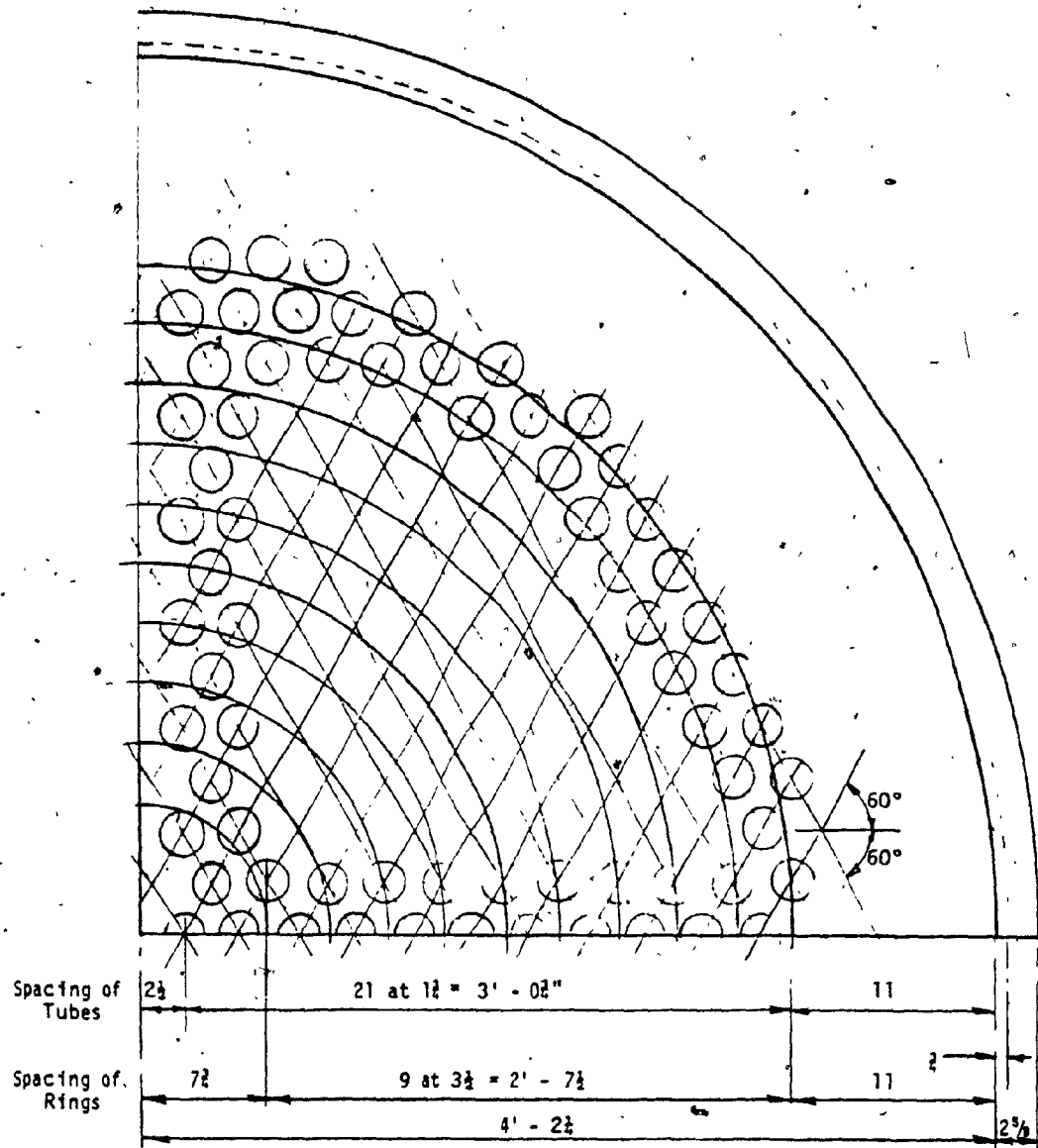
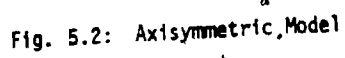


Fig. 5.1 Quadrant Plan of Tube Plate - Showing Modelling of Tubes by Equivalent Rings.



stiffnesses of these supports represent the sums of the corresponding stiffnesses of the tubes assigned to this region in the computation. Although the supports have a bending stiffness in the radial direction, they have no stiffness in the tangential direction, so that together they form a tube of orthotropic material without stiffness in its circumferential direction.

It is assumed that both tube plates are identically designed. This is conservative.

The pressure differences and also temperature differentials, occurring between the individual parts, were used as load parameters.

Ansys Run Tube — Axisymmetric Model

Nodes and elements numbering and boundary conditions are as shown in Fig. 5.2.

Node coordinates are as shown on Table 5.2.

Element Types : Tube Plate - STIFF 11
 Shell - STIFF 11
 Tubes - STIFF 14

E^* & ν^* for perforated part of tube sheet obtained from p. 388, Article 4.9, ASME, Section VIII, Div. 2. For

$$t = 1\frac{1}{2}" \quad p = 3\frac{1}{2}" \quad \text{DIA of hole, } D = 2\frac{1}{2}"$$

$$h = P - D = 1$$

$$\frac{t}{P} = \frac{1.5}{3.5} = .429$$

$$\frac{h}{P} = \frac{1}{3.5} = .286$$

$$\frac{E^*}{E} = .233 \quad (\text{By Interpolation})$$

$$E = 2.713 \times 10^7 \text{ psi}$$

$$\begin{cases} E^* = 6.3212 \times 10^6 \text{ psi} \\ \nu^* = .395 \quad (\text{By Interpolation}) \end{cases}$$

E & ν for solid part of tube plate and shell.

$$\begin{cases} E = 2.713 \times 10^7 \text{ psi} \\ \nu = .3 \end{cases}$$

$$\text{Density} = \frac{.283565 \text{ PCI}}{G} = 7.345 \times 10^{-4} \quad (G = 386.088 \text{ in/sec}^2)$$

Coefficient of thermal expansion - $6.75 \times 10^{-6}/^\circ\text{F}$

Ref. Temperature (Arbitrary) 0°F

Temperature of tubes 25°F for computer input, the actual design will be for $\Delta T = 45^\circ\text{F}$

Temperature of shell and tube plate 0°F

Pressure 200 psig

Thickness of shell : as shown on JSK1/565-981 and Fig. 5.3

Thickness of tube plate : as shown on JSK1/565-981 : $1\frac{1}{2}"$

Equivalent areas and I_{zz} for tubes: (tubes as shown on JSK1/565-981) and Fig. 5.1

$$\text{Area/Tube} = A_t = \frac{\pi \times 2.5^2}{4} - \frac{\pi (2.5 - .2 \times 2)^2}{4} = 1.44513262 \text{ in}^2$$

$$I_{zz}/\text{Tube} = I = \frac{\pi \times 2.5^4}{64} - \frac{\pi (2.5 - .2 \times 2)^4}{64} = .9628196085 \text{ in}^4$$

$$\text{Depth of Tube} = 2\frac{1}{2}"$$

RADIUS	CIRCUMFERENCE	= NO. OF TUBES	$\frac{NA}{2\pi}$ = $\frac{\text{AREA}}{\text{RADIAN}}$	$\frac{N}{2\pi}$ = $\frac{I_{zz}}{\text{RADIAN}}$
7.75"	$\pi \times 15.5$	15.5	3.565	2.3752
11.25	$\pi \times 22.5$	22.5	5.175	3.4478
14.75	$\pi \times 29.5$	29.5	6.785	4.5205
18.25	$\pi \times 36.5$	36.5	8.395	5.5932
21.75	$\pi \times 43.5$	43.5	10.005	6.6658
25.25	$\pi \times 50.5$	50.5	11.615	7.7385
28.75	$\pi \times 57.5$	57.5	13.225	8.8112
32.25	$\pi \times 64.5$	64.5	14.835	9.8838
35.75	$\pi \times 71.5$	71.5	16.445	10.9565
39.25	$\pi \times 78.5$	78.5	18.005	12.0291
TOTAL	$\pi \times 470$	470.	$\frac{679.21}{2\pi}$	$\frac{452.53}{2\pi}$

Table 5.1: Distribution of the Tubes Over the Interconnection Lines Between the Individual Circular Ring-Shaped Computation Elements.

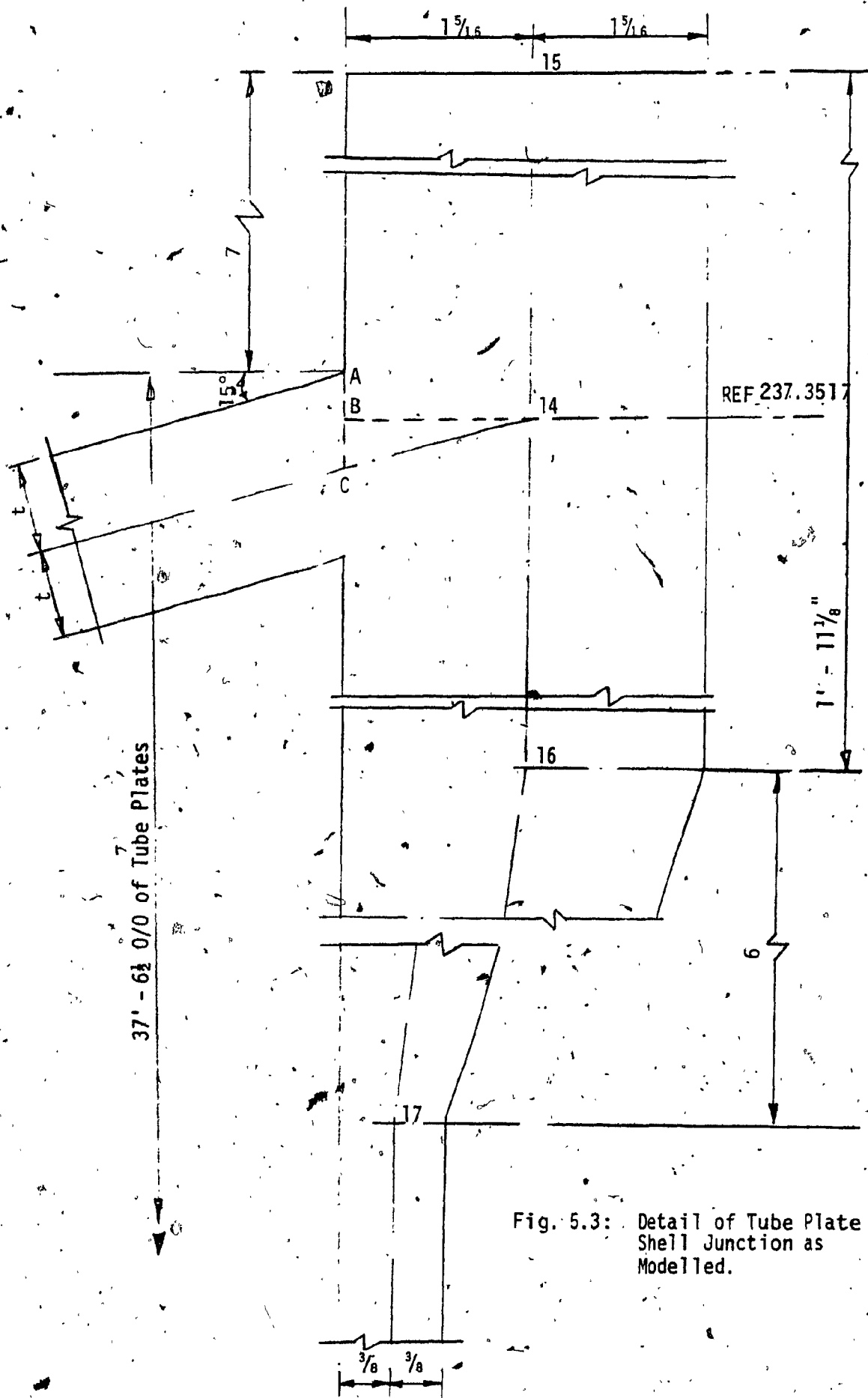


Fig. 5.3: Detail of Tube Plate Shell Junction as Modelled.

SOME NODE COORDINATES FOR FIG. 5.2

NODE NUMBER	X	ELEVATION Y
1	0.001	223.5355 799
2	7.75	225.6121 593
3	11.25	226.5499 815
4	14.75	227.4878 037
5	18.25	228.4256 258
6	21.75	229.3634 48
7	25.25	230.3012 702
8	28.75	231.2390 924
9	32.75	232.1769 145
10	35.75	233.1147 367
11	39.25	234.0525 589
12	42.25	234.8564 065
13	44.4233	235.4387 404
14	51.5625	237.3516 833

TABLE 5.2

Table 5.3: Spring Constants

x	ELEMENT#	N	1 1/4" TUBE PLATE		1 1/2" TUBE PLATE	
			FULL TUBE	CORRODED TUBE	FULL TUBE	CORRODED TUBE
7.75	2	15.5	441466.	174547.	441727.	174650.
11.25	4	22.5	639469.	252833.	639846.	252982.
14.75	6	29.5	836628.	330786.	837120.	330981.
18.25	8	36.5	1032948.	408407.	1033555.	408647.
21.75	10	43.5	1228435.	485699.	1229155.	485984.
25.75	12	50.5	1423094.	562664.	1423926.	562993.
28.75	14	57.5	1616931.	639303.	1617874.	639676.
32.25	16	64.5	1809950.	715619.	1811004.	716035.
35.75	18	71.5	2002156.	791613.	2003320.	792073.
39.25	20	78.5	2193556.	867289.	2194828.	867792.

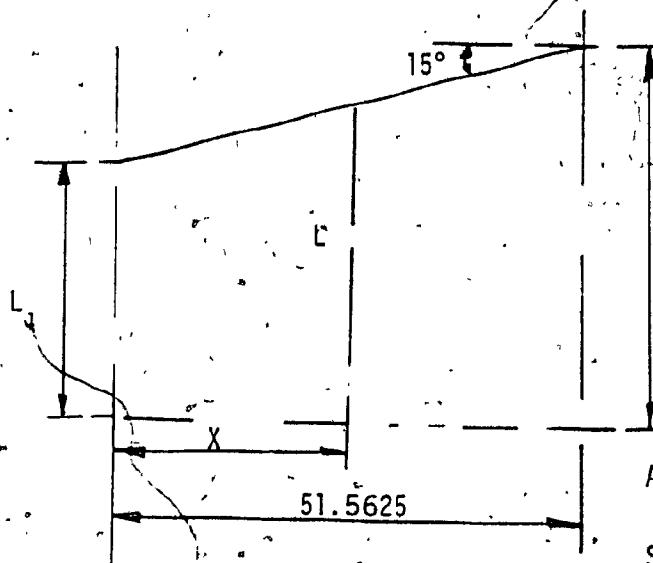


Fig. 5.4: Node Coordinates

$$L_0 = Y_{14} - Y_{37}$$

$$L_1 = L_0 - (51.5625 \tan 15^\circ)/2$$

$$L = L_0 - (51.5625 - x) \tan 15^\circ/2$$

$$\frac{\text{AREA}}{\text{RADIANT}} = \frac{NA}{2\pi} = \frac{x A}{\pi}$$

$$\text{Area (full tube)} = \frac{\pi \times 2.5}{4} - \frac{\pi \times 2.1^2}{4}$$

$$\text{Area (corroded tube)} = \frac{\pi \times 2.5}{4} - \frac{\pi \times 2.35^2}{4}$$

$$\text{Spring Constant} = \frac{\text{AREA}}{\text{RADIANT}} \times \frac{E}{L}$$

L is correct for tube plate full thickness and not modified for corroded tube plate thickness.

KEY TO ANSYS COMPUTER RUNS

Tubes Represented by Springs

<u>TUBE 21</u>	1½ tube plate full tube plate/shell full tubes
<u>TUBE 22</u>	1½ tube plate full tube plate/shell corroded tubes
<u>TUBE 23</u>	1½ tube plate corroded tube plate/shell corroded tubes
<u>TUBE 31</u>	1½ tube plate full tube plate/shell full tubes
<u>TUBE 32</u>	1½ tube plate full tube plate/shell corroded tubes
<u>TUBE 33</u>	1½ tube plate corroded tube plate/shell corroded tubes

TABLE 5.4: Summary of Output From Ansys Runs

FILE NAME DESCRIPTION	LOADING	MAX. TUBE STRESS (KSI) (AXIAL)	MAX./MIN. TUBE SHEET STRESS (KSI)		MAX. SHELL HOOP STRESS (KSI)
			FACE 1	FACE 2	
TUBE 21 ALL PARTS UNCORRODED	$\Delta T = 25^{\circ}F$	- .883	+ 7.023	- 9.048	- X
	200 psig	+1.740	+23.318	-23.829	+14.359
TUBE 22 TUBES ONLY CORRODED $\frac{1}{8}$ "	$\Delta T = 25^{\circ}F$	-1.373	+ 5.704	- 7.567	- X
	200 psig	+3.641	+26.854	-28.358	+14.363
TUBE 23 ALL PARTS CORRODED $\frac{1}{8}$ "	$\Delta T = 25^{\circ}F$	-1.236	+ 5.457	- 7.382	- X
	200 psig	+3.927	+30.143	-31.843	+17.350

Notes: ΔT = Temp. of Tubes - Temp. of Tube Plate/Shell

Tube Plate, $\frac{1}{2}$ " (Uniform Uncorroded Thickness)

$$\text{Stress in Tube} = \frac{2\pi}{NA} \times (\text{Force in Tube/Rad.})$$

$$= .0554 \times (\text{Force in Tube/Rad.})$$

$$N = 78.5$$

For Uncorroded Tube, $A = 1.445 \text{ in}^2$

For Corroded Tube, $A = 0.5714 \text{ in}^2$

} From Table 5.1

-X- Negligible where max. hoop stress occurs under pressure loading.

TABLE 5.5: Summary of Output From Ansys Runs

FILE DESCRIPTION	LOADING	MAX. TUBE STRESS(KSI) (AXIAL)	MAX./MIN. TUBE SHEET STRESS (KSI)		MAX. SHELL HOOP STRESS (KSI)
			FACE 1	FACE 2	
<u>TUBE 31</u>	$\Delta T = 25^{\circ}F$	-1.026	+ 7.165	- 8.931	-*
ALL PARTS UNCORRODED	200 psig	+1.450	+19.321	-19.765	+14.341
<u>TUBE 32</u>	$\Delta T = 25^{\circ}F$	-1.548	+ 5.761	- 7.378	-*
TUBES ONLY CORRODED $\frac{1}{8}$	200 psig	+3.090	+22.466	-23.746	+14.342
<u>TUBE 33</u>	$\Delta T = 25^{\circ}F$	-1.421	+ 5.627	- 7.277	-*
ALL PARTS CORRODED $\frac{1}{8}$	200 psig	+3.283	+24.710	-26.142	+17.311

Actual Measured Tube Plate Thickness is $1\frac{1}{2}$ " New.

Notes: ΔT = Temp. of Tubes - Temp. of Tube Sheet/SHE

Tube Plate $1\frac{1}{2}$ " (Uniform Uncorroded Thickness)

$$\begin{aligned} \text{Stress in Tube} &= \frac{2\pi}{NA} \times (\text{Force in Tube/Radian}) \\ &= .0554 \times (\text{Force in Tube/Radian}) \end{aligned}$$

$$N = 78.5$$

$$\left. \begin{array}{l} \text{For Uncorroded Tube, } A = 1.445 \text{ in}^2 \\ \text{For Corroded Tube, } A = 0.5714 \text{ in}^2 \end{array} \right\} \text{From Table 5.1}$$

* Negligible where max. hoop stress occurs under pressure loading.

5.5 COMPARISON OF CALCULATED STRESSES WITH CODE
ALLOWABLE VALUES

The above stresses have been calculated for tube plate thicknesses of $1\frac{1}{2}$ in and $1\frac{1}{4}$ in. The actually measured tube plate thickness was $1\frac{1}{2}$ in.

For a temperature differential of 25°F between tubes and shell, the maximum calculated compressive stress is 1421 psi. For conservative design we will use $\Delta T = 45^{\circ}\text{F}$ from Chapter 2, Section 2.3.

\therefore Maximum compressive stress for $\Delta T = 45^{\circ}\text{F}$

$$19 \times \sigma = \frac{45}{25} \times 1421 = 2558 \text{ psi}$$

Allowable stress = 2862 psi OK
(From section 5.3)

The stresses in tube plate are:

1. Due to pressure: 19 765 psi new
26 142 psi corroded

Only a portion of this stress is primary, but conservatively even if all of this is classified as primary stress. The

$$\begin{aligned} \text{ASME Code allowable} &= 1.5 S_M = 1.5 \times 21\,700 \\ &= 32\,550 \text{ psi} \end{aligned}$$

2. Primary plus secondary stresses:

These are stresses due to pressure and differential thermal expansion.

$$\begin{aligned} &= 26\,142 + 7277 \times \frac{45}{25} \\ &= 26\,142 + 13\,099 \\ &= 39\,241 \text{ psi} \end{aligned}$$

The code allowable stress range from ASME, Section VIII, Division 2 is

$$\begin{aligned} 3 S_M &= 3 \times 21\,700 \\ &= 65\,100 \text{ psi} \end{aligned}$$

5.6 CONCLUSIONS

Above calculations show that the stresses in tubes and tube plates meet the Code allowable values for the specified operating conditions.

CHAPTER 6

CHAPTER 6

DESIGN AND FLEXIBILITY ANALYSIS OF WASTE HEAT EXCHANGER PIPING

All piping associated with this waste heat exchanger was designed and fabricated in accordance with ANSI B 31.3, Petroleum Refinery Piping Code [14].

The detailed design and flexibility analysis for downcomer piping is presented below. An identical procedure was used for the riser piping.

6.1 PRESSURE DESIGN

6.1.1 Straight Pipe Under Internal Pressure

The internal pressure design thickness (t) was calculated in accordance with paragraph 304.1.2 [14] by using the following equation:

$$t = \frac{PD_o}{2(SE + Py)} + C$$

$$P = 200 \text{ psi}$$

$$D_o = 6.625 \text{ in}$$

$$y = 0.4$$

$$E = 1.0$$

$$S = 20\,000 \text{ psi for SA 106 GR B pipe}$$

$$C = \text{corrosion allowance} = 0.125''$$

therefore for 6 in pipe

$$\begin{aligned} t &= \frac{200 \times 6.625}{2(20\,000 + 200 \times 0.4)} + 0.125 \\ &= 0.033 + 0.125 \\ &= 0.158 \text{ in} \end{aligned}$$

Hence, use of standard wall (0.280 in nominal and 0.245 in minimum thickness) pipe is acceptable.

6.1.2 Standard Components

In accordance with Paragraph 303 [14], the use of 6 in standard wall elbows to ANSI B 16.9 and ASTM A 234 Grade WPB is also acceptable.

6.2 FLEXIBILITY ANALYSIS FOR DOWNCOMER PIPING

Schematic layout of the downcomer piping is shown in Fig. 6.1. The downcomer piping is completely fixed at 1 (waste heat exchanger shell) and B (steam drum shell).

6.2.1 Requirements for Analysis

During the WHE start up the temperature, T , of downcomer piping is 230°F . Hence ΔT the temperature above stress free condition is $\Delta T = 230 - 70 = 160^{\circ}\text{F}$.

Thus the net expansion of the downcomers in the vertical direction is $\Delta Y_s = \alpha L \Delta T$

$$\begin{aligned}\Delta Y_s &= 6.78 \times 10^{-6} \times 511.5 \times 160 \\ &= 0.5549 \text{ in}\end{aligned}$$

During normal operating conditions the temperature of downcomer is 370°F

$$\therefore \Delta T = 300^{\circ}\text{F}$$

During normal operation the anchor point 1 is displaced downward, a distance ΔY_1 , by the thermal expansion of the WHE shell.

$$\begin{aligned}\Delta Y_1 &= \alpha L \Delta T \\ &= 6.78 \times 10^{-6} \times 236.75 \times (370 - 70) \\ &= -0.481 \text{ in}\end{aligned}$$

All Fittings are to be
Butt Welded.
Elbows to
ANSI B 16.9 and
SA 234 WPB

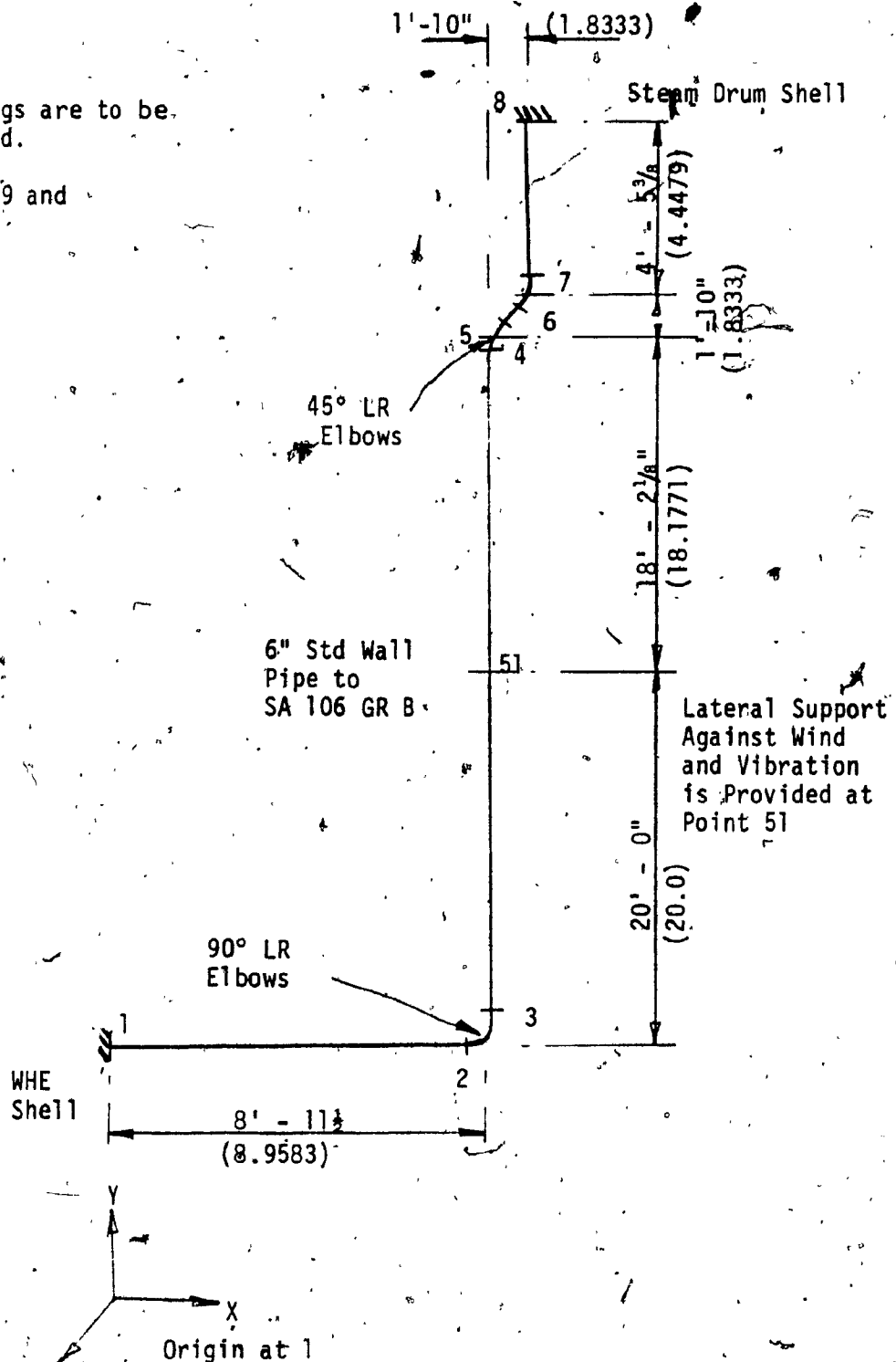


Fig. 6.1: Schematic Layout of a Downcomer

Net expansion of downcomer piping in vertical direction is

$$\begin{aligned}\Delta Y_N &= (\alpha L \Delta T)_{\text{DOWNCOMERS}} - (\alpha L \Delta T)_{\text{WHE}} \\ &= 6.78 \times 10^{-6} \times 511.5 \times 300 - 0.481 \\ &= 0.559 \text{ in}\end{aligned}$$

$$\begin{aligned}\text{Net } \Delta Y_N &> \Delta Y_S \\ 0.559 &> 0.5549 \text{ in}\end{aligned}$$

Hence, normal operating condition governs.

We will now check if analysis is mandatory in accordance with paragraph 319.4 of the code [14] using the following equation

$$\frac{DY}{(L-U)^2} \leq \frac{30 S_A}{E_A}$$

where

- D = nominal pipe size, in.
- Y = resultant of total displacement strains to be absorbed by the piping system, in.
- U = straight line distance between anchors, feet.
- L = developed length of piping between anchors, feet.
- S_A = allowable stress range, psi
- E_a = modulus of elasticity of the piping material in the cold condition, psi.

Expansion must be calculated for each coordinate and be combined

$$\begin{aligned}\Delta x &= \alpha L \Delta T \\ &= 6.78 \times 10^{-6} \times 129.5 \times 300 \\ &= 0.2634 \text{ in}\end{aligned}$$

$$\begin{aligned}\Delta y &= 6.78 \times 10^{-6} \times 511.5 \times 300 - 0.481 + \\ &= 1.0404 - 0.481 \\ &= 0.559\end{aligned}$$

$$dz = 0$$

$$\begin{aligned}Y &= \sqrt{\delta x^2 + \delta y^2 + \delta z^2} = \sqrt{0.2634^2 + 0.559^2} \\ &= 0.618 \text{ in}\end{aligned}$$

$$U = \sqrt{42.625^2 + 10.7916^2} = 43.97 \text{ ft}$$

$$L = 53.417 \text{ ft}$$

$$\therefore \frac{DY}{(L-U)^2} + \frac{6 \times 0.618}{(53.417 - 43.97)^2} = 0.0415$$

$$S_A = f (1.25 S_c + 0.25 S_h)$$

$$f = \text{fatigue factor} = 1$$

$$S_c = S_h = 18 \text{ 000 psi}$$

Conservative. Use of 20 000 psi is permitted.

$$\therefore S_A = 1.5 \times 18 \text{ 000}$$

$$= 27 \text{ 000 psi}$$

$$E_a = 27.4 \times 10^6$$

$$\frac{30 S_A}{E_a} = \frac{30 \times 27 \text{ 000}}{27.4 \times 10^6} = 0.03$$

$$\text{Hence } \frac{DY}{(L-U)^2} \text{ is greater than } 0.03 = \frac{30 S_A}{E_a}$$

Therefore analysis is required.

6.2.2 Analysis of Downcomer Piping

The downcomer piping was analyzed using a computer program called ADL Pipe, owned by Arthur D. Little Company.

The following load cases were considered:

1. Sustained Load

File 10 is for sustained load. This gives the longitudinal stresses due to pressure and deadweight including the weight of insulation, W.

Design Pressure = 200 psig

W = 3.38 lb/in

2. Occasional Load

File 11 contains the assessment of occasional loading stresses due to wind.

Design Pressure = 200 psig

W = 3.38 lb/in

For the assessment of wind loading, a load of 0.54 g was statically applied in the 'Z' direction.

3. Thermal Expansion Analysis

It has already been demonstrated that the normal operating condition represented most severe thermal expansion of the piping.

Hence File 13 contains the analysis for the normal operating condition.

$\Delta T = 300^{\circ}\text{F}$

$\alpha = 6.78 \times 10^{-6} \text{ in/in.}^{\circ}\text{F}$

f = 1.0

$S_c = 18\,000 \text{ psi}$

ADPIPE PAGE 1 05/03/79 15.27.01.

ARTHUR D. LITTLE INC. ADPIPE STRESS ANALYSIS

DOWNHEADERS AS SHOWN ON DRG 6 CONT. 565-981 IMPERIAL OIL LTD. JS KANDOLA
 VERSION - ADPIPE (FAST) FEB 1977 REVISION 3C
 REFER TO ADPIPE MANUAL DATED APRIL 1977.

 FEATURES OF ADPIPE

1. ASME SECTION III, CLASS 1 STRESS ANALYSIS AND STRESS REPORT PER NO 3600 BOTH 1972 AND 1974 (WINTER ADDENDA 1975)
2. ASME SECTION III, CLASS 1 USAGE FACTOR CALCULATION
3. ASME SECTION III, CLASS 2 AND 3 STRESS ANALYSIS AND STRESS REPORT PER MC 3600 BOTH 1971 (INCLUDING WINTER 1972 ADDENDA) AND 1974
4. ANSI B31.1, 1967 AND ANSI B31.1B, 1973 STRESS ANALYSIS AND REPORT
5. ANSI B31.3, 1973 AND ANSI B31.4, 1973 STRESS ANALYSIS AND REPORT
6. ISOMETRIC PLOT WITH SEQUENCE NUMBERS
7. ISOMETRIC PLOTTING WITH DIMENSIONS
8. PLAN AND ELEVATION DRAWINGS WITH DIMENSIONS
9. NEW OFFSET CARD USED AS A MEMBER MODIFIER SPECIFICS WELD OFFSET, OVALITY, AND REDUCER CORN. ANGLE
10. BEAM ELEMENT
11. RIGID BODY ELEMENT
12. WIND LOADS
13. SECTIONED ELBOWS
14. COLD SPRING
15. SKEWED BELLOWS
16. MULTIPLE JOB CARDS
17. LOADINGS STATIC - PRESSURE, DEADWEIGHT, THERMAL, STATIC ACCELERATION, DISPLACEMENTS, WIND
18. LOADINGS DYNAMIC - SHOCK SPECTRAL RESPONSE ANALYSIS AND TIME HISTORY ANALYSIS
19. LOADINGS - TIME DEPENDENT THERMAL TRANSIENT

FOR FURTHER INFORMATION OR COMMENT CONTACT:
 1. YOUR TECHNICAL SERVICE REPRESENTATIVE

2. J. W. DINGWELL
 ARTHUR D. LITTLE, INC.
 ACORN PARK
 CAMBRIDGE, MASS 02140
 TEL (617) 844-5778 TELEX 921436

ARTUR D. LITTLE INC.

ADLPIPE STRESS ANALYSIS

05/03/79

-15.27.01.

GEOMETRY DOWNCOMERS AS SHOWN ON DRG 6 CONT. 565-901 IMPERIAL OIL LTD, JS KANDOLA

[illegible]

ADPIPE PAGE 14

DOWNCOMERS AS SHOWN ON DRG 6 CONT. 565-981 IMPERIAL OIL LTD. J. KANDULA
 DEADWEIGHT AND PRESSURE ANALYSIS FOR WHE 565-981 DOWNCOMERS

05/03/79 15.29.09.

CONDITION 10

LOADS

DEADWEIGHT
 PRESSURE

STRESS UNITS (LR/SQ IN)

831-3 - 1973 SUMMARY OF 10 HIGHEST STRESSES FOR EACH EQUATION

***** SUSTAINED LOAD *****			
1.	SEC	MEM	STRESS
2.	2	4	7146.
3.	2	4	5950.
4.	2	2	4691.
5.	2	5	3957.
6.	2	5	3789.
7.	2	2	3574.
8.	1	1	3369.
9.	2	1	2919.
10.	2	3	2838.
			2293.

ADPIPE PAGE 12

05/03/79

ARTHUR D. LITTLE INC. AOLPIPE STRESS ANALYSIS
DOWNCOMERS AS SHOWN ON DRG 6 CONT.565-981 IMPERIAL OIL LTD. JS KANDOLA
DEADWEIGHT AND PRESSURE AND WIND FOR WHE 565-981 DOWNCOMERS

15.31.32.

LOADS
ACCELERATION
PRESSURE
STRESS UNITS (LR/50 IN)

RJ1.3' - 1973 SUMMARY OF 10 HIGHEST STRESSES FOR EACH EQUATION

***** OCCASIONAL LOAD *****			
1.	SEC	MEM	SEQ POS
2.	2	5	0 END
3.	1	1	1 BEG
4.	2	4	7 END
5.	2	4	6 BEG
6.	2	1	51 BEG
7.	1	3	51 END
8.	1	2	3 END
9.	2	5	7 BEG
10.	2	2	4 BEG
	2	1	6 END
			STRESS
			7001.
			6997.
			6520.
			4916.
			4709.
			4709.
			4445.
			4001.
			3739.
			3134.

ADPIPE PAGE 12 ARTHUR D. LITTLE, INC. ADPIPE STRESS ANALYSIS 05/03/79 15.36.20.
 DOWNCOMERS AS SHOWN ON DRG 6 CONT. 565-981 IMPERIAL OIL LTD. JS KANDULA
 THERMAL EXPANSION DURING NORMAL OPERATION WHE 565-981 DOWNCOMERS

LOADS
 THERMAL
 EXTERNAL
 PRESSURE
 STRESS UNITS (LB/SQ IN)

B31.3 - 1973 SUMMARY OF 10 HIGHEST STRESSES FOR EACH EQUATION

***** THERMAL RANGE *****			
1.	SEC	MEM	SEQ POS
1.	1	1	1 BEG
2.	1	2	3 END
3.	1	2	2 BEG
4.	2	2	4 BEG
5.	2	2	5 END
6.	1	3	3 BEG
7.	2	4	7 END
8.	1	1	2 END
9.	2	1	4 END
10.	2	4	6 BEG
			STRESS
			15448.
			8613.
			5276.
			5124.
			4261.
			3881.
			2803.
			2377.
			2309.
			1941.

ADLPIPE PAGE 14 ARTHUR D. LITTLE INC. ADLPIPE STRESS ANALYSIS 05/03/79 14.36.41.
STIFFEST RISER AS SHOWN ON DRG 7 CONT.565-981 IMPERIAL OIL LTD JSK
DEADWEIGHT AND PRESSURE ANALYSIS FOR WHE 565-981 RISERS

CONDITION 20

LOADS

DEADWEIGHT

PRESSURE

STRESS UNITS (LB/SQ IN)

B31.1 - 1973 SUMMARY OF 10 HIGHEST STRESSES FOR EACH EQUATION.

	SEC	MEM	SEQ	POS	SUSTAINED LOAD.	STRESS
1.	1	1	1	BEG	2023.	
2.	2	5	8	END	1581.	
3.	1	2	3	END	1509.	
4.	1	2	2	BEG	1508.	
5.	2	2	4	BEG	1335.	
6.	1	3	3	BEG	1296.	
7.	2	4	7	END	1287.	
8.	2	4	6	BEG	1267.	
9.	1	1	2	END	1264.	
10.	2	1	4	END	1186.	

ADPIPE PAGE 12 ARTHUR D. LITTLE INC. ADPIPE STRESS ANALYSIS 05/03/79 14.40.18.
 STIFFEST RISER AS SHOWN ON DRG 7 CONT-565-981 IMPERIAL OIL LTD JSK
 DEADWEIGHT AND PRESSURE AND WIND FOR WHE 565-981 RISERS

LOADS
 ACCELERATION
 PRESSURE
 STRESS UNITS (LB/SQ IN)

B31.3 -1973 SUMMARY OF 10 HIGHEST STRESSES FOR EACH EQUATION

***** OCCASIONAL LOAD *****			
	SEC	MEM	SEQ POS
1.	2	5	8 END
2.	1	2	3 END
3.	1	3	3 BEG
4.	2	2	5 END
5.	2	2	4 BEG
6.	1	1	1 BEG
7.	1	2	2 BEG
8.	2	4	6 BEG
9.	2	3	5 BEG
10.	2	1	51 BEG
			STRESS
			2432.
			1674.
			1380.
			1374.
			1310.
			1310.
			1236.
			1224.
			1222.
			1216.

ADPIPE PAGE 12 ARTHUR D. LITTLE, INC. ADPIPE STRESS ANALYSIS 05/03/79 14.42.43.
 STIFFEST RISER AS SHOWN ON DRG 7 CONT. 565-981 IMPERIAL OIL LTD JSK
 THERMAL EXPANSION DURING NORMAL OPERATION WHE 565-981 RISERS

LOADS
 THERMAL
 EXTERNAL
 PRESSURE
 STRESS UNITS (LB/50 IN)

831.3 - 1973 SUMMARY OF 10 HIGHEST STRESSES FOR EACH EQUATION

	THERMAL RANGE				STRESS
	SEC	MEM	SEQ	POS	
1.	2	5	8	END	24531.
2.	2	2	4	BEG	19376.
3.	2	2	5	END	13621.
4.	2	1	4	END	8983.
5.	1	2	3	END	7598.
6.	2	3	5	BEG	7212.
7.	2	4	6	BEG	4655.
8.	1	2	2	BEG	5640.
9.	2	4	7	END	4537.
10.	2	3	6	END	4332.

ADPIPE PAGE 20 STIFFEST RISER AS SHOWN ON DRG 7 CONT.565-981 ADPIPE STRESS ANALYSIS 05/03/79 14.57.14.
 STRESS REPORT FOR RISERS WHE 565-981 IMPERIAL OIL LTD JSK
 STRESS UNITS (LB/SQ IN)

831.3 - 1973 SUMMARY OF 10 HIGHEST STRESSES FOR EACH EQUATION

***** SUSTAINED LOAD *****

1.	SEC	MEM	SEQ	POS	STRESS
1.	1	1	1	BEG	2023.
2.	2	5	8	END	1581.
3.	1	2	3	END	1509.
4.	1	2	2	BEG	1508.
5.	2	2	4	BEG	1335.
6.	1	3	3	BEG	1296.
7.	2	4	7	END	1287.
8.	2	4	6	BEG	1267.
9.	1	1	2	END	1264.
10.	2	1	4	END	1186.

***** OCCASIONAL LOAD *****

1.	SEC	MEM	SEQ	POS	STRESS
1.	2	5	8	END	2419.
2.	1	1	1	BEG	1971.
3.	1	2	3	END	1904.
4.	2	2	4	BEG	1584.
5.	1	3	3	BEG	1520.
6.	2	2	5	END	1358.
7.	2	4	7	END	1347.
8.	1	2	2	BEG	1333.
9.	2	1	4	END	1309.
10.	1	1	5	END	1297.

***** THERMAL RANGE *****

1.	SEC	MEM	SEQ	POS	STRESS
1.	2	5	8	END	24531.
2.	2	2	4	BEG	19376.
3.	2	2	5	END	13621.
4.	2	1	4	END	7598.
5.	1	2	3	END	7212.
6.	2	3	5	BEG	4655.
7.	2	4	6	BEG	4640.
8.	1	2	2	BEG	4537.
9.	2	4	7	END	4332.
10.	2	1	4	END	4332.

$$S_h = 18\,000 \text{ psi}$$

$$\Delta Y_1 = -0.481 \text{ in} = \text{imposed displacement at anchor Point 1.}$$

Boundary Conditions

In all load cases the anchor points 1 and 8 were completely fixed. In addition, for load File 13, the anchor point 1 was displaced $\Delta Y_1 = -0.481 \text{ in.}$

The results of the analysis are shown on pages 95-99.

6.3 ANALYSIS OF RISER PIPING

The 6" in. riser piping was analyzed using an identical approach to the downcomer. An isometric sketch of a typical riser loop is shown in Fig. 6.2.

Adlpipe input for riser piping is shown on pages 100-104.

These calculations show that the stresses in riser piping for the specified operating conditions are within the code allowable values.

6.4 CONCLUSIONS FROM PIPING ANALYSIS

These flexibility calculations show that the downcomer and riser piping meet the ANSI B 31.3 Code requirements for the specified operating conditions.

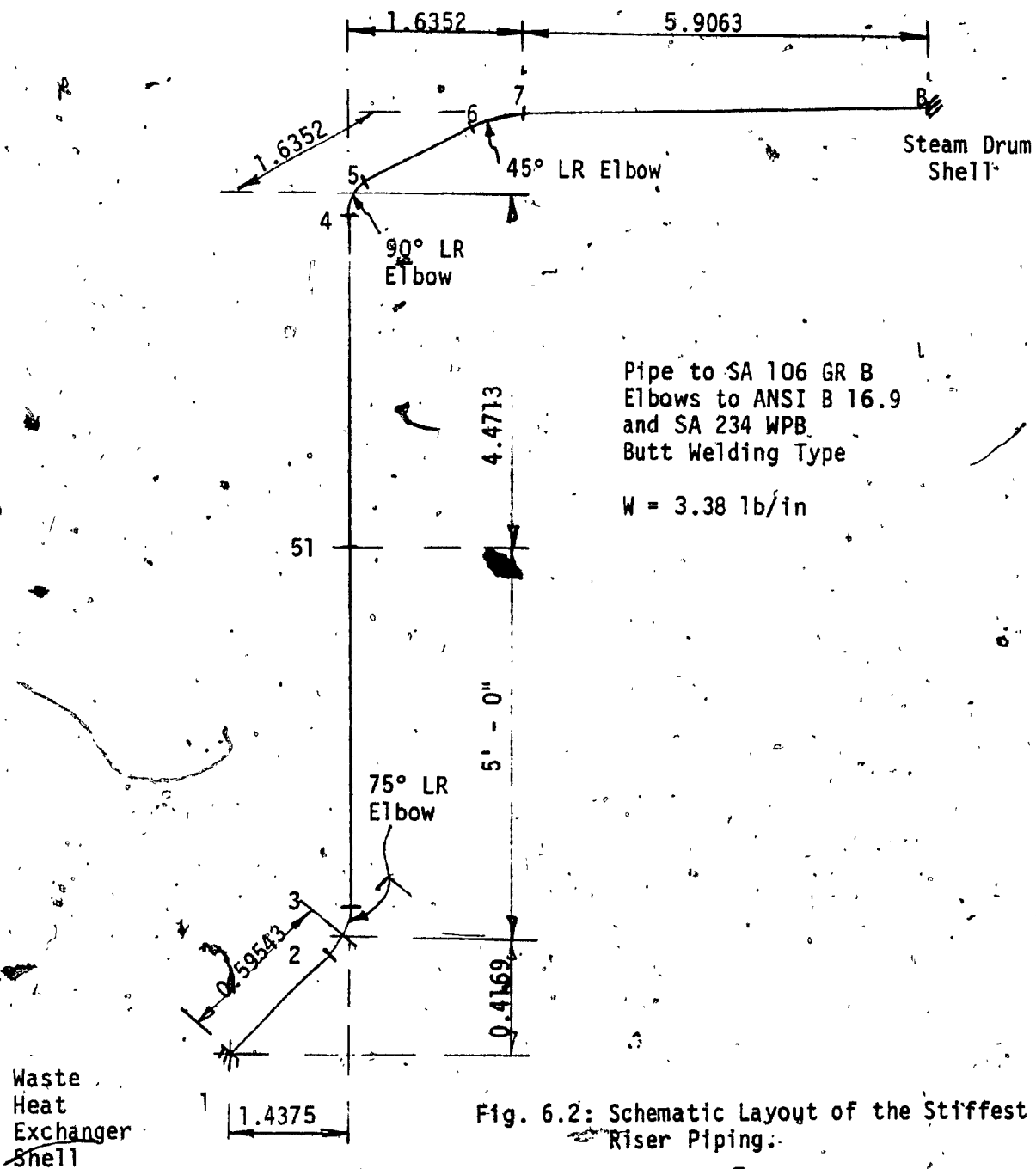
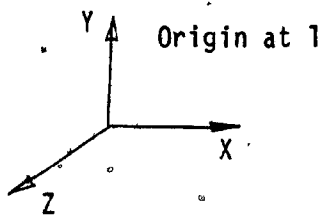


Fig. 6.2: Schematic Layout of the Stiffest Riser Piping.

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REFERENCES

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APPENDIX A

APPENDIX A

DESIGN OF GAS INLET AND OUTLET CONESA.1 GAS INLET CONE

The gas inlet cone is shown on drawing No. 8, Appendix C. The cones were designed to ASME Section VIII, Division 1.

A.1.1 Subshell Thickness

As per Paragraph UG 27(c)

$$t = \frac{PR}{SE - 0.6P} + C$$

$$P = 40 \text{ psig}$$

$$R = 50.9375 \text{ in}$$

$$S = 17\,500 \text{ psi} \quad \text{For SA 516 GR 70 Plate}$$

$$E = 1$$

$$C = 0.125 \text{ in}$$

$$t = \frac{40 \times 50.9375}{17\,500 - 0.6 \times 40} + 0.125$$

$$= 0.1166 + 0.125 = 0.242 \text{ in}$$

Use $\frac{5}{8}$ in thick plate since flange calculations govern - see later.

A.1.2 Cone Thickness

Using Paragraph UG 32(g)

$$t = \frac{PD}{2 \cos \alpha (SE - 0.6P)} + C$$

$$D = 101.875$$

$$\alpha = 10.6^\circ$$

$$\begin{aligned}
 t &= \frac{40 \times 101.875}{2 \cos 10.6^\circ (17\,500 - 0.6 \times 40)} + 0.125 \\
 &= 0.1186 + 0.125 \\
 &= 0.244 \text{ in}
 \end{aligned}$$

To include all the reinforcement in cone thickness $t_{REQD} = 244 + 0.1186 = 0.363 \text{ in.}$

i.e. Double the required thickness.

Hence use of $\frac{1}{2}$ in thk plate from stock material is acceptable.

A.1.3 Gas Inlet Cone Welding End

This is cylindrical section

$$R = 26.625 \text{ in}$$

$$\begin{aligned}
 t &= \frac{PR}{SE - 0.6P} + C \\
 &= \frac{40 \times 26.625}{17\,500 - 0.6 \times 40} + 0.125 \\
 &= 0.061 + 0.125 \\
 &= 0.186 \text{ in}
 \end{aligned}$$

Again, use of $\frac{1}{2}$ in thk plate is acceptable.

A.1.4 Cone Reinforcement

We will now check if additional reinforcement is required at cone to shell sections using ASME Section VIII, Division 1, Appendix 1, Paragraph UA 5, UA 5(b), Large End.

$$\frac{P}{SE} = \frac{40}{17\,500 \times 1} = 0.0023$$

$$\Delta = 15.9^\circ \text{ from Table UA 5-1}$$

$\Delta > \alpha = 10.5^\circ$. Hence, no additional reinforcement is required at cone

to cylinder junction at the large end.

UA 5(c). small end

$$\frac{P}{SE} = \frac{40}{17\,500 \times 1} = 0.0023$$

From Table UA 5-2 $\Delta = 4.2^\circ < \alpha = 10.5^\circ$.

Hence, we must check for reinforcement

$$\begin{aligned} A_{REQD} &= \frac{PR_s^2 K}{2 SE} \left(1 - \frac{\Delta}{\alpha}\right) \tan \alpha \\ &= \frac{40 \times 26.625^2}{2 \times 17\,500 \times 1} \times 1 \left(1 - \frac{4.2}{10.5}\right) \tan 10.5 \\ &= 0.09 \text{ in}^2 \end{aligned}$$

$$\text{Area available} = A_e = M \sqrt{R_s t} \left[\left(t_c - \frac{t}{\cos \alpha}\right) + (t_s - t) \right]$$

$$\text{Where } M = \text{smaller of } \left[\frac{t_s}{t} \cos (\alpha - \Delta) \right] \text{ or } \left[\frac{t_e \cos \alpha \cos (\alpha - \Delta)}{t} \right]$$

$$M = \text{smaller of } \left[\frac{0.375}{0.1186} \cos 6.3 \right] \text{ or } \left[\frac{0.375 \cos 10.5 \cos 6.3}{0.1186} \right]$$

$$= \text{smaller of } 3.143 \text{ or } 3.09$$

$$M = 3.09$$

$$\begin{aligned} \therefore A_e &= 3.09 \sqrt{26.625 \times 0.1186} \left[\left(0.375 - \frac{0.1186}{\cos 10.5}\right) + (0.375 - 0.1186) \right] \\ &= 2.80 \text{ in}^2 > A_{REQD} \end{aligned}$$

A.1.5 Flange Design

Design of gas inlet cone main flange for $P = 40$ psig is shown in Table A.1.

To check the main flange for operating pressure and external moment the procedure outlined in section 4.2.4(b), Case 2 is used.

Design of Gas Inlet and Outlet Cone
Flanges for Design Pressure of 40 psig.

TABLE A.1


WELDING NECK FLANGE DESIGN

SHEET A

DESIGN CONDITIONS				GASKET and BOLTING CALCULATIONS				FROM FIG. UA 49.1 and UA 49.2														
Design Pressure, P	40 psig			Gasket Details		Facing Details		N =	0.5													
Design Temperature	650°F			104.125" $\frac{1}{2}$ x 105.125" $\frac{1}{2}$ D		105.75" $\frac{1}{2}$ x $\frac{1}{8}$		b =	0.25													
Flange Material	SA 516 GR 65			x 3/16 thk SS 410 Flat		Raised Face		r =	9000													
Bolting Material	SA 193 GR B7			Metal Jckd Asbestos				m =	3.75													
Corrosion Allowance	0.125			$W_{g1} = \pi D G r = 739\ 551$		$A_g = \frac{W_{g1}}{S_g} = 29.58$																
<div style="display: flex; align-items: center;"> <div style="writing-mode: vertical-rl; transform: rotate(180deg); font-size: small;"> Flange Bolt Bolt </div> <table border="1" style="margin-left: 10px;"> <tr> <td>Design Temp, S_g</td> <td>16 300</td> <td>$M_s = 2\pi r G m^2 = 24\ 652$</td> <td>$A_b = 72 \times 0.419 = 30.17\ \text{in}^2$</td> </tr> <tr> <td>Aim Temp, S_g</td> <td>16 300</td> <td>$H = G r^2 = 343\ 891$</td> <td>$W = S(A_g - A_b)S_g = 746\ 850$</td> </tr> <tr> <td>Design Temp, S_b</td> <td>25 000</td> <td>$W_{g1} = M_s + H = 368\ 543$</td> <td>$W_{g1} =$</td> </tr> <tr> <td>Aim Temp, S_b</td> <td>25 000</td> <td colspan="2">Gasket Width Check (Raised Face ONLY) $M_{min} = A_b S_b / 2 r G = 0.127$</td> </tr> </table> </div>	Design Temp, S _g	16 300	$M_s = 2\pi r G m^2 = 24\ 652$	$A_b = 72 \times 0.419 = 30.17\ \text{in}^2$	Aim Temp, S _g	16 300	$H = G r^2 = 343\ 891$	$W = S(A_g - A_b)S_g = 746\ 850$	Design Temp, S _b	25 000	$W_{g1} = M_s + H = 368\ 543$	$W_{g1} =$	Aim Temp, S _b	25 000	Gasket Width Check (Raised Face ONLY) $M_{min} = A_b S_b / 2 r G = 0.127$							
	Design Temp, S _g	16 300	$M_s = 2\pi r G m^2 = 24\ 652$	$A_b = 72 \times 0.419 = 30.17\ \text{in}^2$																		
	Aim Temp, S _g	16 300	$H = G r^2 = 343\ 891$	$W = S(A_g - A_b)S_g = 746\ 850$																		
	Design Temp, S _b	25 000	$W_{g1} = M_s + H = 368\ 543$	$W_{g1} =$																		
Aim Temp, S _b	25 000	Gasket Width Check (Raised Face ONLY) $M_{min} = A_b S_b / 2 r G = 0.127$																				
CONDITION		LOAD		X		LEVER ARM		=														
<div style="display: flex; align-items: center;"> <div style="writing-mode: vertical-rl; transform: rotate(180deg); font-size: small;"> Operating Gasket Sealing </div> <table border="1" style="margin-left: 10px;"> <tr> <td>$M_o = \pi R^2 P = 327\ 653$</td> <td>$h_o = R(1 - S_g) = 2.1875$</td> <td>$M_o = M_o h_o = 716\ 741$</td> </tr> <tr> <td>$M_g = M_o - M_s = 24\ 562$</td> <td>$h_g = S(C - G) = 1.125$</td> <td>$M_g = M_g h_g = 27\ 632$</td> </tr> <tr> <td>$M_r = M - M_o = 16\ 238$</td> <td>$h_r = S(R + g_1 + h_g) = 1.8125$</td> <td>$M_r = M_r h_r = 29\ 431$</td> </tr> <tr> <td>$W_o = W$</td> <td>$h_g = S(C - G) = 1.125$</td> <td>$M_o = 840\ 206$</td> </tr> </table> </div>		$M_o = \pi R^2 P = 327\ 653$	$h_o = R(1 - S_g) = 2.1875$	$M_o = M_o h_o = 716\ 741$	$M_g = M_o - M_s = 24\ 562$	$h_g = S(C - G) = 1.125$	$M_g = M_g h_g = 27\ 632$	$M_r = M - M_o = 16\ 238$	$h_r = S(R + g_1 + h_g) = 1.8125$	$M_r = M_r h_r = 29\ 431$	$W_o = W$	$h_g = S(C - G) = 1.125$	$M_o = 840\ 206$									
		$M_o = \pi R^2 P = 327\ 653$	$h_o = R(1 - S_g) = 2.1875$	$M_o = M_o h_o = 716\ 741$																		
		$M_g = M_o - M_s = 24\ 562$	$h_g = S(C - G) = 1.125$	$M_g = M_g h_g = 27\ 632$																		
		$M_r = M - M_o = 16\ 238$	$h_r = S(R + g_1 + h_g) = 1.8125$	$M_r = M_r h_r = 29\ 431$																		
$W_o = W$	$h_g = S(C - G) = 1.125$	$M_o = 840\ 206$																				
STRESS CALCULATION — Conditions (use M)		SHAPE CONSTANTS		From design table 2 and design charts 1, 2 & 5																		
1.5 S _g	Long Hub, $S_w = (M / A) \sqrt{g_1}$	20 524		$K = A/B = 1.0786$	$n/h_o =$																	
S _g	Radial Flg, $S_r = (M / A) \sqrt{r}$	1134		$r = 1.88$	$f = 0.9089$																	
S _g	Tang Flg, $S_t = (M / A) \sqrt{r} - ZS_o$	3290		$Z = 13.23$	$v = 0.5511$																	
S _g	Stress $S_t S_w + S_r$ or $S_t S_w + S_r$	11 907		$Y = 25.5$	$i = 1$																	
STRESS CALCULATION — Gasket Sealing (use M)				U = 28.03	$i = F/h_o = 0.1139$																	
1.5 S _g	Long Hub, $S_w = (M / A) \sqrt{g_1}$	22 200		$g_1/g_o = 1$	$d = \frac{U}{v} h_o = 158.863$																	
S _g	Radial Flg, $S_r = (M / A) \sqrt{r}$	12 350		$h_o = \sqrt{8g_o} = 7.979$																		
S _g	Tang Flg, $S_t = (M / A) \sqrt{r} - ZS_o$	35 920		OTHER STRESS FORMULA FACTORS																		
S _g	Stress $S_t S_w + S_r$ or $S_t S_w + S_r$	12 920		1 (assumed)	3.25																	
				$\alpha = 1.0 - 1$	1.3702																	
				$\beta = 4.3 - 1$	1.494																	
				$\gamma = \alpha / r$	0.729																	
				$\delta = 1 / d$	0.2161																	
				$\lambda = \gamma + \delta$	0.9451																	
				$M = M_o / 8$	7577																	
				$M = M_o / 8$	8227																	
				If bolt spacing exceeds $2a + 1$, multiply V_o and M_o in above equations by $\frac{\text{Bolt spacing}}{2a + 1}$																		
Computed JSK	Date Feb 14/79																					
Checked	Number																					

WELDING NECK FLANGE DESIGN

SHEET A

DESIGN CONDITIONS				GASKET and BOLTING CALCULATIONS				FROM Fig. UA 49.1 and UA 49.2	
Design Pressure, P		60 psig		Gasket Details 104.125" $\frac{1}{4}$ " x 105.125" $\frac{1}{4}$ " x 3/16 thk SS 410 flat Metal Jckd Asbestor		Facing Details 105.75" $\frac{1}{4}$ " x $\frac{1}{8}$ " Raised Face		$N = 0.5$ $b = 0.25$ $r = 9000$ $m = 3.75$	
Design Temperature		650°F							
Flange Material		SA 516 GR 65							
Bolting Material		SA 193 GR B7							
Corrosion Allowance				0.125					
ASME Section VIII	Flange	Design Temp., S_h	16 300	$W_{h1} = b \pi G r = 739 551$		$A_h = \frac{W_{h1}}{S_h} = 29.58 \text{ in}^2$			
		Alm. Temp., S_h	16 300	$H_h = 2b \pi G m P = 36 977$		$A_h = 72 \times 0.419 = 30.17 \text{ in}^2$			
	Bolting	Design Temp., S_b	25 000	$H = G \pi P A = 515 836$		$W = S(A_h + A_b)S_b = 746 850$			
		Alm. Temp., S_b	25 000	$W_{h1} = H_h + H = 552 814$		$W_{h1} =$			
				Gasket Width Check (Raised Face ONLY) $N_{min} = A_b S_b / 2 \pi r G = 0.127$					
CONDITION		LOAD		X		LEVER ARM		MOMENT	
Gasket Sealing		$H_0 = \pi b^2 P A = 491 479$		$h_h = R I S_g = 2.1875$		$M_0 = H_0 h_h = 1075 110$			
		$H_G = W_{h1} - H_h = 36 977$		$h_g = S I C - G I = 1.125$		$M_G = H_G h_g = 41 599$			
		$H_I = H - H_0 = 24 357$		$h_I = S I R + g_1 + h_g = 1.8125$		$M_I = H_I h_I = 44 147$			
		$H_G = W = 746 850$		$h_g = S I C - G I = 1.125$		$M_g =$			
Stress		STRESS CALCULATION—		Conditions (use M)		SHAPE CONSTANTS			
1/3 S_h		Long Hub, $S_h = f M / \lambda g_1^2$		30 787		$K = A/b = 1.0786$			
2/3 S_h		Radial Flg., $S_h = 3 M / \lambda r^2$		1139		$r = 1.88$			
S_h		Tang. Flg., $S_r = (M Y / I^2) - Z S_e$		12 377		$z = 13.23$			
S_b		Dist. of $S(S_h + S_e)$ or $S(S_h - S_r)$		21 583		$y = 25.5$			
Stress		STRESS CALCULATION—Gasket Sealing (use M)				$u = 28.03$			
1/3 S_h		Long Hub, $S_h = f M / \lambda g_1^2$		22 284		$g_1/g_e = 1$			
2/3 S_h		Radial Flg., $S_h = 3 M / \lambda r^2$		1231		$h_e = \sqrt{3} g_e = 7.979$			
S_h		Tang. Flg., $S_r = (M Y / I^2) - Z S_e$		3572		$d = \frac{u}{v} h_e g_1^2 = 158.863$			
S_b		Dist. of $S(S_h + S_e)$ or $S(S_h - S_r)$		12 928					
OTHER STRESS FORMULA FACTORS									
r (assumed)		3.25							
$a = 10 + t$		1.3702							
$\beta = 4.3 (10 + t)$		1.494							
$\gamma = a/T$		0.729							
$\delta = 1/d$		0.2161							
$\lambda = \gamma + \delta$		0.9451							
$M = M_0, 8$		11367							
		8227							
If bolt spacing exceeds $2a + t$, multiply S_h and M_0 in above equations by $\sqrt{\frac{\text{Bolt spacing}}{2a + t}}$									
									
Computed JSK Date _____ Checked _____ Number _____									

Thus the joint is checked for a total equivalent pressure of 60 psi which includes operating pressure and specified external loadings including earthquake as per Table 4.2.

$$\begin{aligned}
 S_H &= \lambda \frac{fM_o}{g_1^2 B} + \frac{PB}{4g_o} \\
 &= \frac{1 \times 1160856}{0.9451 \times 0.625^2 \times 102.125} + \frac{15.3 \times 102.125}{4 \times 0.625} \\
 &= 30789 + 625 \\
 &= 31415 \text{ psi}
 \end{aligned}$$

This solution is shown in Table A.2. Definition of above symbols are also given in Table A.2. Allowable for $S_H = 1.5S$ for pressure, thermal and deadweight loading.

$$S_H = 1.33 \times 1.5S \text{ for pressure, thermal, deadweight and earthquake loading.}$$

$$= 1.33 \times 1.5 \times 17500 = 34912 \text{ psi}$$

$$S_R = 1139 \text{ psi}$$

$$\text{Allowable for } S_R = 1.33 \times 1.5S = 1.33 \times 1.5 \times 16300 = 32600 \text{ psi}$$

$$S_T = 12377 \text{ psi}$$

$$\text{Allowable for } S_T = 1.33 \times 1.5S = 1.33 \times 1.5 \times 16300 = 32600 \text{ psi}$$

A.1.6 Alternative Assessment of Gas Inlet Cone Flange

In accordance with Paragraph UA 48 (3) of the code, the cone flange may be classified as an optional type flange since

$$g_o = 0.625 \text{ is not greater than } \frac{5}{8} \text{ in}$$

$$\frac{B}{g_o} = \frac{102.125}{0.625} = 163.4 \text{ is not greater than } 300$$

$P_{\max} = 60 \text{ psi}$ is not greater than 300 psi

Operating temperature = 375° which is not greater than 700°F .

Using Paragraph UA 51(b) for an optional type flange

$S_R = \text{radial stress} = 0$ $S_H = \text{longitudinal hub stress} = 0$

$S_T = \text{calculated tangential stress in flange}$

$$S_T = \frac{M_O Y}{B t_F^2}$$

$$\therefore \text{maximum } S_T = \frac{1 \ 160 \ 856 \times 25.5}{102.125 \times 3.25^2} = 27 \ 442 \text{ psi}$$

Again the allowable stress used is as per ASME Section III, Class 2.

$S_A = 1.5 S = 1.5 \times 16 \ 300 = 24 \ 450 \text{ psi}$ for pressure, thermal and deadweight loading.

Actual stress for this load case is

$$27 \ 442 \times \frac{51}{60} = 23 \ 325 \text{ psi}$$

$$S_A = 1.33 \times 1.5 S = 1.33 \times 1.5 \times 16 \ 300 = 32 \ 000 \text{ psi}$$

A.1.7 Other Flanges

In all other cases on the gas inlet cone the flanges used were to ANSI B 16.5 and SA 105 for pressure rating of 150 psi.

A.2 GAS OUTLET CONE

The gas outlet cone is shown on drawing No. 2, in Appendix C.

A.2.1 Subshell Thickness

Calculation procedure is identical to Section A.1.1

$$t_{\text{REQUIRED}} = 0.242 \text{ in}$$

$$t_{\text{SUPPLIED}} = \frac{5}{8} \text{ in}$$

A.2.2 Cone Thickness

As Paragraph UG 32(g)

$$t = \frac{PD}{2 \cos \alpha (SE - 0.6P)} + C$$

$$P = 40 \text{ psi}$$

$$D = 101.875 \text{ in}$$

$$\alpha = 15^\circ$$

$$S = 17\,500 \text{ psi} \quad \text{For SA 516 GR.70}$$

$$E = 1$$

$$C = 0.125 \text{ in}$$

$$t = \frac{40 \times 101.875}{2 \cos 15 (17\,500 - 0.6 \times 40)} + 0.125$$

$$= 0.121 + 0.125$$

$$= 0.246 \text{ in}$$

To include all the required reinforcement in shell

$$t_{\text{REQD}} = 0.246 + 0.121$$

$$= 0.367 \text{ in}$$

Hence, $t^* = \frac{1}{2} \text{ in}$ thk is acceptable.

A.2.3 Gas Outlet Cone Welding End

Using Paragraph UG 27(c) for cylindrical section

$$t = \frac{PR}{SE - 0.6P} + C$$

$$R = 17.625 \text{ in}$$

$$t = \frac{40 \times 17.625}{17\,500 - 0.6 \times 40} + 0.125$$

$$= 0.04034 + 0.125$$

$$= 0.1653 \text{ in}$$

$$t_{\text{ACTUAL}} = \frac{1}{2} \text{ in thk}$$

A.2.4 Cone Reinforcement

Again, we will check if additional reinforcement is required at cone to shell sections using ASME Section VIII, Division 1, Appendix 1, Paragraph UA 5.

UA 5(b) Large End

$$\frac{P}{SE} = \frac{40}{17\,500 \times 1} = 0.0023$$

$$\Delta = 15.9^\circ \text{ from Table UA 5-1}$$

$\Delta > \alpha = 15^\circ$ Hence no additional reinforcement is required at cone to cylinder junction at the large end.

UA 5(c) Small End.

$$\frac{P}{SE} = \frac{40}{17\,500 \times 1} = 0.0023$$

From Table UA 5-2 $\Delta = 4.2^\circ$

$$\Delta = 4.2^\circ < 15^\circ$$

Thus we must check for reinforcement

$$\begin{aligned}
 A_{\text{REQUIRED}} &= \frac{PR_s^2 K}{2 SE} \left(1 - \frac{\Delta}{\alpha}\right) \tan \alpha \\
 &= \frac{40 \times 17.625^2 \times 1}{2 \times 17500 \times 1} \left(1 - \frac{4.2}{15}\right) \tan 15 \\
 &= 0.0685 \text{ in}^2
 \end{aligned}$$

$$\text{Area available} = A_e = M \sqrt{R_s t} \left[\left(t_c - \frac{t}{\cos \alpha} \right) + (t_s - t) \right]$$

$$\text{Where } M = \text{smaller of } \left[\frac{t_s}{t} \cos(\alpha - \Delta) \right] \text{ or } \left[\frac{t_e \cos \alpha \cos(\alpha - \Delta)}{t} \right]$$

$$= \text{smaller of } \left[\frac{0.375}{0.121} \cos 10.8 \right] \text{ or } \left[\frac{0.375 \cos 15 \cos 10.8}{0.121} \right]$$

$$= \text{smaller of } 3.044 \text{ or } 2.94$$

$$M = 2.94$$

$$\therefore A_e = 2.94 \sqrt{17.625 \times 0.121} \left[\left(0.375 - \frac{0.121}{\cos 15} \right) + (0.375 - 0.12) \right]$$

$$= 2.163 \text{ in}^2$$

$$> A_{\text{REQUIRED}}$$

A.2.5 Flange Design

The main flange on gas outlet cone was calculated for a design pressure of 40 psig and gasket seating using an identical procedure to that shown in A.1.5, page . The gas outlet cone flange is not subjected to any significant external moments since expansion joints are provided on the gas outlet line to the electro static precipitators. Thus the gas outlet cone flange was not required to be checked for such external moments and forces.

Once again, all other flanges for manways and instrument connections were in accordance with ANSI B 16.5 and SA 105 for a pressure rating of 150 psig.

APPENDIX B

APPENDIX B

DESIGN OF STEAM DRUM

Details of the steam drum are shown on drawing No. 3 in Appendix C. The steam drum pressure parts were designed in accordance with ASME Section VIII, Division 1.

B.1 SHELL THICKNESS

As per Paragraph UG 27(c)

$$t = \frac{PR}{SE - 0.6P} + C$$

$$P = 180 \text{ psi}$$

$$R = 24 \text{ in}$$

$$S = 17\,500 \text{ psi} \quad \text{For SA 516 GR 70}$$

$$E = 1$$

$$C = 0.125 \text{ in}$$

$$\begin{aligned} t &= \frac{180 \times 24}{17\,500 - 0.6 \times 180} + 0.125 \\ &= 0.2484 + 0.125 \\ &= 0.373 \text{ in} \end{aligned}$$

The additional thickness needed to include all the required reinforcement for openings in shell is 0.2483 in

$$\begin{aligned} t_{REQD} &= 0.373 + 0.2483 \\ &= 0.6217 \text{ in} \end{aligned}$$

$$\text{Use } T = \frac{5}{8} \text{ in thk}$$

The distance between nozzle centres will be not less than sum of inside diameters.

B.2 PLAIN HEAD THICKNESS

Using Paragraph UG 32(d)

$$t = \frac{PD}{2SE \sqrt{0.2P}} + C \quad \text{For 2:1 Semi Elliptical Head}$$

D = inside diameter of head

$$\begin{aligned} t &= \frac{180 \times 48}{2 \times 17\,500 - 0.2 \times 180} + 0.125 \\ &= 0.247 + 0.125 \\ &= 0.372 \text{ in} \end{aligned}$$

This head will not have any connections larger than 2 in diameter

T = $\frac{3}{8}$ in minimum thickness was selectedB.3 THICKNESS OF FLUED MANHOLE

This head was calculated in accordance with ASME Section I,
Paragraph Pg 29.1 and Pg 29.3.

$$t = \frac{5 PL}{4.8 SE} + C$$

Dishing Radius, L = 0.8D = 0.8 x 48

$$\begin{aligned} t &= \frac{5 \times 180 \times 0.8 \times 48}{4.8 \times 17\,500} + 0.125 \\ &= 0.4114 + 0.125 \end{aligned}$$

Allow 15% or minimum of $\frac{1}{8}$ in for opening

$$\begin{aligned} t_{REQD} &= 0.4114 + 0.125 + 0.125 \\ &= 0.6614 \text{ in} \end{aligned}$$

Use T = $1\frac{1}{16}$ in minimum thickness for flued head

B.4 TYPICAL NOZZLE NECK THICKNESS CALCULATION

Using Paragraph UG 27(c)

$$t = \frac{PR}{SE - 0.6P} + C$$

Consider 12 in nozzle

$$P = 180 \text{ psi}$$

$$R = 5.875 \text{ in}$$

$$S = 15\,000 \text{ psi} \quad \text{For SA 106 GR B Pipe}$$

$$C = 0.125$$

$$E = 1$$

$$\begin{aligned} t &= \left(\frac{180 \times 5.875}{15\,000 - 0.6 \times 180} \right) + 0.125 \\ &= 0.0710 + 0.125 \\ &= 0.196 \text{ in} \end{aligned}$$

Allow 12½% manufacturing margin on pipe

$$t = 0.196 \times 1.125$$

$$t_{\text{NOM}} = 0.2205 \text{ in}$$

Use 12" x-STG Pipe

$$t_{\text{NOM}} = 0.50 \text{ in}$$

$$t_{\text{MIN}} = 0.4375 \text{ in}$$

B.5 CALCULATION OF ALLOWABLE LOADS FOR
STEAM OUTLET NOZZLE ON DRUM

The local stresses at all nozzles subjected to external loads and moments were investigated using Welding Research Council Bulletin, No. 107 entitled "Local Stresses in Spherical and Cylindrical Shells"

due to External Loadings" [24]. The approach presented in this paper is based on analytical work accomplished by Prof. P.P. Bijlaard of Cornell University. This theoretical work has been further verified by experimental work reported in references [26] and [27].

As an application of WRC Bulletin No. 107, the calculation of allowable loads for 12 in steam outlet nozzle on the steam drum is presented as follows:

$$\text{Attachment Parameter, } \beta = \frac{0.875 r_o}{R_M}$$

r_o = outside radius of cylindrical attachment = 6.375 in

R_M = mean radius of cylindrical shell = 24.375 in

$$\therefore \beta = \frac{0.875 \times 6.375}{24.375} = 0.229$$

$$\text{Shell Parameter, } \gamma = \frac{R_M}{T}$$

T = wall thickness of cylindrical shell

= 0.5 in

R_M = 24.375 in

$$\gamma = \frac{24.375}{0.5} = 48.75$$

The local stress in the shell calculated using arbitrary loads are shown in Table A.3. The stresses in the shell due to internal pressure are

$$\begin{aligned} \text{Hoop Stress, } \sigma_\phi &= \frac{PR_M}{T} \\ &= \frac{0.155 \times 24.375}{0.5} \\ &= 7.62 \text{ KSI} \end{aligned}$$

$$\text{Longitudinal Stress, } \sigma_L = \frac{PR_M}{2T}$$

$$= 3.82 \text{ KSI}$$

Then using definitions in Table A.3, we have by inspection:

1. Maximum allowable primary loads

$$\begin{aligned} P_C &= 2.5 \text{ KIP} \\ M_C &= 40 \text{ in KIP} \\ M_L &= 50 \text{ in KIP} \\ M_T &= 50 \text{ in KIP} \\ V_C &= 2.5 \text{ KIP} \\ V_L &= 2.5 \text{ KIP} \end{aligned}$$

Which will produce a maximum hoop stress of $\sigma_\phi = 7.63 + 17.5$
 $= 25.11 \text{ KSI}$

2. Maximum allowable range of primary plus secondary loads are:

$$\begin{aligned} P &= 5 \text{ KIP} \\ M_C &= 75 \text{ in KIP} \\ M_L &= 100 \text{ in KIP} \\ M_T &= 100 \text{ in KIP} \\ V_C &= 5 \text{ KIP} \\ V_L &= 5 \text{ KIP} \end{aligned}$$

Which will give maximum range of hoop stress of $\sigma_\phi = 7.63 + 33.62$
 $= 40.95 \text{ KSI}$

$$\begin{aligned} \text{Allowable stress range} &= 3 S_M \\ &= 3 \times 21.7 \\ &= 65.1 \text{ KSI} \end{aligned}$$

TABLE B.1: Maximum Allowable Range of Loads and Moments on 12 in Main Steam Outlet Nozzle

B-6

Table 5—Computation Sheet for Local Stresses in Cylindrical Shells

1. Applied Loads^a

Radial load, $P = 5 \text{ lb./K}$
 Circ. Moment, $M_c = 75 \text{ in. lb./K}$
 Long. Moment, $M_L = 100 \text{ in. lb./K}$
 Torsion Moment, $M_t = 100 \text{ in. lb./K}$
 Shear Load, $V_c = 5 \text{ lb./K}$
 Shear Load, $V_L = 5 \text{ lb./K}$

2. Geometry

Vessel thickness, $T = 0.5 \text{ in.}$
 Attachment radius, $r_o = 6.375 \text{ in.}$
 Vessel radius, $R_m = 24.375 \text{ in.}$

3. Geometric Parameters

$$\gamma = \frac{R_m}{T} = 48.75$$

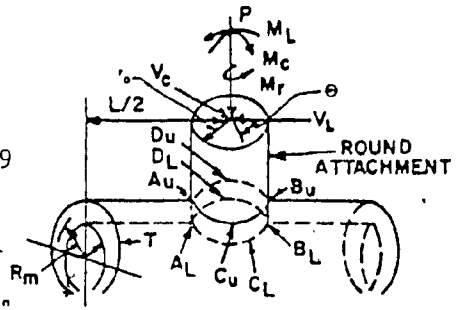
$$\beta = (0.875) \frac{r_o}{R_m} = 0.229$$

Stress Concentration due to:

a) membrane load, $K_n =$

b) bending load, $K_b =$

*NOTE: Enter all force values in accordance with sign convention



CYLINDRICAL SHELL

From Fig.	Read curves for	Compute absolute values of stress and enter result	STRESSES — if load is opposite that shown, reverse signs shown							
			Au	AL	Bu	BL	Cu	CL	Du	DL
3C	$\frac{M_c}{P/R_m} 3.5$	$K_n \left(\frac{M_c}{P/R_m} \right) \cdot \frac{P}{R_m T} = 1.436$	-1.44	-1.44	-1.44	-1.44	-1.44	-1.44	-1.44	-1.44
1C	$\frac{M_L}{P} 0.06$	$K_b \left(\frac{M_L}{P} \right) \cdot \frac{6P}{T^2} = 7.2$	-7.2	+7.2	-7.2	+7.2	-7.2	+7.2	-7.2	+7.2
3A	$\frac{M_c}{M_c/R_m \beta} 1.9$	$K_n \left(\frac{M_c}{M_c/R_m \beta} \right) \cdot \frac{M_c}{R_m \beta T} = 2.1$					-2.1	-2.1	+2.1	+2.1
1A	$\frac{M_L}{M_c/R_m \beta} 0.07$	$K_b \left(\frac{M_L}{M_c/R_m \beta} \right) \cdot \frac{6M_c}{R_m \beta T^2} = 22.58$					22.58	22.58	22.58	22.58
3B	$\frac{M_L}{M_L/R_m \beta} 4.3$	$K_n \left(\frac{M_L}{M_L/R_m \beta} \right) \cdot \frac{M_L}{R_m \beta T} = 6.32$	6.32	6.32	6.32	6.32				
1B or 1B-1	$\frac{M_t}{M_L/R_m \beta} 0.02$	$K_b \left(\frac{M_t}{M_L/R_m \beta} \right) \cdot \frac{6M_L}{R_m \beta T^2} = 10.32$	10.32	10.32	10.32	10.32				
Add algebraically for summation of σ stresses, $\sigma_o =$			-25.28	+9.76	8.80	1.76	-33.32	+21.14	16.04	-14.72
4C	$\frac{M_t}{P/R_m} 6.1$	$K_n \left(\frac{M_t}{P/R_m} \right) \cdot \frac{P}{R_m T} = 2.5$	-2.5	-2.5	-2.5	-2.5	-2.5	-2.5	-2.5	-2.5
2C	$\frac{M_t}{P} 0.036$	$K_b \left(\frac{M_t}{P} \right) \cdot \frac{6P}{T^2} = 4.32$	-4.32	+4.32	-4.32	+4.32	-4.32	+4.32	-4.32	+4.32
4A	$\frac{M_t}{M_t/R_m \beta} 4.3$	$K_n \left(\frac{M_t}{M_t/R_m \beta} \right) \cdot \frac{M_t}{R_m \beta T} = 4.74$					-4.74	-4.74	+4.74	+4.74
2A	$\frac{M_t}{M_t/R_m \beta} 0.03$	$K_b \left(\frac{M_t}{M_t/R_m \beta} \right) \cdot \frac{6M_c}{R_m \beta T^2} = 9.99$					-9.99	+9.99	+9.99	-9.99
4B	$\frac{M_t}{M_L/R_m \beta} 1.9$	$K_n \left(\frac{M_t}{M_L/R_m \beta} \right) \cdot \frac{M_L}{R_m \beta T} = 2.8$	-2.8	-2.8	+2.8	+2.8				
2B or 2B-1	$\frac{M_t}{M_L/R_m \beta} 0.03$	$K_b \left(\frac{M_t}{M_L/R_m \beta} \right) \cdot \frac{6M_L}{R_m \beta T^2} = 12.9$	-12.9	+12.9	+12.9	-12.9				
Add algebraically for summation of σ stresses, $\sigma_n =$			22.52	+11.92	+8.88	-8.28	-21.55	+7.07	7.91	-3.43
Shear stress due to Torsion, M_t		$\tau_{xy} = \frac{M_t}{2\pi r_o^2 T} = 0.78$	+0.78	+0.78	+0.78	+0.78	+0.78	+0.78	+0.78	+0.78
Shear stress due to load, V_c		$\tau_{xy} = \frac{V_c}{\pi r_o T} = 0.5$	+0.5	+0.5	-0.5	-0.5				
Shear stress due to load, V_L		$\tau_{xy} = \frac{V_L}{\pi r_o T} = 0.50$					-0.5	-0.5	+0.5	+0.5
Add Algebraically for summation of shear stresses, $\tau =$			1.28	1.28	0.28	0.28	0.28	0.28	1.28	1.28
COMBINED STRESS INTENSITY, S										
1) When σ_o & σ_n have like signs		$S = \frac{1}{2} \left[(\sigma_o + \sigma_n) + \sqrt{(\sigma_o - \sigma_n)^2 + 4\tau^2} \right]$								
2) When $\tau = 0$		$S = \text{largest of } \sigma_o, \sigma_n \text{ or } \sigma_o - \sigma_n $								
3) When σ_o & σ_n have unlike signs		$S = \sqrt{(\sigma_o - \sigma_n)^2 + 4\tau^2}$								

$N_t/(M_L R_m^3)$ so determined by (C_L) from Table 8 (see para. 4.3).

4.2.2.5.2: When considering bending moment (M_L) : $\beta = K_L \sqrt{\beta_1 \beta_2}$ where K_L is given in Table 8.

4.3 Calculation of Stresses

4.3.1 STRESSES RESULTING FROM RADIAL LOAD P .

4.3.1.1 Circumferential Stresses (σ_c):

Step 1. Using the applicable values of β and

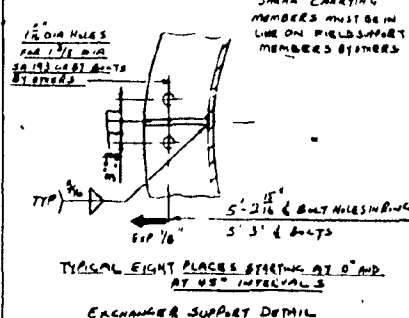
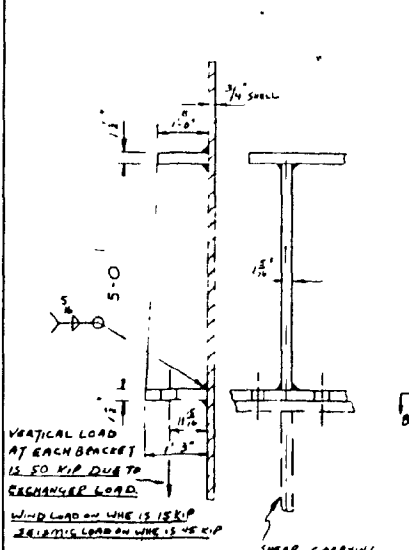
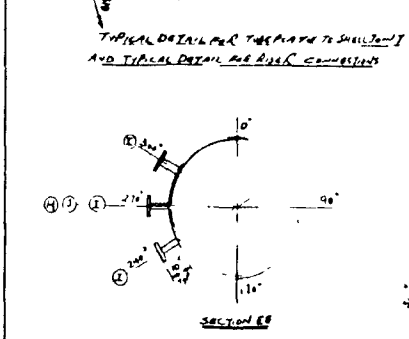
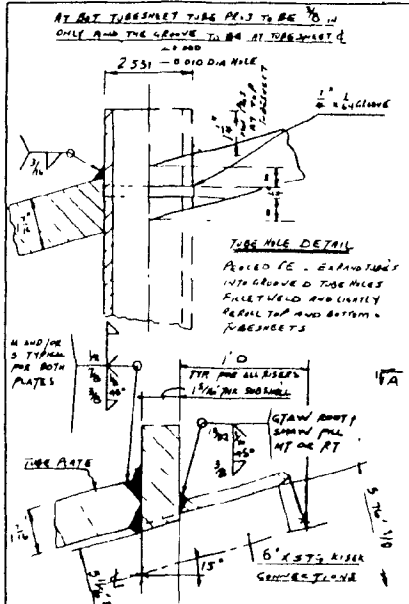
APPENDIX C

APPENDIX C

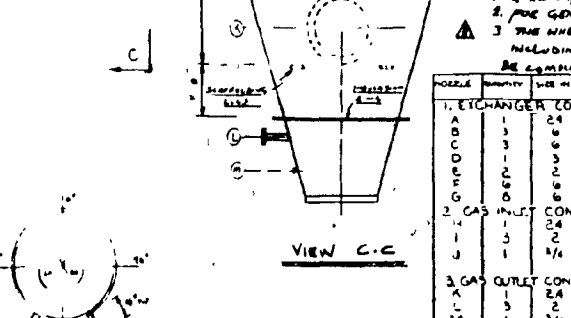
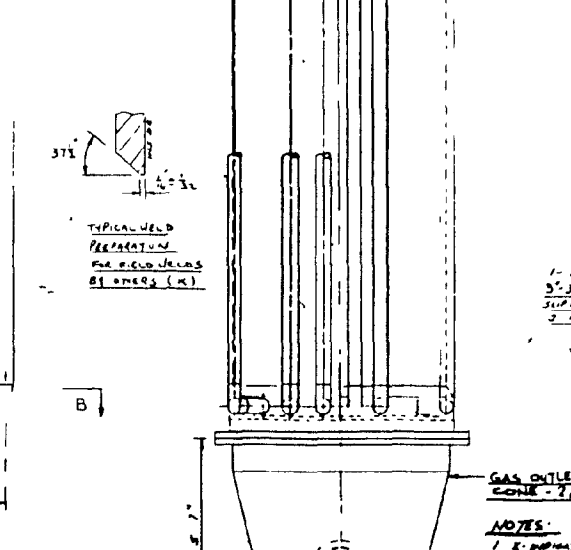
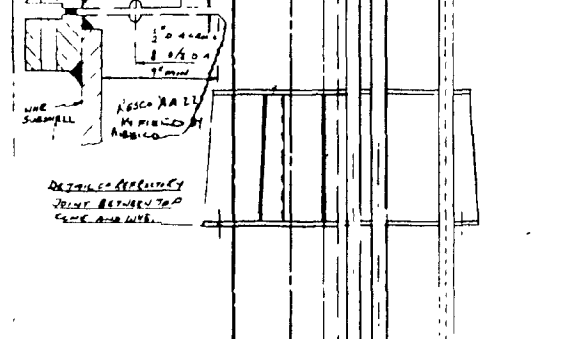
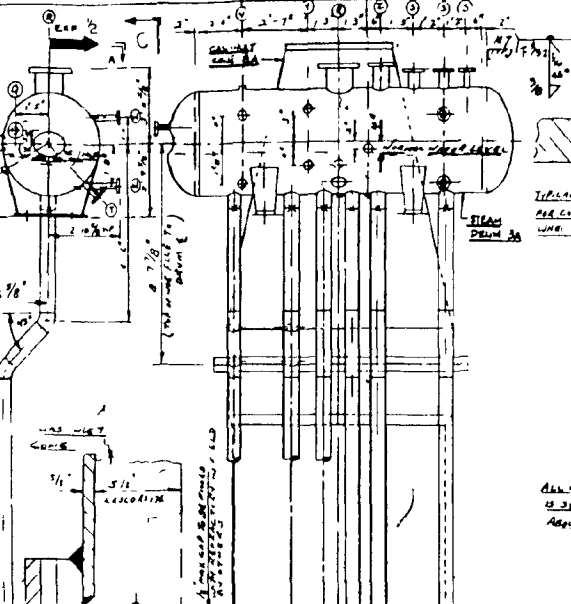
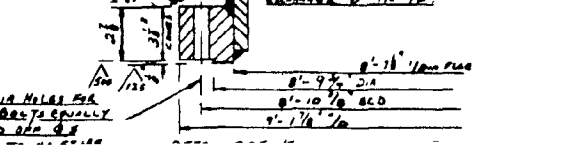
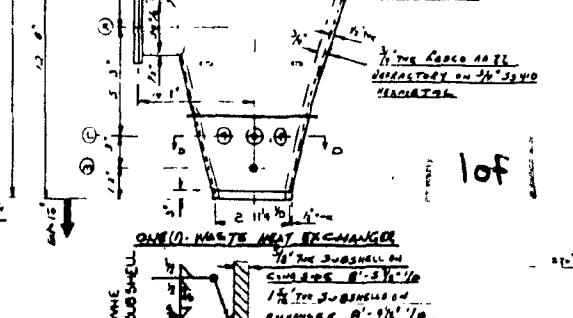
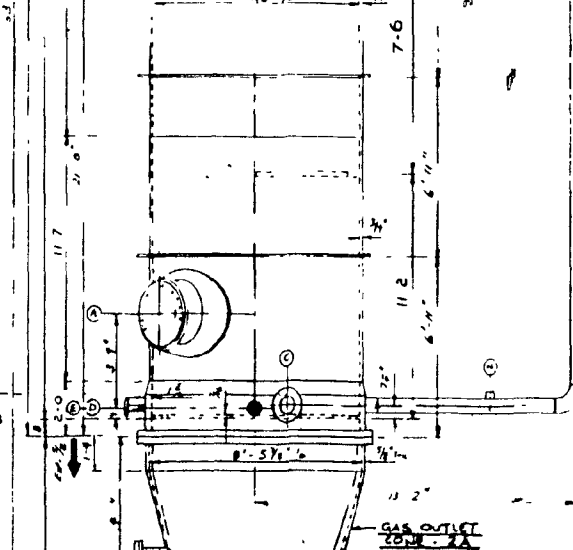
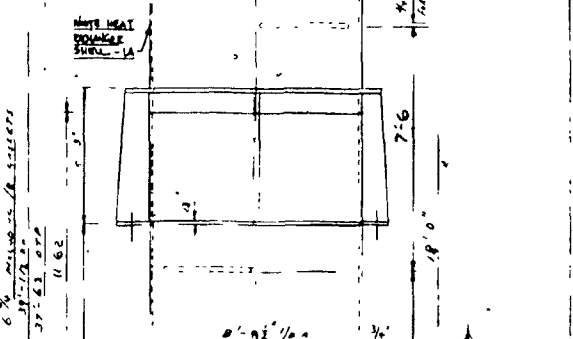
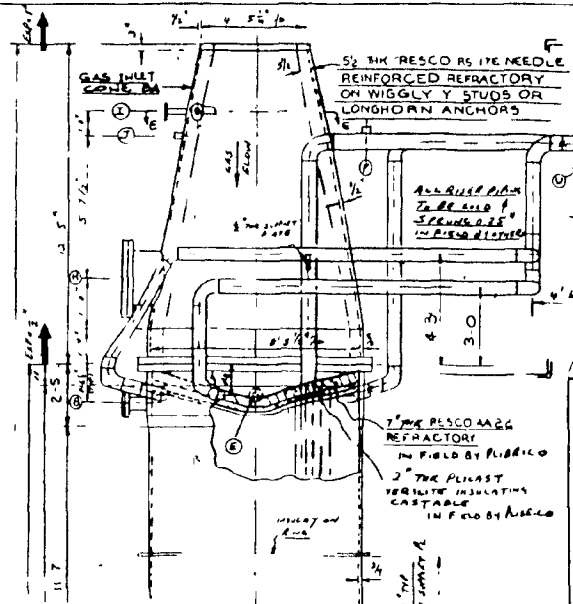
The following engineering drawings are included in this Appendix.

DRAWING NUMBERBRIEF DESCRIPTIONS

GN 1 REV 3	General Notes.
E 1 REV E	General Arrangement.
E 10 REV B	Steam Drum Connections and Internals.
E 101 REV A	Riser and Downcomer Piping Layout.
1 REV 8	WHE Shell and Tubes
2 REV 5	Gas Outlet Cone
5 REV 2	Davits and Baffle Plates
8 REV 5	Gas Inlet Cone
13 REV 1	WHE Lifting Attachments



1. RADIANT	2. RADIANT	3. RADIANT	4. RADIANT	5. RADIANT	6. RADIANT	7. RADIANT	8. RADIANT	9. RADIANT	10. RADIANT
11. RADIANT	12. RADIANT	13. RADIANT	14. RADIANT	15. RADIANT	16. RADIANT	17. RADIANT	18. RADIANT	19. RADIANT	20. RADIANT

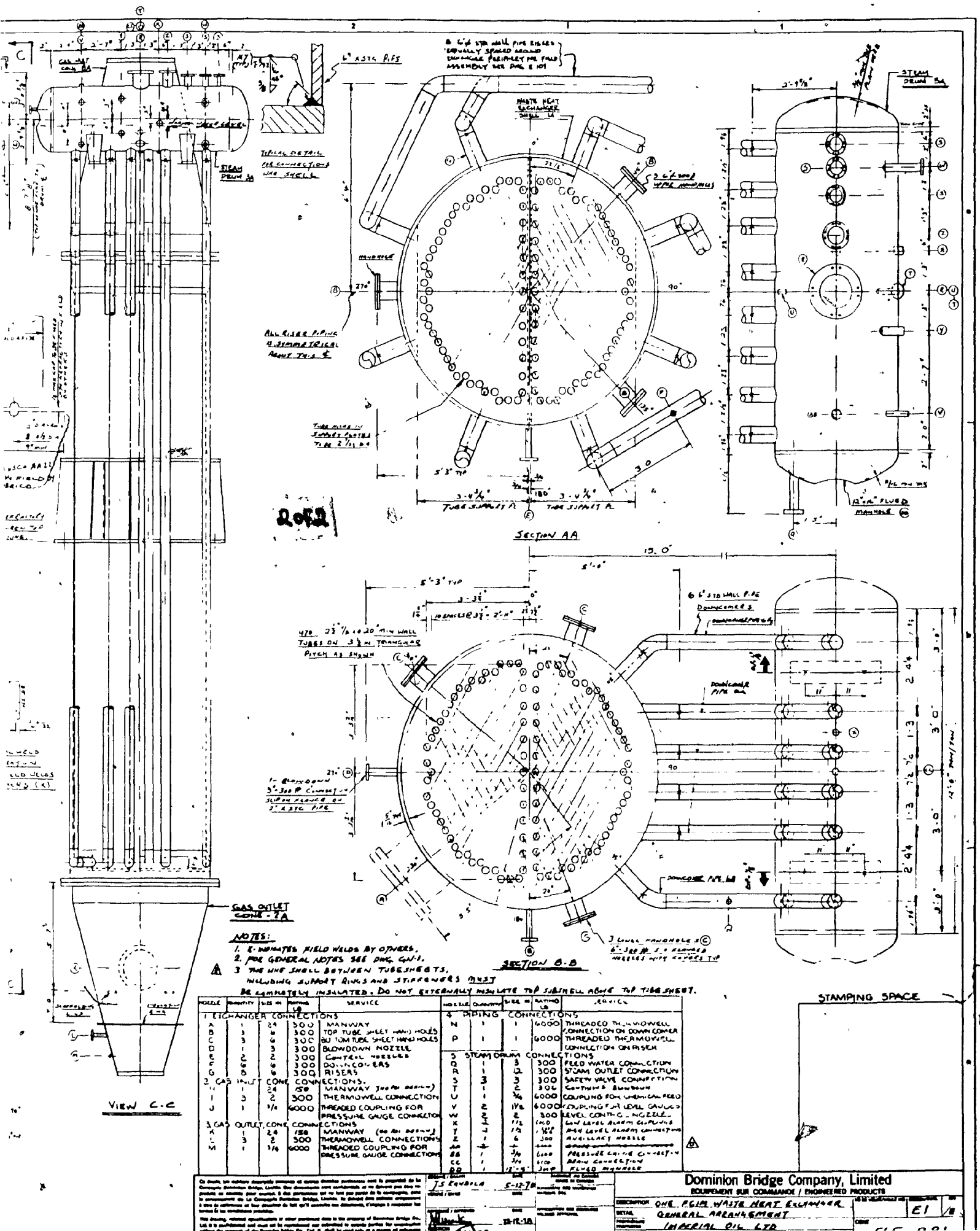


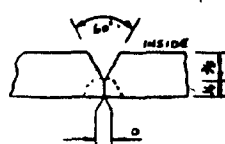
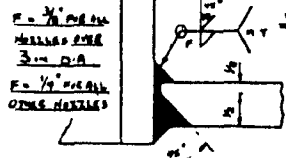
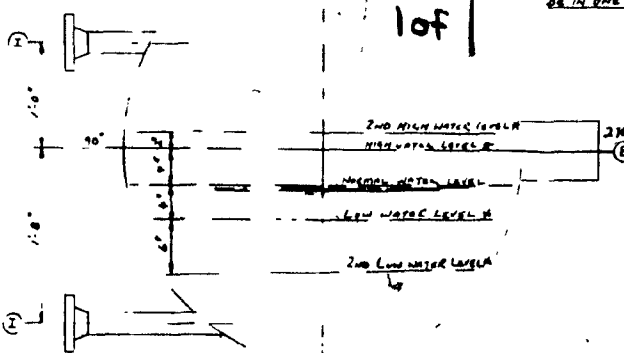
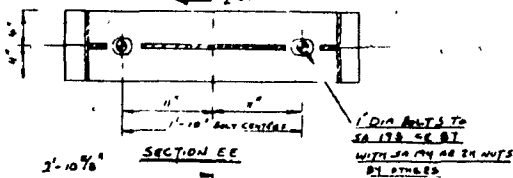
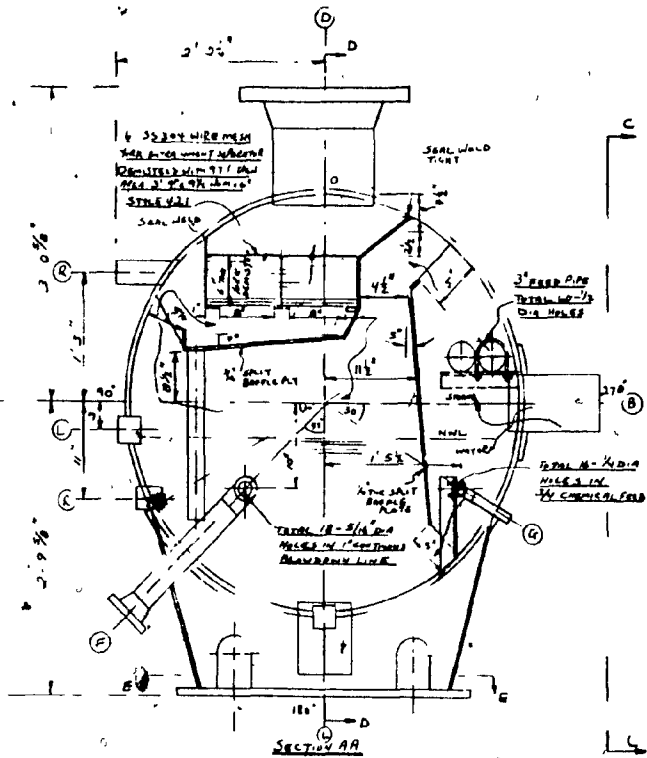
NO.	QUANTITY	WHE IN	WHE OUT
A	1	24	30
B	3	6	31
C	3	6	31
D	1	2	3
E	2	3	3
F	6	6	31
G	6	6	31
H	1	24	15
I	1	24	30
J	1	24	30
K	1	24	30
L	1	24	30
M	1	24	30

NOTES:
 1. RADIANT
 2. RADIANT
 3. THE WHE IN INCLUDING 2 BE COMPLETE

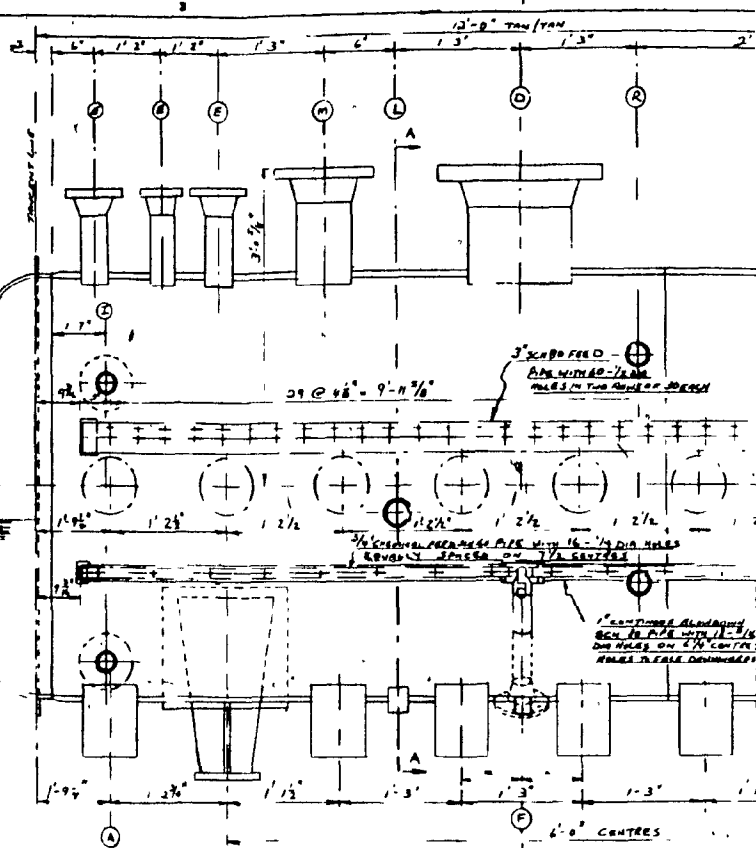
1. EXCHANGER CONNE
 2. GAS INLET CONE
 3. GAS OUTLET CONE

1. EXCHANGER CONNE
 2. GAS INLET CONE
 3. GAS OUTLET CONE

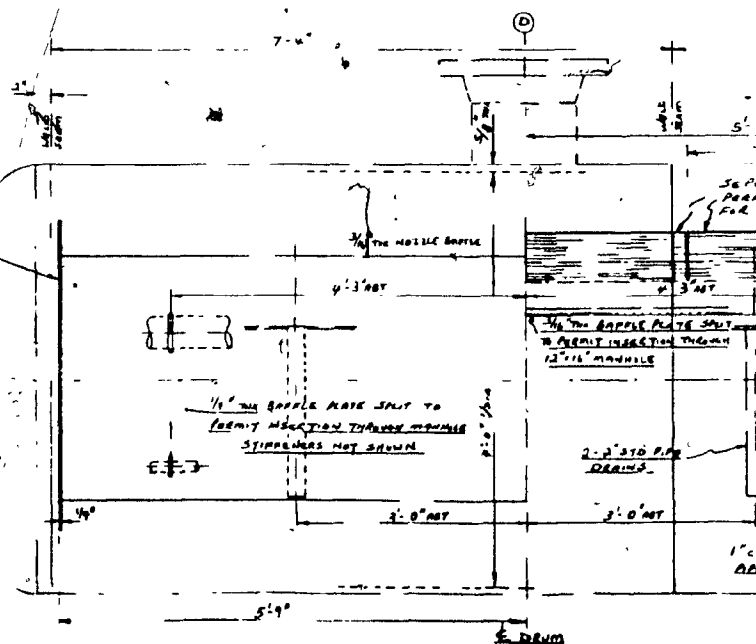




DETAIL OF ANCHOR AND
SUPPORTING WELD PLATE
WELD TO M. B.T.



DRUM CROSS SECTION WITHOUT AFFILES



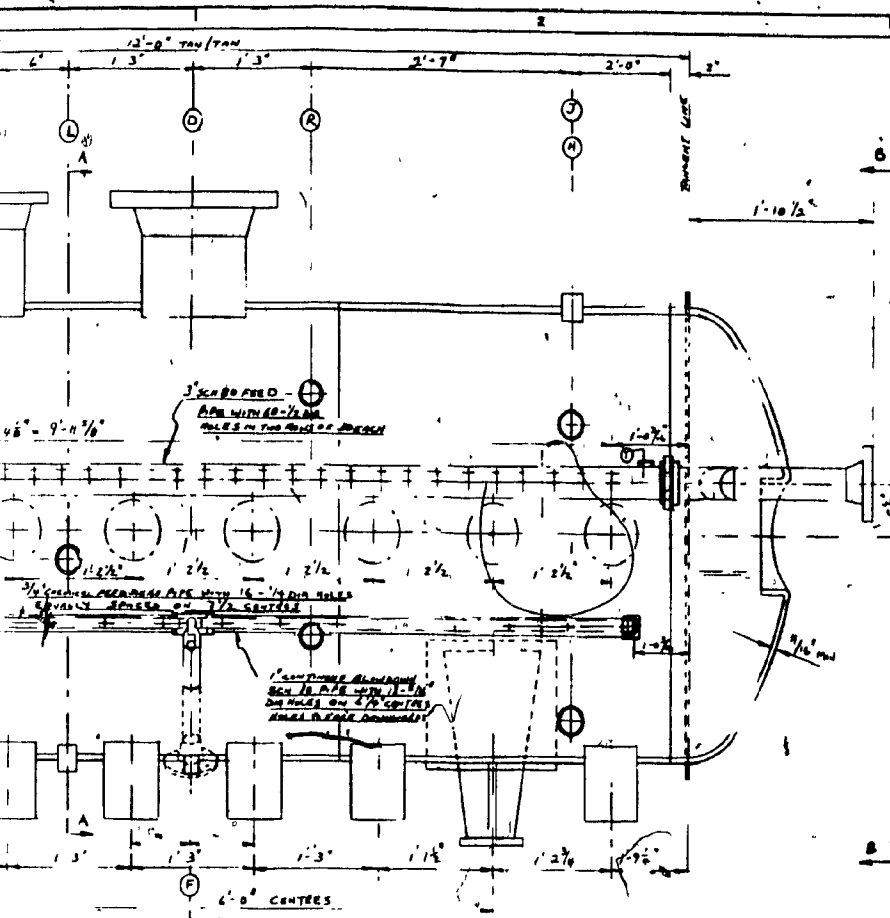
HALF VIEW DD ON
REAR AFFILE PLATE

HALF SECTION
THRU DRUM VEE

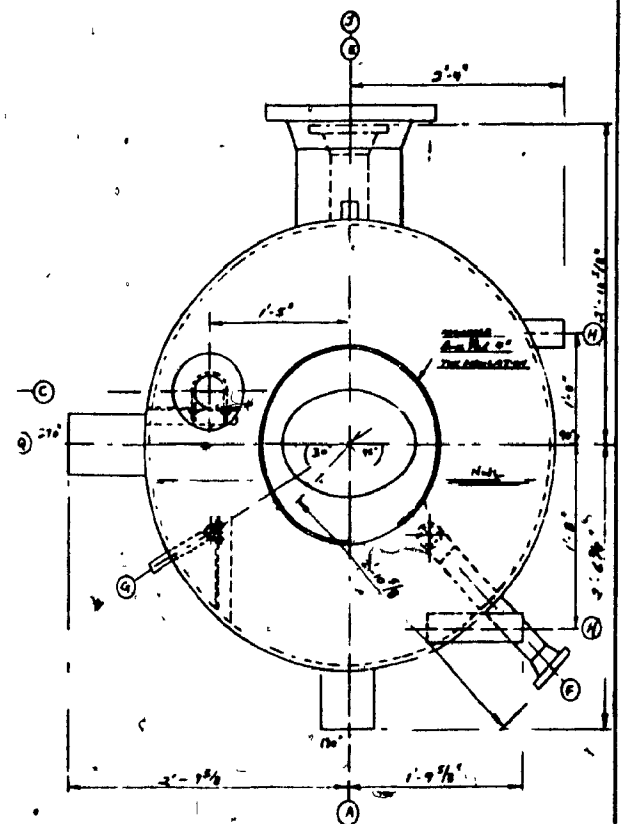
ITEM	QTY	UNIT	DESCRIPTION
1	1	EA	DRUM COUPLING WITH FIVE
2	1	EA	MAN LEVEL ARM COUPLING
3	1	EA	MANWAY
4	1	EA	SAFETY PLATE CONNECTION
5	1	EA	DRUM CONNECTION
6	1	EA	DRUM NOZZLE
7	1	EA	MAN LEVEL ARM COUPLING
8	1	EA	SAFETY PLATE CONNECTION
9	1	EA	DRUM CONNECTION
10	1	EA	DRUM NOZZLE
11	1	EA	MAN LEVEL ARM COUPLING
12	1	EA	SAFETY PLATE CONNECTION
13	1	EA	DRUM CONNECTION
14	1	EA	DRUM NOZZLE
15	1	EA	MAN LEVEL ARM COUPLING
16	1	EA	SAFETY PLATE CONNECTION
17	1	EA	DRUM CONNECTION
18	1	EA	DRUM NOZZLE
19	1	EA	MAN LEVEL ARM COUPLING
20	1	EA	SAFETY PLATE CONNECTION
21	1	EA	DRUM CONNECTION
22	1	EA	DRUM NOZZLE
23	1	EA	MAN LEVEL ARM COUPLING
24	1	EA	SAFETY PLATE CONNECTION
25	1	EA	DRUM CONNECTION
26	1	EA	DRUM NOZZLE
27	1	EA	MAN LEVEL ARM COUPLING
28	1	EA	SAFETY PLATE CONNECTION
29	1	EA	DRUM CONNECTION
30	1	EA	DRUM NOZZLE
31	1	EA	MAN LEVEL ARM COUPLING
32	1	EA	SAFETY PLATE CONNECTION
33	1	EA	DRUM CONNECTION
34	1	EA	DRUM NOZZLE
35	1	EA	MAN LEVEL ARM COUPLING
36	1	EA	SAFETY PLATE CONNECTION
37	1	EA	DRUM CONNECTION
38	1	EA	DRUM NOZZLE
39	1	EA	MAN LEVEL ARM COUPLING
40	1	EA	SAFETY PLATE CONNECTION
41	1	EA	DRUM CONNECTION
42	1	EA	DRUM NOZZLE
43	1	EA	MAN LEVEL ARM COUPLING
44	1	EA	SAFETY PLATE CONNECTION
45	1	EA	DRUM CONNECTION
46	1	EA	DRUM NOZZLE
47	1	EA	MAN LEVEL ARM COUPLING
48	1	EA	SAFETY PLATE CONNECTION
49	1	EA	DRUM CONNECTION
50	1	EA	DRUM NOZZLE

NOTE 1:
1. ALL
2. ALL
3. ALL
4. ALL
5. ALL
6. ALL
7. ALL

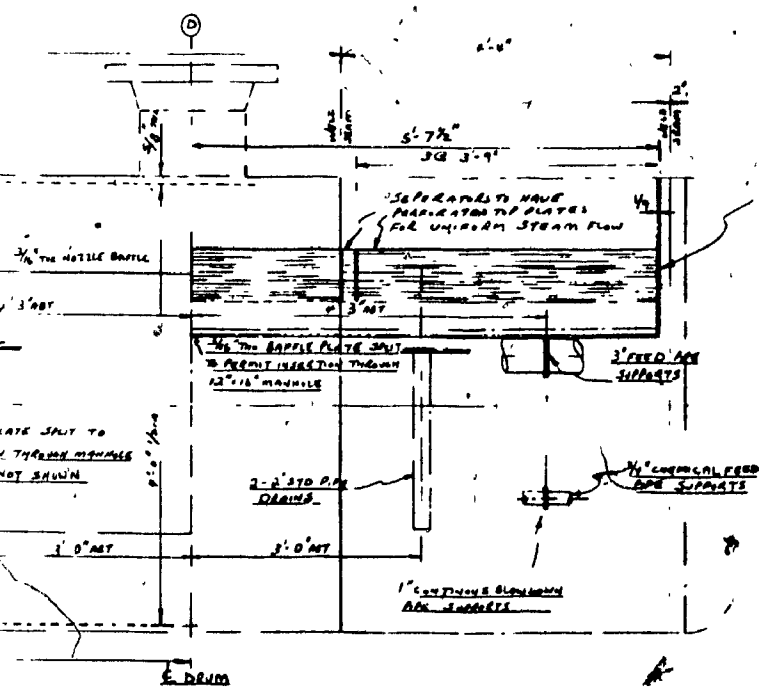
On sheet, the drawing quantity and
description of items shown. The
quantity is shown in column 1. A
description of the item is shown in
column 2. The drawing quantity is
shown in column 3.



DRUM CROSS SECTION WITHOUT BAFFLES



VIEW 88



HALF SECTION ON SCREEN
THRU DRAIN VALVE

TWO 3/4" DIA. HOLES TO BE DRILLED IN THE SIDE OF THE DRUM AT THE END

2" DIA. HOLES TO BE DRILLED IN THE SIDE OF THE DRUM AT THE END

DRUM COUPLING WITH PRESS
MANUAL
SAFETY
DRUM COUPLING
SAFETY
LOW LEVEL ALARM COUPLING
PRESSURE GAUGE COUPLING
LEVEL CONTROL NOZZLES
1/2" DIA. HOLES TO BE DRILLED IN THE SIDE OF THE DRUM AT THE END

- NOTES:
1. ALL DIMENSIONS TO BE JOINTLY CHECKED BY THE DESIGNER AND THE FABRICATOR.
 2. ALL DIMENSIONS TO BE JOINTLY CHECKED BY THE DESIGNER AND THE FABRICATOR.
 3. ALL DIMENSIONS TO BE JOINTLY CHECKED BY THE DESIGNER AND THE FABRICATOR.
 4. ALL DIMENSIONS TO BE JOINTLY CHECKED BY THE DESIGNER AND THE FABRICATOR.
 5. ALL DIMENSIONS TO BE JOINTLY CHECKED BY THE DESIGNER AND THE FABRICATOR.

LISTE DES DESSINS
LIST OF DRAWINGS

- E1 GENERAL ARRANGEMENT
1 EXCHANGER DETAILS
2 DETAILS OF GAS OUTLET CONE
3 DETAILS OF STEAM DRUM
4 STEAM DRUM INTERNALS
5 MANWAY DAVIT AND BRACE PLATES
6 DOWNCOMER PIPING
7 RISER PIPING
8 DETAILS OF GAS INLET CONE

X 1107 MANHOLE DAVIT FOR STEAM DRUM
SK 6 LISTING OF STUDENTS AND GASKETS

STRESS RELIEF SKETCHES:
EIR 1: TOP TUBESHEET
EIR 2: EXCHANGER SHELL BEFORE TUBING
EIR 3: STEAM DRUM
EIR 9: MAIN FLANGES

NORMALISING INSTRUCTIONS:-
EIR 4 TUBESHEET MATERIAL
EIR 5 MAIN FLANGE MATERIAL
EIR 6 DRUM SHELL MATERIAL
EI-3 TESTING OF TUBESHEET MATERIAL
EI 7 WELD PRODUCTION TEST PLATES
EI 8 TESTING OF STEAM DRUM MATERIAL
EI 9 TESTING OF MAIN FLANGE MATERIAL

CANON DESCRIPTIF DU SOUDAGE
WELDING SPECIFICATIONS
EP-WS-981

PROGRAMME D'ASSURANCE-QUALITE
QUALITY ASSURANCE PROGRAM
QUALITY CONTROL PROGRAM 981

PROCÉDE DE FABRICATION
MANUFACTURING PROCEDURE
981

SYMBOLS DE SOUDAGE
WELDING SYMBOLS

SYMBOLS D'USINAGE
MACHINING SYMBOLS

SE RÉFÉRER À L'INSTRUCTION DE L'INGÉNIEUR EI 2
(DERNIÈRE RÉVISION)

REFER TO ENGINEERING INSTRUCTION EI 2
(LATEST REVISION)

AMERICAN WELDING SOCIETY

SPRINTON BRIDGE COMPANY, LIMITED

TOLÉRANCE CIRCULAIRE / OUT OF ROUNDNESS

EXCHANGER SHELL 1/10 IN I.E. 1% OF MEAN DIA.
STEAM DRUM = 0.48 IN
ALL OTHER TOLERANCE TO DB WORKMANSHIP STANDARDS

INSPECTION

ENREGISTREMENT NO / REGISTRATION NO

PEINTURE / PAINT EXTERNAL SURFACES TO BE PAINTED ONE COAT
OF ZINC CHROMATE SEE SK EI-1

EXPÉDITION / SHIPPING EQUIPMENT TO BE SUITABLY PROTECTED
FOR SHIPMENT SEE SK EI-101

REMARQUES DIVERSES / MISC NOTES FOR SOAP TEST OF TUBES TO TUBESHEET
JOINTS SEE EI-3

WASTE HEAT EXCHANGER INCLUDING SUPPORT RINGS AND
SUPPORT STIFFENERS TO HAVE 4 IN THK INSULATION BY
OTHERS. STEAM DRUM TO HAVE 4 IN THK INSULATION.
PIPING TO HAVE 4 IN THK INSULATION. ALL INSULATION IS
BY OTHERS IN FIELD.

HOLES OF ALL FLANGES TO STRADDLE E'S

19 (ASME 270 PSIG)

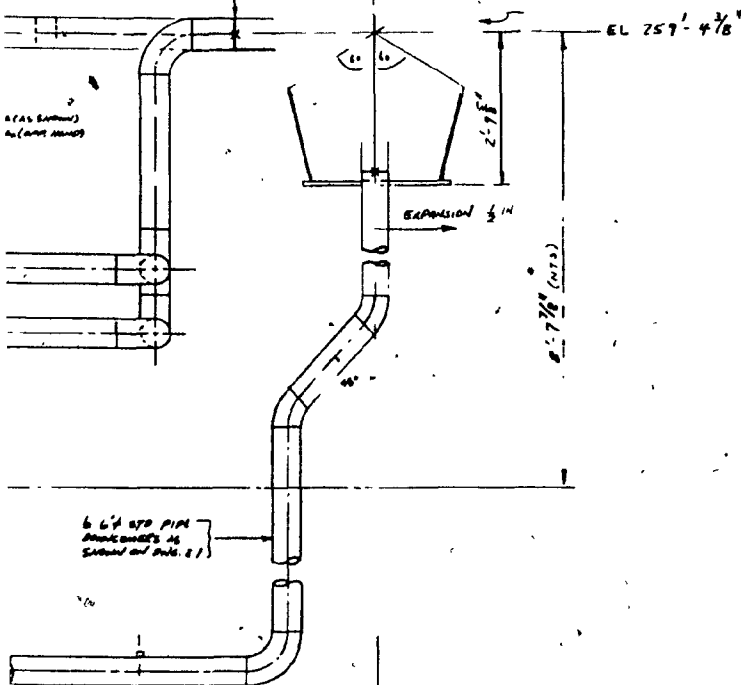
9 (ASME 300 PSIG)

HYDROTEST

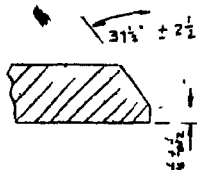
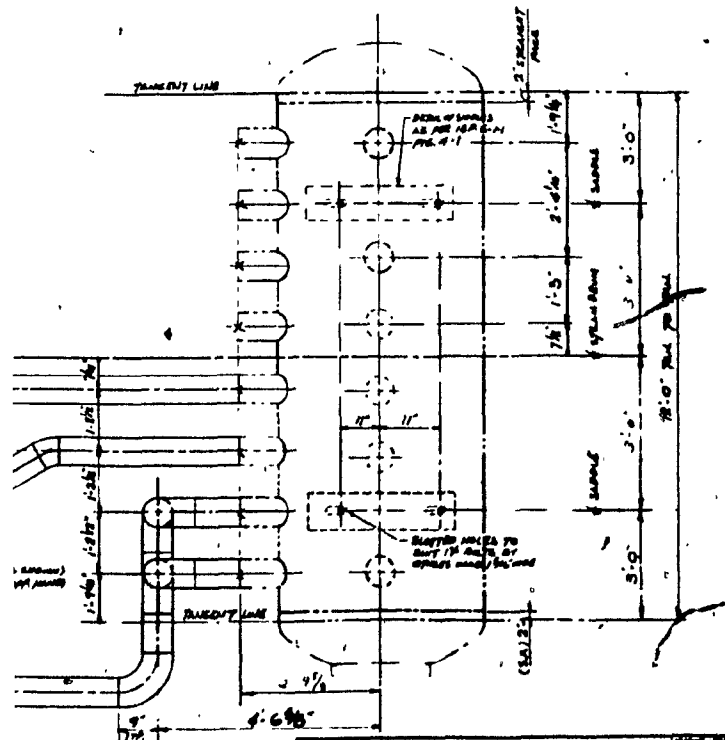
DESSINS DE RÉFÉRENCE / REFERENCE DRAWINGS

CENTERS

ALL RISER PIPES TO BE
GALV. STEEL, 1/2" O.D. 25' LAMINATED
BEFORE FIELD WELDING TO
STEAM DRUM NOZZLES



6 1/4\"/>



TYPICAL WELD NECK DETAIL
FOR PIPE AND FITTINGS
5% JELLY TO BE R.T.
T. AND 0.31.3 1976

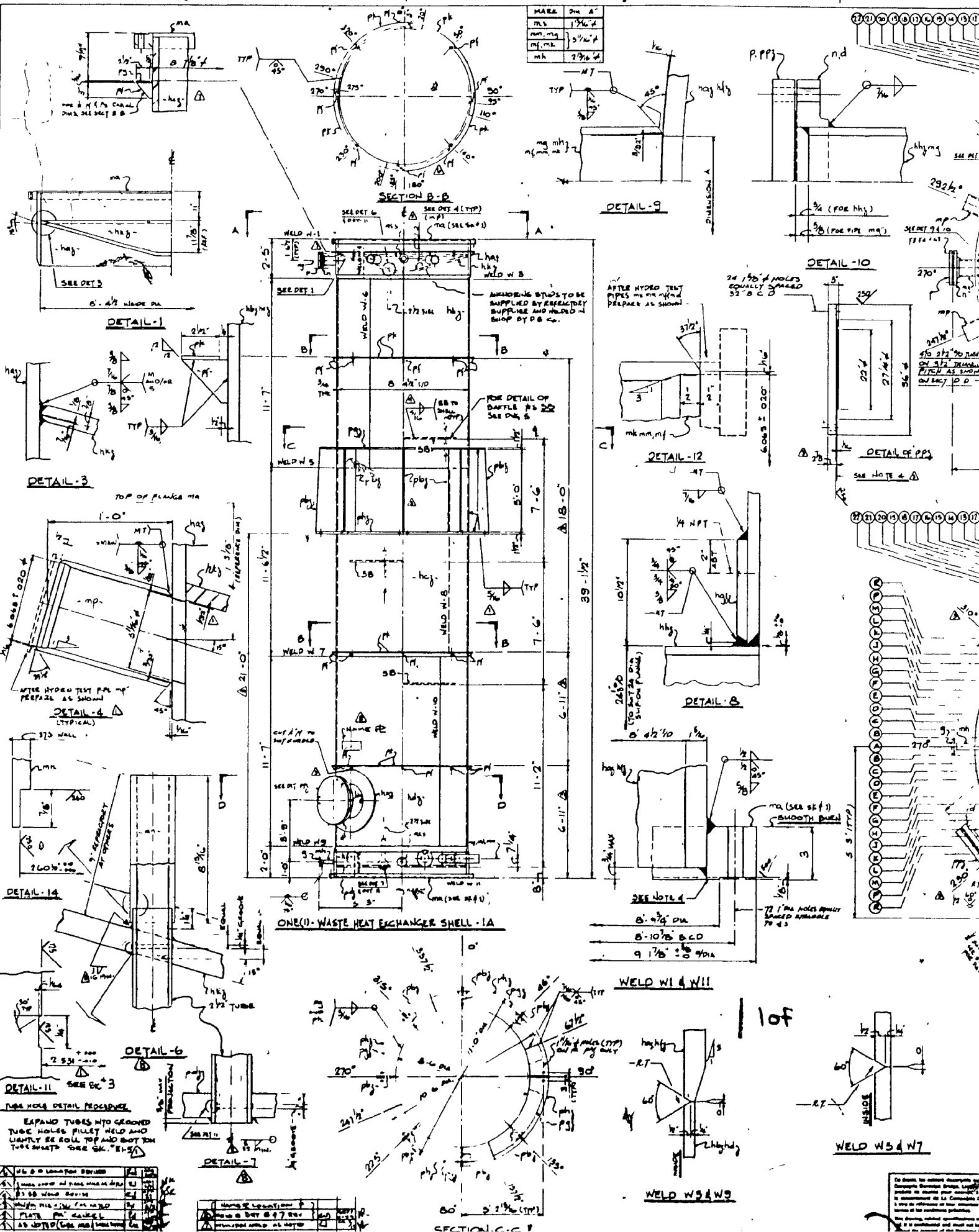
ALL PIPING TO BE SA 16 GR B
ALL FITTINGS, ELBOWS TO BE ASTM A 234 WPB
AND ANSI B 16.9
FIC SADDLES USE SA 516 GR 70 WASTE
FROM 3/8\"/>

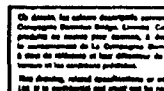
DEADWEIGHT
DRUM WEIGHT 7 KIP
DRUM FLOOD 12 KIP
RAJA SHIPY 11 K
PIPING FLOODS 10.5 K

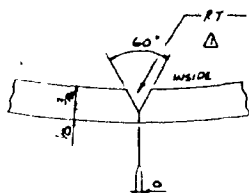
TOTAL WEIGHT 36.5 KIP
LOAD AT EACH SADDLE = 19 KIP EXCLUDING INSULATION
AND MOUNTINGS 310000

FOR GENERAL NOTES SEE DRG. 001

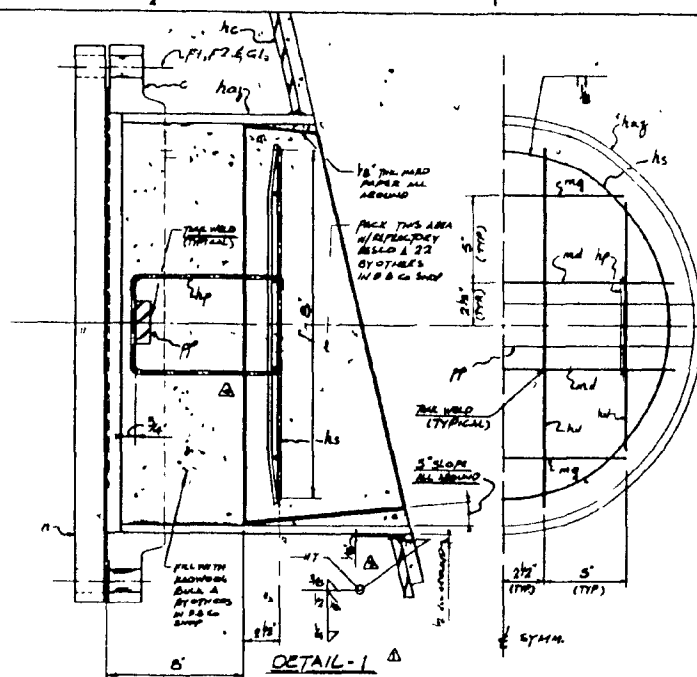
<p>DESIGNED BY J. S. K. 1/20/76</p>		<p>CHECKED BY J. S. K. 1/20/76</p>		<p>APPROVED BY J. S. K. 1/20/76</p>	
<p>DOMINION BRIDGE COMPANY, LIMITED SOUTHERN BRIDGE COMPANY / ENGINEERING PRODUCTS</p>					
<p>DESCRIPTION ONE (1) RISE AND DRAINAGE PIPING LAYOUT</p>					
<p>SCALE 1/4\"/> </p>					



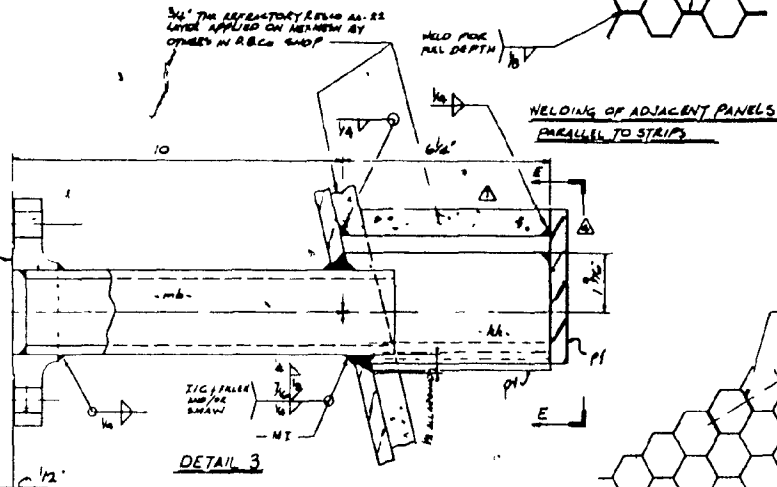




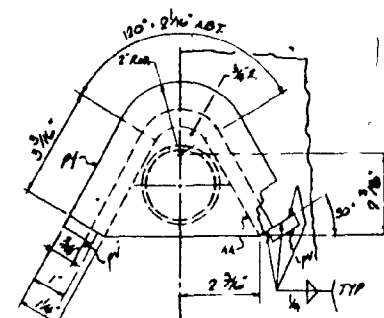
WELD N 4 W 6 N 8



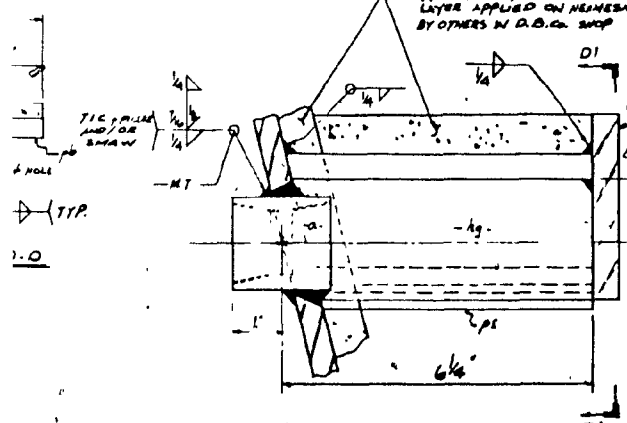
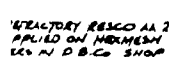
DETAIL-1



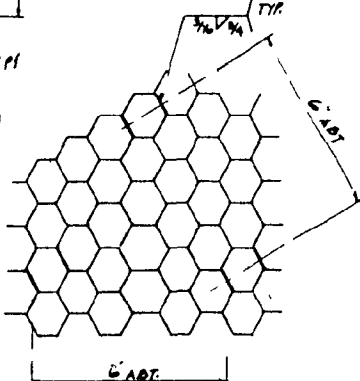
DETAIL 3



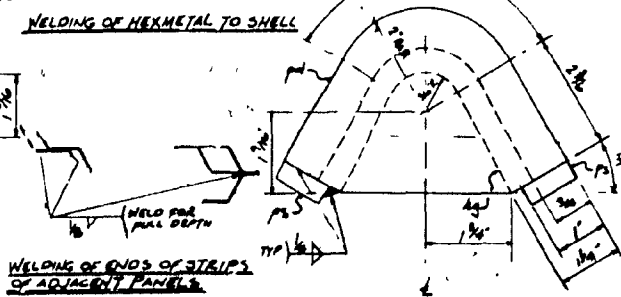
SECTION E-E



SECTION C.C



WELDING OF HEXMETAL TO SHELO

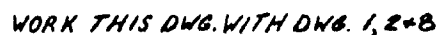


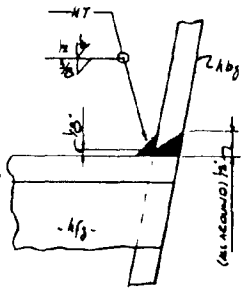
SECTION D4-D4

[illegible]

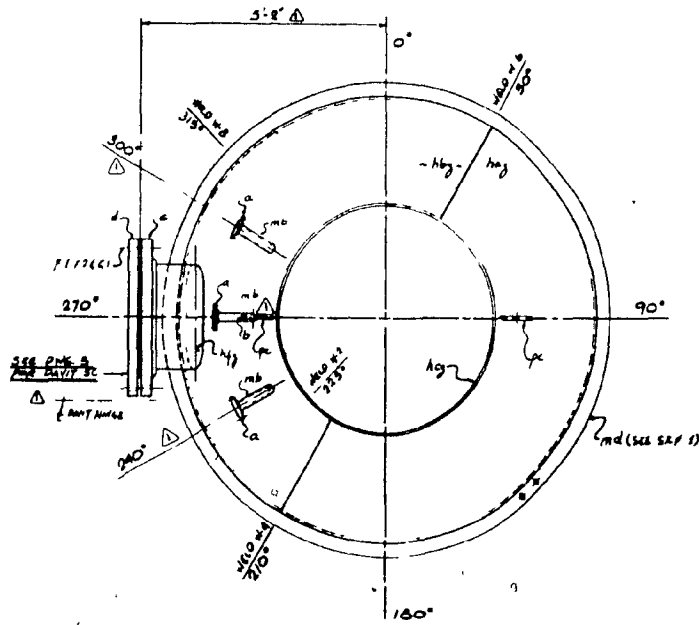
NOTES

- 1 FOR GENERAL NOTES SEE DWG CN1
 2 THE REMOVAL OF REFLECTORY AND
 MARKING TO BE AT VAPOR STOP
 PLACE MARKS "X" & "Y"
 3 HOLES TO ALL FLANGES TO STRADDLE 4'S

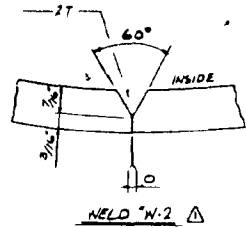




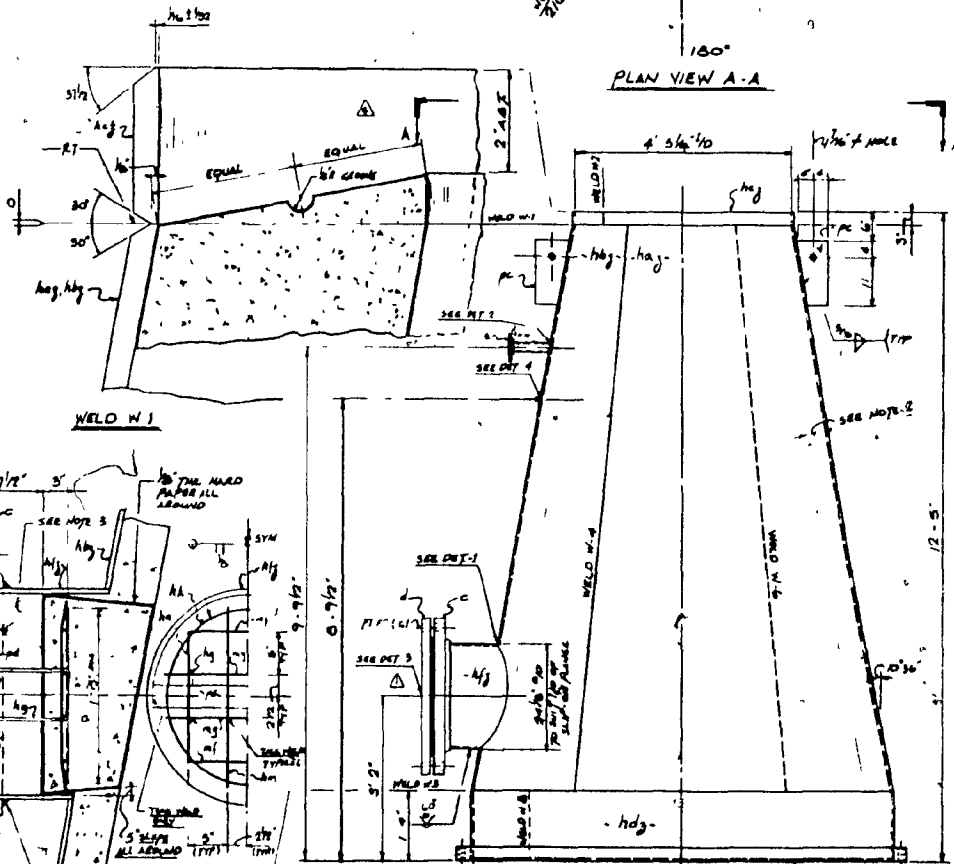
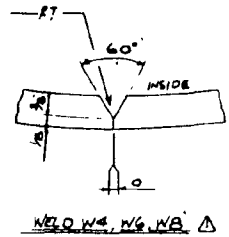
DETAIL-1



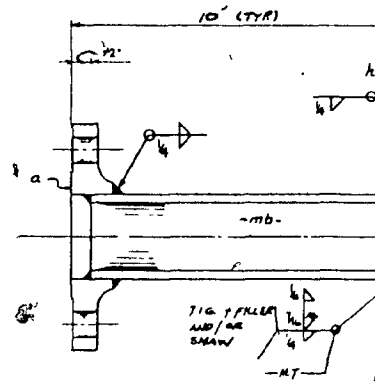
PLAN VIEW A-A



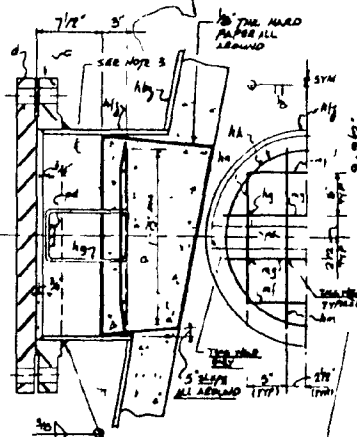
WELD W-2



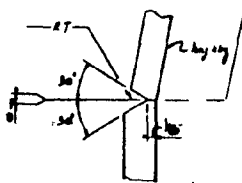
WELD W-1



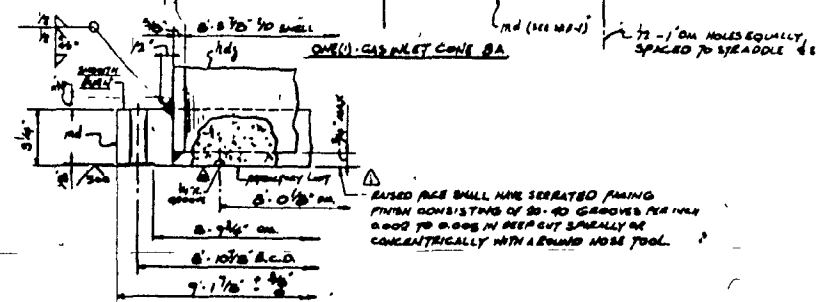
DETAIL-2



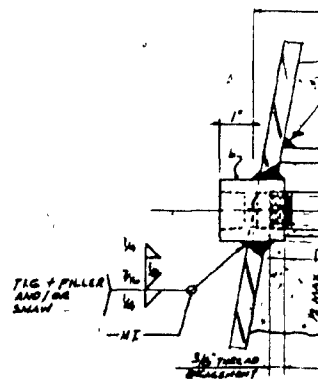
DETAIL-3



WELD W-3

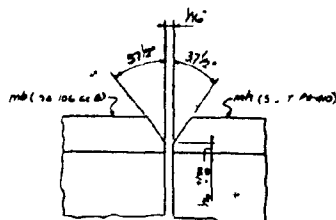
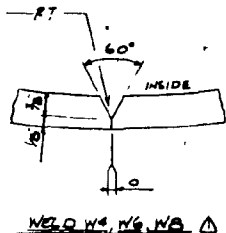


DETAIL OF 'hg'

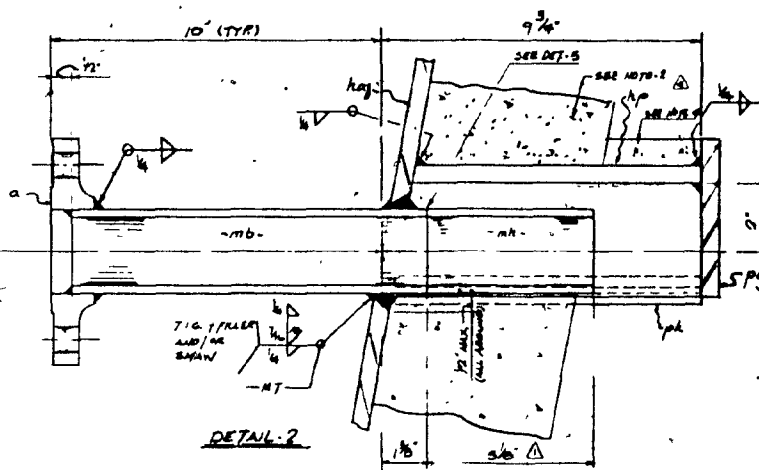


DETAIL

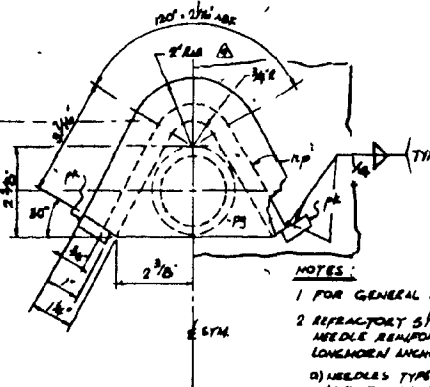
1	ALL WELDS TO BE MADE IN ACCORDANCE WITH THE WELDING SPECIFICATION FOR THE PROJECT.
2	ALL WELDS TO BE MADE BY A WELDER QUALIFIED TO WELD THE MATERIALS AND THICKNESSES INVOLVED.
3	ALL WELDS TO BE MADE IN ACCORDANCE WITH THE WELDING SPECIFICATION FOR THE PROJECT.
4	ALL WELDS TO BE MADE BY A WELDER QUALIFIED TO WELD THE MATERIALS AND THICKNESSES INVOLVED.
5	ALL WELDS TO BE MADE IN ACCORDANCE WITH THE WELDING SPECIFICATION FOR THE PROJECT.
6	ALL WELDS TO BE MADE BY A WELDER QUALIFIED TO WELD THE MATERIALS AND THICKNESSES INVOLVED.
7	ALL WELDS TO BE MADE IN ACCORDANCE WITH THE WELDING SPECIFICATION FOR THE PROJECT.
8	ALL WELDS TO BE MADE BY A WELDER QUALIFIED TO WELD THE MATERIALS AND THICKNESSES INVOLVED.
9	ALL WELDS TO BE MADE IN ACCORDANCE WITH THE WELDING SPECIFICATION FOR THE PROJECT.
10	ALL WELDS TO BE MADE BY A WELDER QUALIFIED TO WELD THE MATERIALS AND THICKNESSES INVOLVED.



DETAIL-5

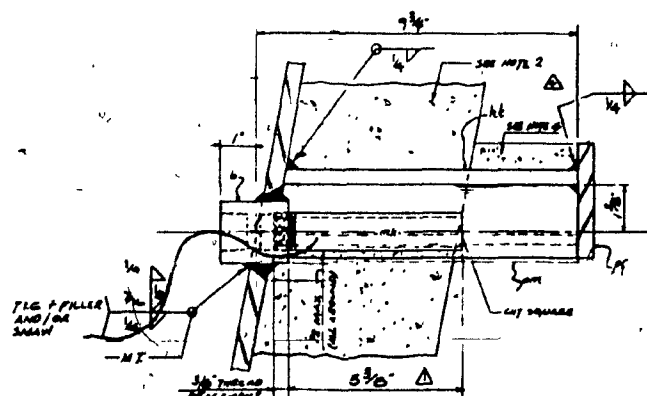


DETAIL-2

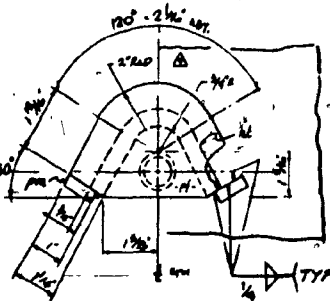


NOTES

- 1 FOR GENERAL NOTES SEE ONE GN-1.
- 2 REFRACTORY 5 1/2" THK. BRICKS 25 175 (BY OTHER) NEEDLE REINFORCED ON HOGLY Y STUDS OR LOWENHORN ANCHORS AS FOLLOWS:
 - a) NEEDLES TYPE HELTER BAR 19-11 0.10 IN DIA 11" LONG FULLY EMBEDDED, FOR GUNNING, AT A RATE OF 35 LBS/100 LBS OF REFRACTORY
- 3 STUDS, 804 SS HOGLY Y-STUDS OR LOWENHORN ANCHORS ON MAX 11 INCHES CENTER, 30 X STUDS TO BE THREE PRONGED DEPTH GANGE TYPE.
- 4 NEEDLES AND STUDS ARE SUPPLIED BY REFRACTORY SUPPLIER AND MIXED IN BY B.C.C.
- 5 REFRACTORY SUPPLIER TO FILL THIS AREA WITH RACWOOD, BULK A
- 6 3/4" THK OF AL-28 FUS NEEDLES APPLIED ON HELTERBAR FOR MINUS SEE ONE P.2.

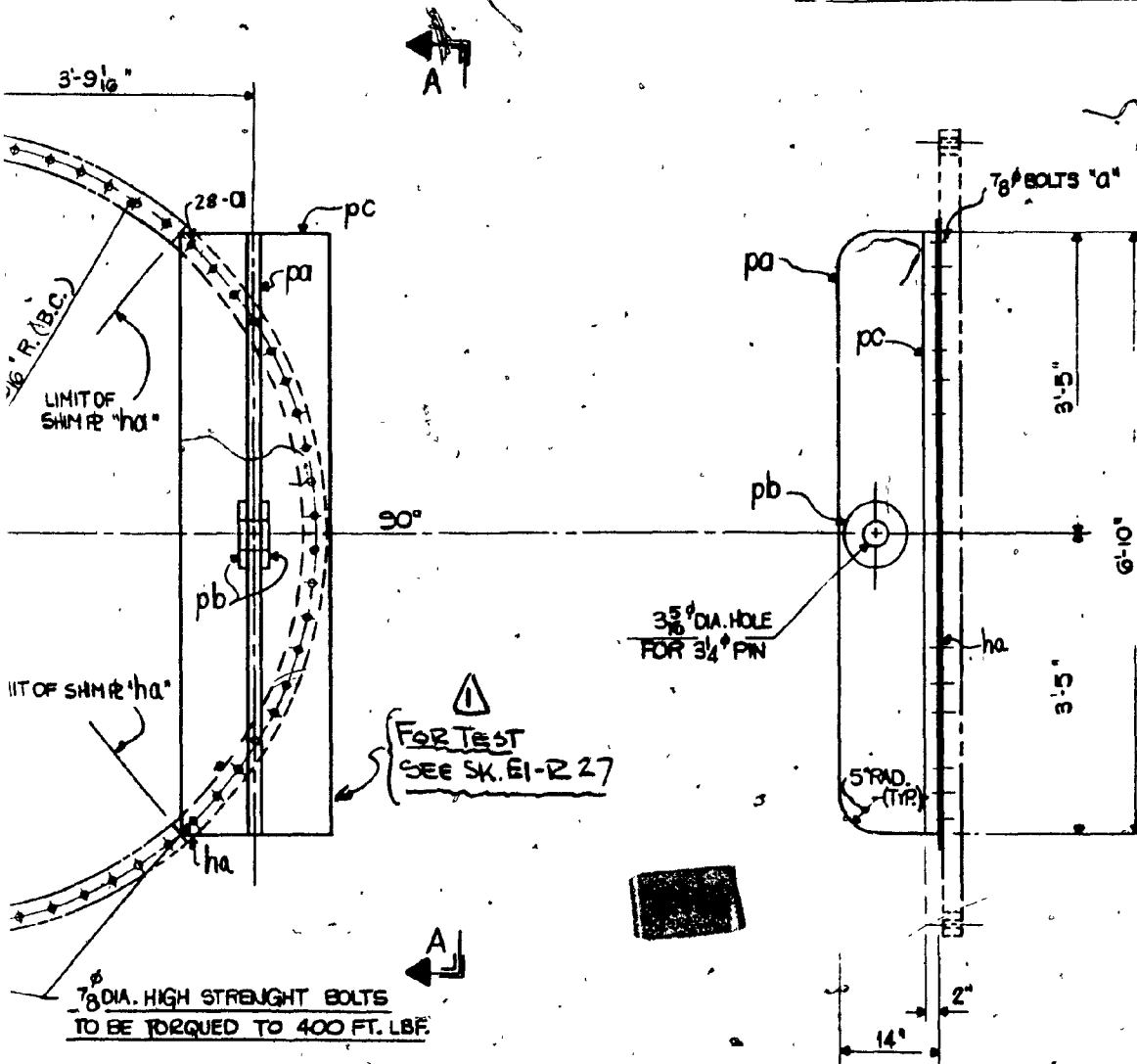


DETAIL - 1



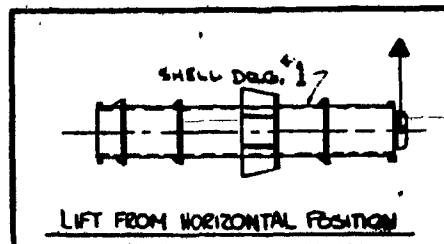
STAMPING SPACE

MATERIAL FOR ONE A					
QTY	MARK	DESCRIPTION	LENGTH	ZONE	MATERIALS
2	pa	2" x 12"	6'-10"		EA 546 6270
4	pb	1" x 9" Ø DIA.			OE CSA G40.21
2	pc	2" x 21"	6'-10"		OE 44T
2	ha	2" x 10"			REINFORCED CONCRETE
28	a	7/8" H.S.B. SA325	7"		FS56200



VIEW A-A

TWO-LIFTING ATTACHMENTS -13 A



DRESSING / DRESSING G. BOYER DATE SEPT/17/79		APPROVED / APPROVED AKAR DATE SEP/18/79		APPROVED / APPROVED AKAR DATE SEP/18/79		APPROVED / APPROVED AKAR DATE SEP/18/79		APPROVED / APPROVED AKAR DATE SEP/18/79	
SECTION BOILER - 493		SECTION BOILER - 493		SECTION BOILER - 493		SECTION BOILER - 493		SECTION BOILER - 493	
DESCRIPTION ONE (1) FORM WASTE HEAT EXCHANGER		DESCRIPTION TWO LIFTING ATTACHMENTS		DESCRIPTION ONE (1) FORM WASTE HEAT EXCHANGER		DESCRIPTION TWO LIFTING ATTACHMENTS		DESCRIPTION ONE (1) FORM WASTE HEAT EXCHANGER	
DETAIL TWO LIFTING ATTACHMENTS		DETAIL TWO LIFTING ATTACHMENTS		DETAIL TWO LIFTING ATTACHMENTS		DETAIL TWO LIFTING ATTACHMENTS		DETAIL TWO LIFTING ATTACHMENTS	
CLIENT IMPERIAL OIL LTD.		CLIENT IMPERIAL OIL LTD.		CLIENT IMPERIAL OIL LTD.		CLIENT IMPERIAL OIL LTD.		CLIENT IMPERIAL OIL LTD.	
NO. DE VENTE / VAULT NO. 565-981		NO. DE VENTE / VAULT NO. 565-981		NO. DE VENTE / VAULT NO. 565-981		NO. DE VENTE / VAULT NO. 565-981		NO. DE VENTE / VAULT NO. 565-981	